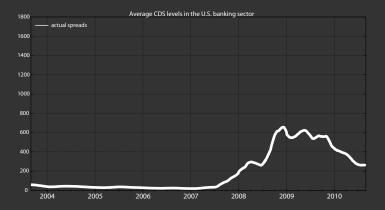
The Value of Implicit Guarantees

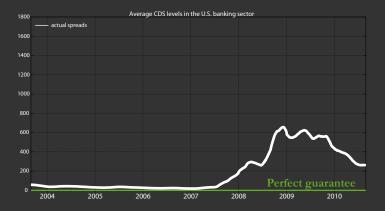
Zoe Tsesmelidakis ¹ Robert C. Merton ²

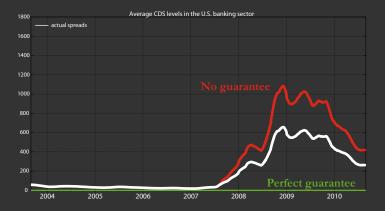
¹Saïd Business School & Oxford-Man Institute, University of Oxford

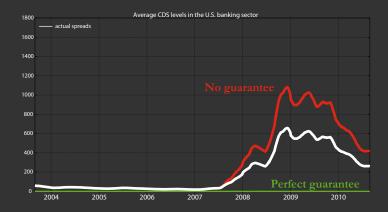
> ²Sloan School of Management, MIT

Minneapolis Fed TBTF Workshop, November 2013

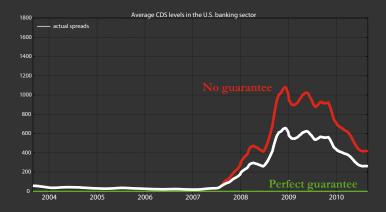






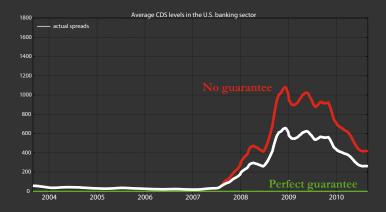


Sources of imperfection:



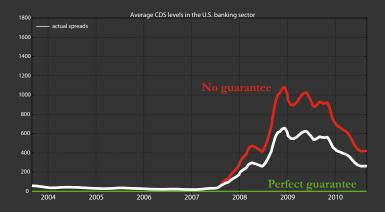
Sources of imperfection:

▷ Explicit vs. (probability of existence of) implicit guarantees



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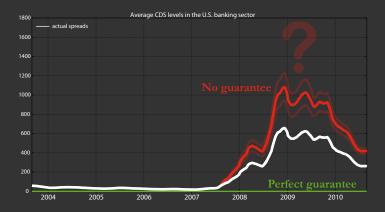
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Why do we care?

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Crisis management: Bailouts and guarantees vs. free market economy

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- ▷ Standalone credit risk
 - Better gauge of financial health than observed CDS price (cf. Hart and Zingales, 2009)

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Crisis prevention: Regulatory approaches

- ▷ Standalone credit risk
 - Better gauge of financial health than observed CDS price (cf. Hart and Zingales, 2009)
- ▷ Taxation
 - Bank levy based on funding advantage backed out of debt prices net of guarantees

The questions

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- Q. How do guarantees influence the financing strategy of banks?

Preview of the results

- ▷ Findings point to a significant funding advantage of major banks during the crisis, that is less pronounced or even inexistent for non-banks
 - Structural break in the pricing assumptions for U.S. bank debt
 - Stock-implied default risk estimates exceed their CDS counterparts by 1000 bps
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- ▷ U.S. financial institutions exhibit huge wealth transfers over the period 2007-2010 to investors:
 - \$129bn in the case of shareholders
 - \$236bn in the case of debtholders
- ▷ In the course of the interventions, U.S. banks shifted to fixed-rate short-term financing to exploit their TBTF status

Deriving the TBTF premium

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 - ⇒ Contrast default risk as explicitly priced in the CDS market to the default risk as it is implicitly priced in the stock market (Schweikhard and Tsesmelidakis, 2012)
- Exploit the divergence between the model-implied and actual CDS prices and adjust for counterparty risk to derive the funding advantage financial institutions enjoy from being TBTF

Default barrier

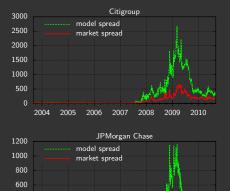


- > Stochastic default barrier, which is only revealed at default
 - Barrier B = LD, where $L \sim LN(\overline{L}; \lambda)$
 - \Rightarrow Increases short-term default probabilities by capturing the possibility of instantaneous default

3. Model estimations

Predicted vs. observed CDS spreads

Firm-level results



2009 2010

2008





400

0

2004

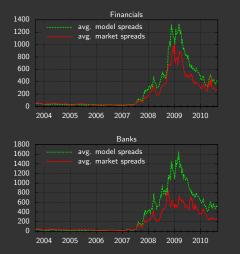
2005

2006

3. Model estimations

Predicted vs. observed CDS spreads

Sector aggregates







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3. Model estimations

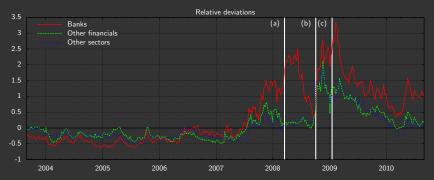
Predicted vs. observed CDS spreads

Relative deviations



Predicted vs. observed CDS spreads

Relative deviations



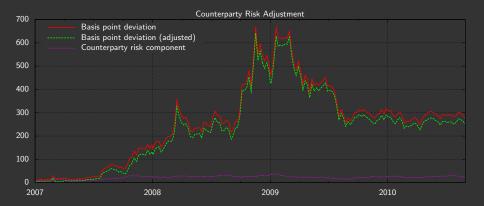
(a) Acquisition of Bear Stearns by JPMorgan

- (b) TARP
- (c) Rescue package for Bank of America

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3. Model estimations

Counterparty risk adjustment



3. Model estimations

Funding advantage





*All numbers are in basis points per annum.

