

“Minimum Wage Increases and Vacancies”  
Kudlyak, Tasci and Tuzemen

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## This Paper: A Brief Summary

- Literature largely finds small/zero effects of minimum wage on employment
- Theory: minimum wage should reduce quantity of labor demanded
- This paper: study vacancies as a more direct measure of labor demand
- Triple-difference specification

$$\ln V_{i,o,t} = \alpha_{i,o} + \mu_{o,t} + \gamma_{i,t} + \beta \ln(MW_{i,t}) \times AtRisk_o + \epsilon_{i,o,t}$$

Compare:

- Occupations that are vs are not exposed to minimum wage
  - In states that do vs do not change minimum wage
  - At different times
- Fixed effects absorb lots of identification concerns

## Large negative effect on vacancies

	(a) ln (Total Vacancies)			
	(1)	(2)	(3)	(4)
$\ln(MW_t) * \text{At-Risk}$	-0.241*** (0.083)	0.642*** (0.073)	0.226* (0.120)	-0.103 (0.212)
Fixed Effects:				
County x Time	Yes	Yes	Yes	
County x Occupation	Yes	Yes		Yes
Occupation x Time	Yes		Yes	Yes
Clusters	51	51	51	51
Observations	2,930,908	2,930,908	2,931,708	2,932,275
R-squared	0.921	0.913	0.840	0.898

Small comment: column (4) could also have  $\ln(MW)$  included without interaction

# Discussion Outline

- ① Lay out simple theory to think about employment vs vacancies
- ② Implications for separations
- ③ Mechanisms: is the control also treated?
- ④ Estimation quibbles
  - Anticipation effects
  - State vs county level regressions
  - Real vs nominal

## Theory: Employment vs Vacancies and Separations

# An embarrassingly simple model of employment

## Notation

- Employment:  $E_t$
- Separation rate:  $s_t$
- Vacancies:  $v_t$
- Hire rate:  $h(v_t)$

## Law of Motion

$$E_{t+1} = (1 - s_t)E_t + h(v_t)E_t$$

or, letting  $g_t \equiv E_{t+1}/E_t - 1$  denote employment growth,

$$g_t = h(v_t) - s_t$$

## Effect of policy

Have LOM

$$g_t = h(v_t) - s_t$$

Totally differentiate and

$$dg = h'(v)dv - ds$$

After some algebra

$$d \ln g = \frac{h}{g} \epsilon_{h,v} d \ln v - \frac{s}{g} d \ln s$$

Change in employment growth is equal to weighted difference between

- 1 Change in hires, governed by elasticity of hire rate and  $d \ln v$
- 2 Change in separations

## Some simple math using some minimum wage estimates

$$\underbrace{d \ln g}_{=0} = \frac{h}{g} \epsilon_{h,v} d \ln v - \frac{s}{g} d \ln s$$

- Previous research: no employment effects of minimum wage



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- Assume  $h(v) = \psi u^\alpha v^{1-\alpha}$  so elasticity of hires w.r.t.  $v \approx 0.3$
- Quarterly employment growth around 0.5% on average
- Quarterly hire and separation rate both around 4% on average

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Solving LOM, this implies minimum wage generates

$$d \ln s = \frac{d \ln v}{\epsilon_{h,v}} \approx -0.07$$

## Is this reasonable?

To rationalize result, separation rate must fall by around 7%. Reasonable?

- Any chance of using JOLTS to get a handle on magnitude of separations effect?
  - Note difference between “separations” and “separations into non-employment”
- Maybe  $d \ln g \neq 0$  for this group of jobs?
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- Minimum wage increases job retention?
- Search effort falls as offered wage distribution compresses?

## Separations and vacancy posting

- Commonly assume free entry to vacancy posting so that  $v$  satisfies

$$\underbrace{\kappa}_{\text{Vacancy Cost}} = \underbrace{q(v/u)}_{\text{Job-Filling Rate}} \underbrace{J(\underline{w}, s, \cdot)}_{\text{Value of Filled Job}}$$

Value of filled job falls as separation rate rises

- Should be some interdependence between separations and vacancy posting in eqm
  - Vacancies not a “pure” labor demand measurement
- My hypothesis: canonical model would struggle to rationalize joint movement of  $v$  and  $s$
- Could be fruitful to think which models may be successful? Labor supply? Job-Ladder?

Estimation suggestions and mechanisms



## Are high-wage jobs “untreated?”

- Could it be that firms substitute away from minimum wage workers towards capital?
  - Self-checkout stations, order boards in fast food, etc.
- If so, then could labor demand for skilled workers rise with minimum wage?
- In which case, occupations “not at risk” in fact get positive shock

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### Two suggestions

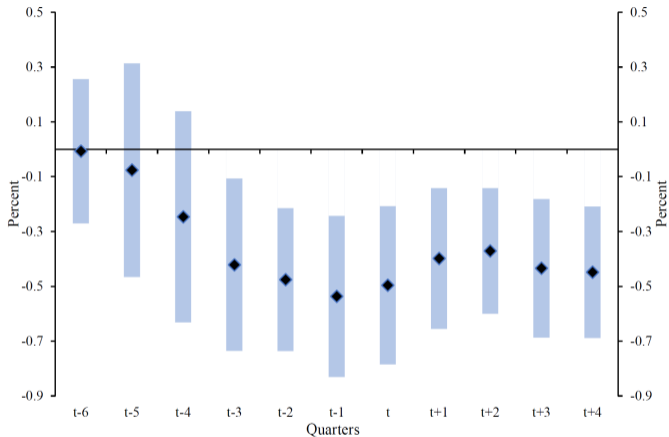
- 1 Could estimate, occupation-by-occupation

$$\ln V_{i,o,t} = \alpha_{i,o} + \mu_{o,t} + \beta_o \ln(MW_{i,t}) + \epsilon_{i,o,t}$$

and see if “not-at-risk” occupations significant positively respond to MW

- 2 Placebo check: re-assign “at-risk” indicator randomly

## Anticipation Effects



- Theory for long anticipation effects?
- What is average lag between announcement and implementation of minimum wage?
- What is average separation rate among at-risk jobs? Prior: these are high turnover jobs

## Assorted other quibbles/questions

- How do I think about these results in light of Berger et al. (2022) or Hurst et al (2022)?
  - Monopsony power is small? Coincident labor supply shock?
- Why “at-risk?” Why not “exposed?” No notion of risk in the paper...
- County doesn't buy you much because treatment is at state level
  - May increase precision and reduce  $\ln(0)$  problem by running state-level regressions
- Real vs nominal
  - Should we see something different in high vs low inflation periods?
- Cyclicity of vacancies in high vs low minimum wage states: maybe a different paper?

## Conclusion

- Nice paper looking at effect of minimum wage on vacancies
- Find large negative effect on vacancy posting
- Implies substantial movement in separations if zero employment effect
- Would be nice to see placebo: do non-exposed occupations have no vacancy effect?