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The Value of Implicit Guarantees

Bond data

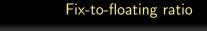
							<u> </u>							<u> </u>					
				ng Amo					urities				Matur	ities		Tradi	ing Volum	ies	
	Issues	FCB	VCB	ZCB		OAO TD	FCB	VCB	ZCB	ø	FCB	VCB	ZCB	ø	$V_{T \leq 5y}$	$V_{5y < T \le 10y}$	$V_{T>10y}$	V_{Σ}	TT
										Pre-C	risis Peri	iod							
Sectors																			
Banks	4,587	213.41	545.90	34.81	794.13	0.28	7.99	5.51	2.34	5.41	14.55	5.64	3.36	7.93	148.21	369.77	901.52	1,419.51	3,104
Insurance	1,292	50.02	63.09	0.12	113.22	0.56	8.71	9.44	14.96	8.87	12.10	16.32	9.52	14.45	94.20	132.82	220.86	447.88	2,613
Real Estate		35.10	2.46	0.00	37.56	0.70	11.12	6.84	0.00	10.70	12.48	3.83	0.00	11.91	5.50	36.17	104.62	146.29	151
Others	8	1.88	1.25	0.00	3.12	0.11	8.04	28.38	0.00	15.66	8.50	47.47	0.00	24.09	0.00	0.00	17.00	17.00	9
Financials	5,978	300.40	612.70	34.93	948.03	0.30	8.35	6.10	2.39	6.25	13.86	6.82	3.38	8.92	247.91	538.76	1,244.00	2,030.68	5,877
										Cris	is Period	a /							
Sectors																			
Banks	5,513	517.45	255.01	45.06	817.53	0.29	2.50	8.54	2.17	2.96	5.77	4.78	2.58	5.28	692.97	312.51	425.76	1,431.24	2,923
Insurance	761	46.03	35.51	0.61	82.15	0.47	7.80	12.30	5.88	8.27	9.64	26.44	12.20	16.92	13.12	56.14	133.50	202.75	999
Real Estate	34	13.57	0.80	0.00	14.37	0.73	9.44	4.98	0.00	9.30	10.01	4.98	0.00	9.73	0.00	12.26	15.31	27.56	390
Others		7.34	1.95	0.00	9.29	0.15	4.38	2.50	0.00	4.21	4.49	1.86	0.00	3.94	14.32	4.50	5.00	23.82	28
Financials	6,320	584.39	293.27	45.68	923.34	0.30	3.66	9.02	2.18	3.64	6.16	7.38	2.71	6.37	720.40	385.41	579.57	1,685.37	4,340
										Post-C	risis Per	riod							
Sectors																			
Banks	5,078	177.11	60.05	30.22	267.38	0.28	2.87	14.51	2.17	4.83	8.14	11.17	1.99	8.12	1,061.56	3,459.59	3,794.43	8,315.57	6,3375
Insurance		39.80	5.60	0.00	45.40	0.61	11.21	2.07	0.00	10.18	9.24	1.98	0.00	8.34	45.28	146.86	718.05	910.18	1104
Real Estate		21.99	0.00	0.00	21.99	0.76	10.33	0.00	0.00	10.33	9.81	0.00	0.00	9.81	0.00	276.25	363.08	639.32	690
Others	10	4.10	0.25	0.00	4.35	0.26	6.07	3.01	0.00	5.77	6.45	3.01		6.25	3.75	39.51	35.70	78.96	88
Financials	5,206	243.00	65.90	30.22	339.12	0.30	3.35	14.40	2.17	4.95	8.44	10.36	1.99	8.24	1,110.59	3,922.20	4,911.26	9,944.03	65,257

*Monetary amounts are in billions of US\$.

Bond data

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				ng Amo					urities				Matur				ing Volum	ies	
	Issues	FCB	VCB	ZCB		OAO TD	FCB	VCB	ZCB	ø	FCB	VCB	ZCB	ø	$V_{T \leq 5y}$	$V_{5y < T \le 10y}$	$V_{T>10y}$	V_{Σ}	TT
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Insurance	1,292	50.02	63.09	0.12	113.22	0.56	8.71	9.44	14.96	8.87	12.10	16.32	9.52	14.45	94.20	132.82	220.86	447.88	2,613
Real Estate		35.10	2.46	0.00	37.56	0.70	11.12	6.84	0.00	10.70	12.48	3.83	0.00	11.91	5.50	36.17	104.62	146.29	151
Others	8	1.88	1.25	0.00	3.12	0.11	8.04	28.38	0.00	15.66	8.50	47.47	0.00	24.09	0.00	0.00	17.00	17.00	9
Financials	5,978	300.40	612.70	34.93	948.03	0.30	8.35	6.10	2.39	6.25	13.86	6.82	3.38	8.92	247.91	538.76	1,244.00	2,030.68	5,877
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Insurance	761	46.03	35.51	0.61	82.15	0.47	7.80	12.30	5.88	8.27	9.64	26.44	12.20	16.92	13.12	56.14	133.50	202.75	999
Real Estate	34	13.57	0.80	0.00	14.37	0.73	9.44	4.98	0.00	9.30	10.01	4.98	0.00	9.73	0.00	12.26	15.31	27.56	390
Others		7.34	1.95	0.00	9.29	0.15	4.38	2.50	0.00	4.21	4.49	1.86	0.00	3.94	14.32	4.50	5.00	23.82	28
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Others	10	4.10	0.25	0.00	4.35	0.26	6.07	3.01	0.00	5.77	6.45	3.01		6.25	3.75	39.51	35.70	78.96	88
Financials	5,206	243.00	65.90	30.22	339.12	0.30	3.35	14.40	2.17	4.95	8.44	10.36	1.99	8.24	1,110.59	3,922.20	4,911.26	9,944.03	65,257

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floating rate percentage

fixed rate percentage

Bond data

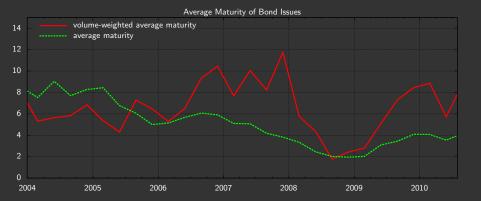
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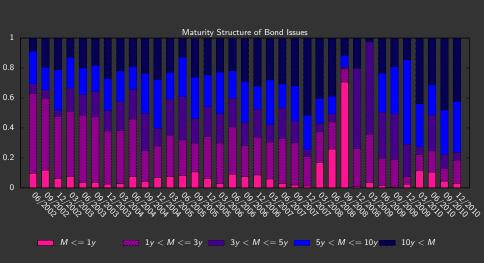
Bond data

			Offerin	ng Amo	ounts			Matu	urities		We	ighted	Matur	ities		Tradi	ing Volum	ies	
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Banks	5,513	517.45	255.01	45.06	817.53	0.29	2.50	8.54	2.17	2.96	5.77	4.78	2.58	5.28	692.97	312.51	425.76	1,431.24	2,923
Insurance	761	46.03	35.51	0.61	82.15	0.47	7.80	12.30	5.88	8.27	9.64	26.44	12.20	16.92	13.12	56.14	133.50	202.75	999
Real Estate	34	13.57	0.80	0.00	14.37	0.73	9.44	4.98	0.00	9.30	10.01	4.98	0.00	9.73	0.00	12.26	15.31	27.56	390
Others	12	7.34	1.95	0.00	9.29	0.15	4.38	2.50	0.00	4.21	4.49	1.86	0.00	3.94	14.32	4.50	5.00	23.82	28
Financials	6,320	584.39	293.27	45.68	923.34	0.30	3.66	9.02	2.18	3.64	6.16	7.38	2.71	6.37	720.40	385.41	579.57	1,685.37	4,340
										Post-C	risis Per	riod							
Sectors																			
Banks	5,078	177.11	60.05	30.22	267.38	0.28	2.87	14.51	2.17	4.83	8.14	11.17	1.99	8.12	1,061.56	3,459.59	3,794.43	8,315.57	6,3375
Insurance		39.80	5.60	0.00	45.40	0.61	11.21	2.07	0.00	10.18	9.24	1.98	0.00	8.34	45.28	146.86	718.05	910.18	1104
Real Estate		21.99	0.00	0.00	21.99	0.76	10.33	0.00	0.00	10.33	9.81	0.00	0.00	9.81	0.00	276.25	363.08	639.32	690
Others	10	4.10	0.25	0.00	4.35	0.26	6.07	3.01	0.00	5.77	6.45	3.01		6.25	3.75	39.51	35.70	78.96	88
Financials	5,206	243.00	65.90	30.22	339.12	0.30	3.35	14.40	2.17	4.95	8.44	10.36	1.99	8.24	1,110.59	3,922.20	4,911.26	9,944.03	65,257

*Monetary amounts are in billions of US\$.



Maturities



Zoe Tsesmelidakis

The Value of Implicit Guarantees

Maturities

Bond data

							<u> </u>												
				ng Amo					urities				Matur				ing Volum	ies	
	Issues	FCB	VCB	ZCB		OAO TD	FCB	VCB	ZCB	ø	FCB	VCB	ZCB	ø	$V_{T \leq 5y}$	$V_{5y < T \le 10y}$	$V_{T>10y}$	V_{Σ}	TT
										Pre-C	risis Peri	iod							
Sectors																			
Banks	4,587	213.41	545.90	34.81	794.13	0.28	7.99	5.51	2.34	5.41	14.55	5.64	3.36	7.93	148.21	369.77	901.52	1,419.51	3,104
Insurance	1,292	50.02	63.09	0.12	113.22	0.56	8.71	9.44	14.96	8.87	12.10	16.32	9.52	14.45	94.20	132.82	220.86	447.88	2,613
Real Estate		35.10	2.46	0.00	37.56	0.70	11.12	6.84	0.00	10.70	12.48	3.83	0.00	11.91	5.50	36.17	104.62	146.29	151
Others	8	1.88	1.25	0.00	3.12	0.11	8.04	28.38	0.00	15.66	8.50	47.47	0.00	24.09	0.00	0.00	17.00	17.00	9
Financials	5,978	300.40	612.70	34.93	948.03	0.30	8.35	6.10	2.39	6.25	13.86	6.82	3.38	8.92	247.91	538.76	1,244.00	2,030.68	5,877
										Cris	is Period	đ							
Sectors																			
Banks	5,513	517.45	255.01	45.06	817.53	0.29	2.50	8.54	2.17	2.96	5.77	4.78	2.58	5.28	692.97	312.51	425.76	1,431.24	2,923
Insurance	761	46.03	35.51	0.61	82.15	0.47	7.80	12.30	5.88	8.27	9.64	26.44	12.20	16.92	13.12	56.14	133.50	202.75	999
Real Estate	34	13.57	0.80	0.00	14.37	0.73	9.44	4.98	0.00	9.30	10.01	4.98	0.00	9.73	0.00	12.26	15.31	27.56	390
Others	12	7.34	1.95	0.00	9.29	0.15	4.38	2.50	0.00	4.21	4.49	1.86	0.00	3.94	14.32	4.50	5.00	23.82	28
Financials	6,320	584.39	293.27	45.68	923.34	0.30	3.66	9.02	2.18	3.64	6.16	7.38	2.71	6.37	720.40	385.41	579.57	1,685.37	4,340
										Post-C	risis Per	riod							
Sectors																			
Banks	5,078	177.11	60.05	30.22	267.38	0.28	2.87	14.51	2.17	4.83	8.14	11.17	1.99	8.12	1,061.56	3,459.59	3,794.43	8,315.57	6,3375
Insurance		39.80	5.60	0.00			11.21	2.07	0.00	10.18	9.24	1.98	0.00	8.34	45.28	146.86	718.05	910.18	1104
Real Estate		21.99	0.00	0.00	21.99	0.76	10.33	0.00	0.00	10.33	9.81	0.00	0.00	9.81	0.00	276.25	363.08	639.32	690
Others	10	4.10	0.25	0.00	4.35	0.26	6.07	3.01	0.00	5.77	6.45	3.01		6.25	3.75	39.51	35.70	78.96	88
Financials	5,206	243.00	65.90	30.22	339.12	0.30	3.35	14.40	2.17	4.95	8.44	10.36	1.99	8.24	1,110.59	3,922.20	4,911.26	9,944.03	65,257

*Monetary amounts are in billions of US\$.

Bond data

			Offerin	ng Amo	ounts			Matu	urities		We	ighted	Matur	ities		Tradi	ing Volum	ies	
	Issues	FCB	VCB	ZCB	Σ	OAO TD	FCB	VCB	ZCB	ø	FCB	VCB	ZCB	ø	$V_{T \leq 5y}$	$V_{5y < T \le 10y}$	V _{T>10y}	V_{Σ}	TT
										Pre-C	risis Peri	iod							
Sectors																			
Banks	4,587	213.41	545.90	34.81	794.13	0.28	7.99	5.51	2.34	5.41	14.55	5.64	3.36	7.93	148.21	369.77	901.52	1,419.51	3,104
Insurance	1,292	50.02	63.09	0.12	113.22	0.56	8.71	9.44	14.96	8.87	12.10	16.32	9.52	14.45	94.20	132.82	220.86	447.88	2,613
Real Estate		35.10	2.46	0.00	37.56	0.70	11.12	6.84	0.00	10.70	12.48	3.83	0.00	11.91	5.50	36.17	104.62	146.29	151
Others	8	1.88	1.25	0.00	3.12	0.11	8.04	28.38	0.00	15.66	8.50	47.47	0.00	24.09	0.00	0.00	17.00	17.00	9
Financials	5,978	300.40	612.70	34.93	948.03	0.30	8.35	6.10	2.39	6.25	13.86	6.82	3.38	8.92	247.91	538.76	1,244.00	2,030.68	5,877
							·								í	<u> </u>			
										Cris	is Period	a /							
Sectors																			
Banks	5,513	517.45	255.01	45.06	817.53	0.29	2.50	8.54	2.17	2.96	5.77	4.78	2.58	5.28	692.97	312.51	425.76	1,431.24	2,923
Insurance	761	46.03	35.51	0.61	82.15	0.47	7.80	12.30	5.88	8.27	9.64	26.44	12.20	16.92	13.12	56.14	133.50	202.75	999
Real Estate	34	13.57	0.80	0.00	14.37	0.73	9.44	4.98	0.00	9.30	10.01	4.98	0.00	9.73	0.00	12.26	15.31	27.56	390
Others	12	7.34	1.95	0.00	9.29	0.15	4.38	2.50	0.00	4.21	4.49	1.86	0.00	3.94	14.32	4.50	5.00	23.82	28
Financials	6,320	584.39	293.27	45.68	923.34	0.30	3.66	9.02	2.18	3.64	6.16	7.38	2.71	6.37	720.40	385.41	579.57	1,685.37	4,340
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Banks	5,078	177.11	60.05	30.22	267.38	0.28	2.87	14.51	2.17	4.83	8.14	11.17	1.99	8.12	1,061.56	3,459.59	3,794.43	8,315.57	6,3375
Insurance		39.80	5.60	0.00	45.40	0.61	11.21	2.07	0.00	10.18	9.24	1.98	0.00	8.34	45.28	146.86	718.05	910.18	1104
Real Estate		21.99	0.00	0.00	21.99	0.76	10.33	0.00	0.00	10.33	9.81	0.00	0.00	9.81	0.00	276.25	363.08	639.32	690
Others	10	4.10	0.25	0.00	4.35	0.26	6.07	3.01	0.00	5.77	6.45	3.01		6.25	3.75	39.51	35.70	78.96	88
Financials	5,206	243.00	65.90	30.22	339.12	0.30	3.35	14.40	2.17	4.95	8.44	10.36	1.99	8.24	1,110.59	3,922.20	4,911.26	9,944.03	65,257

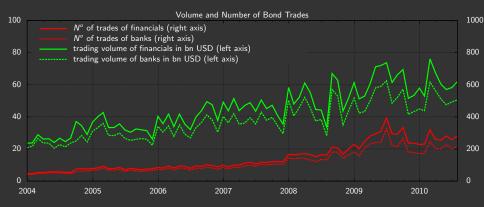
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Bond data

			Offerin	ig Amo	ounts			Matu	irities		We	ighted	Matur	ities		Tradi	ng Volum	es	
	Issues	FCB	VCB	ZCB	Σ		FCB	VCB	ZCB	ø	FCB	VCB	ZCB	ø	$V_{T \leq 5y}$	$V_{5y < T \le 10y}$	$V_{T>10y}$	V_{Σ}	TT
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Insurance	1,292	50.02	63.09	0.12	113.22	0.56	8.71	9.44	14.96	8.87	12.10	16.32	9.52	14.45	94.20	132.82	220.86	447.88	2,613
Real Estate	91	35.10	2.46	0.00	37.56	0.70	11.12	6.84	0.00	10.70	12.48	3.83	0.00	11.91	5.50	36.17	104.62	146.29	151
Others	8	1.88	1.25	0.00	3.12	0.11	8.04	28.38	0.00	15.66	8.50	47.47	0.00	24.09	0.00	0.00	17.00	17.00	9
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Sectors																			
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Insurance	761	46.03	35.51	0.61	82.15		7.80	12.30	5.88	8.27	9.64	26.44	12.20	16.92	13.12	56.14	133.50	202.75	999
Real Estate	34	13.57	0.80	0.00	14.37		9.44	4.98	0.00	9.30	10.01	4.98	0.00	9.73	0.00	12.26	15.31	27.56	390
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Real Estate		21.99	0.00	0.00	21.99		10.33	0.00	0.00	10.33	9.81	0.00	0.00	9.81	0.00	276.25	363.08	639.32	690
Others	10	4.10	0.25	0.00	4.35	0.26	6.07	3.01	0.00	5.77	6.45	3.01		6.25	3.75	39.51	35.70	78.96	88
Financials	5,206	243.00	65.90	30.22	339.12	0.30	3.35	14.40	2.17	4.95	8.44	10.36	1.99	8.24	1,110.59	3,922.20	4,911.26	9,944.03	65,257

*Monetary amounts are in billions of US\$.

Trades



Estimate implicit subsidies resulting from the funding cost advantage.

$$P = PV(Bond) = \sum_{t=1}^T rac{cN}{(1+y)^t} + rac{N}{(1+y)^T}$$

Shareholders' subsidies

- Q. How much more would a bank have to pay (in PV terms) to raise the debt?
- ▷ Re-value bond issues by increasing coupon rate to obtain non-guaranteed issue price $P_{c_{NG}}$

$$P_{c_G} < P_{c_{NG}} \Rightarrow S_c = P_{c_{NG}} - P_{c_G}$$

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Shareholders' subsidies

- Q. How much more would a bank have to pay (in PV terms) to raise the debt?
 - \triangleright Re-value bond issues by increasing coupon rate to obtain non-guaranteed issue price $P_{c_{NG}}$

$$P_{c_G} < P_{c_{NG}} \Rightarrow S_c = P_{c_{NG}} - P_{c_G}$$

Bondholders' subsidies

- Q. By how much is the deterioration of bond prices offset due to the guarantee?
 - \triangleright Re-value transactions by increasing YTM to obtain non-guaranteed transaction price $P_{y_{MG}}$

$$P_{y_G} > P_{y_{NG}} \Rightarrow S_y = P_{y_G} - P_{y_{NG}}$$

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The Value of Implicit Guarantees

Bondholders' subsidies are estimated in two ways:

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- ◇ Incremental secondary-market subsidies
 - ▷ Merge TRACE transaction data with issue information from Mergent FISD.
 - \triangleright Calculated once per issue, i.e., for each reference entity that is traded between 2007-2010, select the day with the largest funding advantage and calculate the subsidy S_y .
 - \triangleright Scale the resulting S_y by the corresponding offering amount.
 - $\triangleright~$ To avoid double-counting, subtract any primary-market subsidy, if there is.

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 - \triangleright Scale the resulting S_y by the corresponding offering amount.
 - $\triangleright\,$ To avoid double-counting, subtract any primary-market subsidy, if there is.
- ♦ Continuous secondary-market subsidies
 - ▷ Calculated daily.
 - ▷ Combine contemporaneous values for the funding advantage with the day-matched trading volume as inferred from TRACE.
 - ▷ Trading volume replaces the issue volume and gives an impression of the actual impact through time.

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The Value of Implicit Guarantees

Subsidy-to-Issue-Volume Ratios





The Value of Implicit Guarantees

Panel A – Prima	ry Market	Subsidies I	mplied by a	Lower Coupon	Rate
	2007	2008	2009	2010	Total
Banks	3.31	38.25	77.15	2.58	121.29
Insurance	0.17	1.76	1.44	2.05	5.42
Real Estate	0.14	0.11	0.83	0.24	1.32
Others	0.00	0.27	0.86	0.01	1.14
Total	3.62	40.39	80.28	4.88	129.17
Panel B – Secon	idary Marl	ket Subsidie	s Implied by	a Lower Yield	
	2007	2008	2009	2010	Total
Banks	0.47	93.34	109.13	0.00	202.94
Insurance	0.04	6.13	19.56	0.00	25.73
Real Estate	0.01	3.71	2.89	0.00	6.61
Others	0.00	0.27	0.51	0.00	0.78
Total	0.52	103.45	132.09	0.00	236.06
Panel C – Overa	II Subsidie	es			
-	2007	2008	2009	2010	Total
Banks	3.78	131.59	186.28	2.58	324.23
Insurance	0.21	7.90	21.00	2.05	31.16
Real Estate	0.16	3.82	3.71	0.24	7.93
Others	0.00	0.54	1.36	0.01	1.91
Total	4.15	143.85	212.35	4.88	365.23

*All values are in billions of US\$.

Panel A – Prima	ry Market	Subsidies I	mplied by a l	Lower Coupon	Rate
	2007	2008	2009	2010	Total
Banks	3.31	38.25	77.15	2.58	121.29
Insurance	0.17	1.76	1.44	2.05	5.42
Real Estate	0.14	0.11	0.83	0.24	1.32
Others	0.00	0.27	0.86	0.01	1.14
Total	3.62	40.39	80.28	4.88	129.17
Panel B – Secon	idary Marl	ket Subsidie	s Implied by	a Lower Yield	
	2007	2008	2009	2010	Total
Banks	0.47	93.34	109.13	0.00	202.94
Insurance	0.04	6.13	19.56	0.00	25.73
Real Estate	0.01	3.71	2.89	0.00	6.61
Others	0.00	0.27	0.51	0.00	0.78
Total	0.52	103.45	132.09	0.00	236.06
Panel C – Overa	II Subsidie	es			
	2007	2008	2009	2010	Total
Banks	3.78	131.59	186.28	2.58	324.23
Insurance	0.21	7.90	21.00	2.05	31.16
Real Estate	0.16	3.82	3.71	0.24	7.93
Others	0.00	0.54	1.36	0.01	1.91
Total	4.15	143.85	212.35	4.88	365.23

*All values are in billions of US\$.

Secondary market



subsidies of financials in mn USD (left axis)
subsidies of banks in mn USD (left axis)
subsidies in percent of trading volume of financials (right axis)
subsidies in percent trading volume of banks (right axis)

Zoe Tsesmelidakis

The Value of Implicit Guarantees

		(1)			(2)			(3)			(4)			(5)			(6)	
	Coef.			Coef.			Coef.			Coef.			Coef.			Coef.		
VIX Rating (AA) Rating (A) Rating (BBB)	0.190	3.27	***	0.196 12.743 1.540 0.458	3.23 3.11 3.00 1.22	*** *** ***	0.180 12.613 1.767 1.565	0.01	*** *** ***	0.137 9.807 -0.446	2.41 2.81 -0.54		0.130	2.59	**	0.126	2.48	**
r_s Size $\beta_{r_s}^{DF}$	-1.343 12.116	-0.85 5.39	***	-1.196			-1.763 4.002	-1.06		-6.871	-2.19	**	-6.501 11.230	-2.51 5.64		-6.100 2.824	-2.65 2.61	
MES TARP										144.255	3.37	***	133.754 0.466	3.70 0.28	***			
TARP Amounts Constant	-5.172	-3.14	***	-5.091	-3.12	***	-8.953	-3.18	***	-7.442	-3.30	***	-9.319	-3.62	***	0.414 -8.739		
Observations <i>Adj</i> . <i>R</i> ² Coef. Estimates Standard Errors	34143 0.221 OLS CL-F			34273 0.138 OLS CL-F			34273 0.151 OLS CL-F			23937 0.199 OLS CL-F			23835 0.274 OLS CL-F			23835 0.345 OLS CL-F		

		(1)			(2)			(3)			(4)			(5)			(6)	
	Coef.			Coef.			Coef.			Coef.			Coef.			Coef.		
VIX Rating (AA) Rating (A) Rating (BBB)	0.190	3.27	***	0.196 12.743 1.540 0.458	3.23 3.11 3.00 1.22	*** *** ***	0.180 12.613 1.767 1.565	0.01	*** *** ***	0.137 9.807 -0.446	2.41 2.81 -0.54		0.130	2.59	**	0.126	2.48	**
r_s Size $\beta_{r_s}^{DF}$	-1.343 12.116			-1.196			-1.763 4.002	-1.06		-6.871	-2.19	**	-6.501 11.230	-2.51 5.64		-6.100 2.824	-2.65 2.61	
MES TARP										144.255	3.37	***	133.754 0.466	3.70 0.28	***	137.554		
TARP Amounts Constant	-5.172	-3.14	***	-5.091	-3.12	***	-8.953	-3.18	***	-7.442	-3.30	***	-9.319	-3.62	***	0.414 -8.739		
Observations <i>Adj.R</i> ² Coef. Estimates Standard Errors	34143 0.221 OLS CL-F			34273 0.138 OLS CL-F			34273 0.151 OLS CL-F			23937 0.199 OLS CL-F			23835 0.274 OLS CL-F			23835 0.345 OLS CL-F		

		(1)			(2)			(3)			(4)			(5)			(6)	
	Coef.			Coef.			Coef.			Coef.			Coef.			Coef.		
VIX Rating (AA) Rating (A)	0.190	3.27	***	0.196 12.743 1.540	3.23 3.11 3.00	*** ***	0.180 12.613 1.767	0.01		0.137 9.807 -0.446	2.41 2.81 -0.54		0.130	2.59	**	0.126	2.48	**
Rating (BBB) r_S Size $\beta_{r_S}^{DF}$	-1.343 12.116	-0.85 5.39	***	0.458 -1.196	1.22 -0.72		1.565 -1.763 4.002			-6.871	-2.19	**	-6.501 11.230	-2.51 5.64		-6.100 2.824	-2.65 2.61	
MES TARP							4.002	2.47		144.255	3.37	***	133.754 0.466	3.70 0.28	***	137.554	3.91	
TARP Amounts Constant	-5.172	-3.14	***	-5.091	-3.12	***	-8.953	-3.18	***	-7.442	-3.30	***	-9.319	-3.62	***	0.414 -8.739		
Observations <i>Adj</i> . <i>R</i> ² Coef. Estimates Standard Errors	34143 0.221 OLS CL-F			34273 0.138 OLS CL-F			34273 0.151 OLS CL-F			23937 0.199 OLS CL-F			23835 0.274 OLS CL-F			23835 0.345 OLS CL-F		

		(1)			(2)			(3)			(4)			(5)			(6)	
	Coef.			Coef.			Coef.			Coef.			Coef.			Coef.		
VIX Rating (AA) Rating (A) Rating (BBB)	0.190	3.27	***	0.196 12.743 1.540 0.458	3.23 3.11 3.00 1.22	*** *** ***	0.180 12.613 1.767 1.565	3.19 3.09 3.81 2.75	*** *** ***	0.137 9.807 -0.446	2.81		0.130	2.59	**	0.126	2.48	**
r_{s} Size $\beta_{r_{s}}^{DF}$	-1.343 12.116		***	-1.196			-1.763 4.002	-1.06		-6.871	-2.19	**	-6.501 11.230	-2.51 5.64		-6.100 2.824	-2.65 2.61	
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6. Conclusion



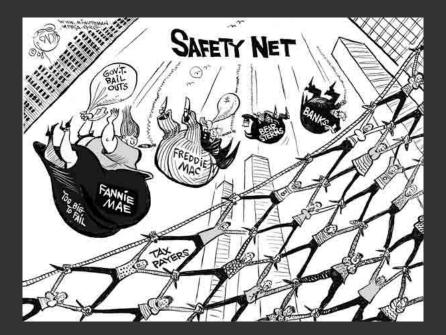
Estimate the pecuniary subsidies financial institutions enjoy from being TBTF.

6. Conclusion

- Estimate the pecuniary subsidies financial institutions enjoy from being TBTF.
- Apply a structural model framework and adjust for counterparty risk to calculate the funding advantage.
- Merge with bond issue and transaction data and re-value bonds to calculate subsidies to share- and bondholders.
- ▷ Capitalized subsidies amount to \$365.2 billion in total.
- Banks shifted financing to short-term fixed-rate bond issues to further profit from their TBTF status.

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- CDS prices are biased to the downside and thus unreliable for monitoring the health of the financial system.



A. Appendix

Role of counterparty risk in CDS markets

- ▷ Degree to which counterparty risk affects CDS prices depends on the joint default probability of the insurer and the reference entity.
- $\Rightarrow\,$ High in the case of contracts written on major financials as they happen to be the primary CDS dealers.
 - ▷ In periods of high systemic risk, both the value of guarantees (the wedge) and counterparty risk rise, moving market premiums downwards.

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- ▷ In periods of high systemic risk, both the value of guarantees (the wedge) and counterparty risk rise, moving market premiums downwards.
- Adjust CDS-equity wedge for counterparty risk
 - 1. Construct a primary dealer CDS index.
 - 2. Measure each firm's daily beta between its CDS and the index.
 - 3. Regress wedge on betas and control variables related to liquidity, business climate, and ratings.
 - 4. Multiply the coefficient estimates with the beta values to obtain the counterparty risk adjustment for a given firm, maturity, and date.

Determinants of the bond structure

					Tissue								$\frac{V_{fix}}{V_{fix}+V_{flo}}$					
		(1)			(2)			(3)			(4)			(5)			(6)	
	Coef.			Coef.			Coef.			Coef.			Coef.			Coef.		
T _{mat}	0.362	2.84	***	0.298	1.99	**	0.253	2.25	**									
Tissue										0.006	3.41	***	0.006	3.39	***	0.01	2.72	***
V _{fix}				1.511	2.26	**												
$\frac{\frac{V_{fix}}{V_{fix}+V_{flo}}}{V_{fix}^{mat}}$	3.563	3.25	***				2.367	2.63	***									
$\frac{V_{fix}^{mat}}{V_{fix}^{mat}+V_{flo}^{mat}}$										0.253	7.85	***	0.251	7.92	***	0.16	5.04	***
Term Spread	-0.826	-3.32	***	-0.342	-1.07					0.059	6.38	***	0.057	6.28	***	0.06	6.73	***
Funding Adv.	-0.172			-0.244	-2.05	**				0.027	4.71	***	0.025	4.87	***	0.03	5.28	***
Bank Dummy							-1.564	-2.04	**							-0.11	-4.25	***
Crisis Dummy													0.206	5.65	***			
Post-crisis Dummy													0.212	2.48	**			
$V_{\text{fix}} imes Bank$ Dummy				-1.732	-2.68	***												
AA							3.880	2.71										
A							4.178	3.03	***							0.10	4.02	
BBB							4.212	2.76	***							0.31	8.97	***
Constant	5.854	9.11	***	8.199	7.20	***	2.330	1.42		 0.296	10.91	***	0.279	10.31	***	0.36	9.77	***
Observations	636			245			773			636			636			636		
Adj.R ²	0.062			0.056			0.046			0.197			0.231			0.29		
Coef. Estimates	OLS			OLS			OLS			OLS			OLS			OLS		
Standard Errors	robust			robust			robust			robust			robust			robust		

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V_{fix}	2 5 6 2	2.05	***				0.007	- c-	***										
$ \frac{\overline{V_{fix} + V_{fio}}}{V_{fix}^{mat} - V_{fio}^{mat}} $	3.563	3.25	****				2.367	2.03											
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where W_t is a Brownian motion, σ_V the asset volatility, and μ_V the drift



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 - ⇒ Pricing credit is rather about the relation between μ_V and μ_D than about μ_V per se, therefore set $\mu_V = 0$ for simplicity

Survival probability

The risk-neutral survival probability P(t) that the firm value does not hit the default boundary until time t, i.e.,

$$V(au) > LD$$
 , $orall au < t$

is given by the approximate closed-form solution

$$P(t) = \Phi\left(-\frac{A_t}{2} + \frac{\log(d)}{A_t}\right) - d \cdot \Phi\left(-\frac{A_t}{2} - \frac{\log(d)}{A_t}\right)$$

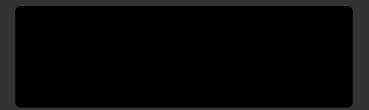
with

$$d = rac{S_0 + \overline{L}D}{\overline{L}D} \exp \lambda^2$$
 and $A_t^2 = \sigma_V^2 t + \lambda^2$

Zoe Tsesmelidakis

The Value of Implicit Guarantees





CDS price

$$\underbrace{(1-R)\left[1-P(0)+\int_{0}^{t}dsf(s)e^{-rs}\right]}_{\text{protection leg}}$$

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$$\Rightarrow c = r(1-R)\frac{1-P(0)+e^{r\xi}(G(t+\xi)-G(\xi))}{P(0)-P(t)e^{-rt}-e^{r\xi}(G(t+\xi)-G(\xi))}$$

where $\xi = \frac{\lambda^2}{\sigma^2}$ and R is the expected recovery rate to a specific debt class

Zoe Tsesmelidakis

The Value of Implicit Guarantees

Asset volatility estimation

Zoe Tsesmelidakis

▷ In the Merton model, it follows from Ito's lemma that

$$\sigma_{S} = \frac{V}{S} \underbrace{\frac{\partial S}{\partial V}}_{0 \leq \dots \leq 1} \sigma_{V} \quad \Leftrightarrow \quad \sigma_{V} = \frac{S}{V} \underbrace{\frac{\partial V}{\partial S}}_{\geq 1} \sigma_{S}$$

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▷ CreditGrades:

$$V = S + \overline{L}D \quad \text{and the following approximation}$$

$$\frac{\partial S}{\partial V} = 1 \quad \text{result from boundary conditions}$$

$$\sigma_S \approx \sigma_S^{imp} \quad ATM \text{ implied volatility}$$

$$\Rightarrow \sigma_S = \frac{S + \overline{L}D}{S} \sigma_V \quad \Leftrightarrow \quad \sigma_v = \frac{S}{S + \overline{L}D} \sigma_s$$

Boundary condition examinations

▷ In our boundary examinations we focus on the distance to default since its behavior is relevant for determining the survival probability:

$$\eta = \frac{1}{\sigma} \log \left(\frac{V}{LD} \right) = \frac{V}{\sigma_{S} S} \frac{\partial S}{\partial V} \log \left(\frac{V}{LD} \right)$$

- ▷ First (at/near to default) boundary condition
 - $\circ~$ Assume that as default approaches, $S \rightarrow 0$
 - $\circ\,$ Thus at the boundary, $V|_{S=0}=LD,$ and near the boundary $V\approx LD+\frac{\partial V}{\partial S}S$
 - Substituting into η gives $\eta \approx \frac{1}{\sigma_S} (1 + \frac{\partial V}{\partial S} \frac{S}{LD}) \approx \frac{1}{\sigma_S}$
- ▷ Second (far from default) boundary condition
 - Assume that as V goes to infinity, $\frac{S}{V} \to 1$, i.e. V and S increase at the same rate, $\frac{\partial S}{\partial V} \to 1$
 - \circ Substitution leads to $\eta pprox rac{1}{\sigma_S} log\left(rac{S}{LD}
 ight)$
- > The simplest expressions satisfying both boundary conditions are:

$$\eta = rac{S + LD}{\sigma_S S} \log\left(rac{S + LD}{LD}
ight)$$
 and $V = S + LD$

32

$$\sigma_{S} = \frac{V}{S} \frac{\partial S}{\partial V} \sigma_{V} \quad \Rightarrow \quad \sigma_{S} = \frac{S + \bar{L}D}{S} \sigma_{V}$$

How sensitive are our results to $\frac{\partial S}{\partial V} < 1$?

 $\Rightarrow \sigma_V \nearrow$ as $\frac{\partial V}{\partial S} \nearrow$, i.e. stock-implied credit spreads would be even higher! Alternatives:

- \triangleright Obtain σ_V from $P(S, t, B, \sigma_V)$, the price of an equity put option as a function of σ_V , which can be equated to the market price of a put (Finger and Stamicar (2006)). Our own test runs confirm their conclusion that the differences to the baseline approach are marginal.
- Iterative approach suggested by Crosbie and Bohn (2003) and Vassalou and Xing (2004) applies to strict Merton setup (in which default may not occur at any point in time):
 - ♦ Using either the historical or implied stock volatility as initial value for σ_V and applying the BS formula, one can infer a time series of asset values to calculate the historical asset volatility, which is used as input for the next iteration. The described procedure is repeated until the historical volatility estimates from consecutive iterations converge.
 - Iterative approach was shown to provide hardly any improvement over the direct approach (Bharath and Shumway (2008)).
 - \diamond Through our calibration over \bar{L} , we determine V and σ_V simultaneously to be consistent with market observations.

The Value of Implicit Guarantees

B. Appendix Approximating the local by the ATM implied volatility

 Implied equity volatility is approximately an average of local volatilities (Derman, Iraj, and Zou (1995)):

$$\sigma_{S}^{imp} \approx \frac{1}{X-S} \int_{S}^{X} \sigma_{S} dS$$

 \triangleright Substituting the local relation $\sigma_S = \sigma(1 + \frac{B}{S})$

$$\sigma_{S}^{imp} \approx \sigma \left\{ 1 + \frac{B}{X - S} \log \left(\frac{X}{S} \right) \right\}$$

 \triangleright At the money, i.e. for S
ightarrow X,

$$\sigma_{S}^{imp} \approx \sigma \left\{ 1 + B \lim_{S \to X} \frac{\log\left(\frac{X}{S}\right)}{X - S} \right\}$$

Applying l'Hôpital's rule gives

$$\sigma_{S}^{imp} \approx \sigma \frac{S+B}{S} \approx \sigma_{S}$$

Zoe Tsesmelidakis

The Value of Implicit Guarantees

34

- $\triangleright\,$ The standard deviation of the adjustment factor L, $\lambda,$ is set to 0.3 (Finger et al. (2002)).
- \triangleright The debt class specific recovery rate, *R*, is set to 0.5 (Yu (2006)).
- \triangleright The debt per share, *D*, is calculated as $\frac{\text{total liabilities}}{\# \text{ common shares outstanding}}$.
- ▷ The risk-free interest rate, *r*, is assumed to be the five-year constant maturity zero-coupon swap rate inferred from swap rates.
- \triangleright The equity volatility, σ_S , is the one-year at-the-money implied volatility from put options.
- \triangleright Apply the Act/360 day counting convention.

Constant default barrier

▷ Determine \overline{L}_i by minimizing the sum of squared errors between model (\widehat{CDS}) and market spreads (CDS) over a number of observations N in the period 01/2003–07/2007:

$$\min_{\bar{L}_i}\sum_{n=1}^N \widehat{(\mathcal{CDS}_{i,n}(\bar{L}_i)-\mathcal{CDS}_{i,n})^2}$$

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$$\min_{\bar{L}_i} \sum_{n=1}^{N} (\widehat{CDS}_{i,n}(\bar{L}_i) - CDS_{i,n})^2$$

		Whole	Sample P	eriod		Pre-C	Crisis Period	d	Crisis	Period	Post	Crisis Period
Ival	Ñ	Ī	cRMSE	ME	RMSE	ME	RMSE		ME	RMSE	ME	RMSE
50	16	1.053	40.97	20.14	159.70	-9.17	46.92		68.38	246.92	30.48	141.67
10	76	1.070	39.80	20.60	158.14	-8.90	44.79		69.16	246.30	31.05	138.96
	253	1.076	39.35	20.47	158.40	-8.84	44.71		68.85	246.89	30.54	138.76
	757	1.077	38.93	19.94	158.77	-8.93	44.72		67.84	247.60	29.27	138.75

Constant default barrier

Determine *L_i* by minimizing the sum of squared errors between model (*CDS*) and market spreads (*CDS*) over a number of observations *N* in the period 01/2003–07/2007:

$$\min_{ar{L}_i}\sum_{n=1}^N (\widehat{ extsf{CDS}}_{i,n}(ar{L}_i) - extsf{CDS}_{i,n})^2$$

	1	Whole	Sample P	eriod		Pre-C	Crisis Period	d	Crisis P	Period	Post-	Crisis Period
Ival	Ñ	Ī	cRMSE	ME	RMSE	ME	RMSE		ME R	MSE	ME	RMSE
50	16	1.053	40.97	20.14	159.70	-9.17	46.92		68.38 24	46.92	30.48	141.67
10	76	1.070	39.80	20.60	158.14	-8.90	44.79		69.16 24	46.30	31.05	138.96
	253	1.076	39.35	20.47	158.40	-8.84	44.71		68.85 24	46.89	30.54	138.76
	757	1.077	38.93	19.94	158.77	-8.93	44.72		67.84 24	47.60	29.27	138.75

 Results very robust to choice of grid density. Reducing the interval from 50 to 10 slightly improves the estimates, therefore, focus on an interval of 10 in the following.

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	757	1.077	38.93	19.94	158.77	-8.93	44.72	67.84	247.60	29.27	138.75

- Results very robust to choice of grid density. Reducing the interval from 50 to 10 slightly improves the estimates, therefore, focus on an interval of 10 in the following.
- In the pre-crisis period the model underpredicts observed spreads due to nondefault components, like illiquidity, in line with the literature (Eom, Helwege, and Huang (2004), Longstaff (2004), Tang and Yan (2007)).

Time-varying default barrier

▷ Determine $\overline{L}_{i,t}$ daily by minimizing the sum of squared errors between model (\widehat{CDS}) and market spreads (CDS) based on a trailing window (with N = 5 and an interval between calibration points = 2):

$$\min_{\bar{L}_{i,t}}\sum_{n=1}^{N} (\widehat{CDS}_{i,n}(\bar{L}_{i,t}) - CDS_{i,n})^2$$

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	W	/hole San	nple Pe	riod				Period	C	risis Per	riod	Post	-Crisis I	Period
		p-value	Ī	ME	RMSE	Ī	ME	RMSE	Ī	ME	RMSE	Ī	ME	RMSE
All	-7.95E+07	0.97	1.133	-4.10	48.84	1.284	-0.87	11.35	0.935	-9.11	74.07	1.081	-3.36	37.48
Fin	-0.0004991	0.01	0.549	-1.92	76.67	0.616	-1.75	7.46	0.455	2.80	111.89	0.524	-14.02	129.38
Nonfin	-1.57E+08	0.95	1.232	-4.47	43.98	1.402	-0.71	12.03	1.013	-11.05	67.47	1.168	-1.68	22.08

▷ The default boundary generally lowers during the crisis and slopes upwards in economic recovery without necessarily closing up to pre-crisis levels.

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	W	/hole San				Pre-C			Cı	risis Per	iod	Post	-Crisis I	Period
	β	p-value	Ī	ME	RMSE	Ī	ME	RMSE	Ē	ME	RMSE	Ī	ME	RMSE
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- ▷ The default boundary generally lowers during the crisis and slopes upwards in economic recovery without necessarily closing up to pre-crisis levels.
- \triangleright The average percentage decrease of \overline{L} is about 25% over all sectors.

Time-varying default barrier

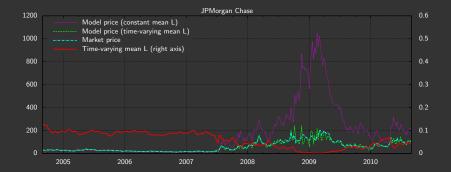
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	W	/hole San	nple Pe	riod				Period	C	risis Pe	riod	Post	-Crisis I	Period
		p-value	Ī	ME	RMSE	Ī	ME	RMSE	Ī	ME	RMSE	Ī	ME	RMSE
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- ▷ The default boundary generally lowers during the crisis and slopes upwards in economic recovery without necessarily closing up to pre-crisis levels.
- \triangleright The average percentage decrease of \overline{L} is about 25% over all sectors.
- \triangleright However, a trend regression of daily percentage changes of \overline{L} against time points *t* reveals a significant negative trend only in the case of financials, not for the other companies.

Time-varying default barrier



The Value of Implicit Guarantees

Default barrier with a regime shift

▷ The level of \overline{L} can change exactly once from \overline{L}_1 to \overline{L}_2 at split date t_2 . The estimation window ranges from 01/2004–12/2009 with a grid interval of 10. The minimization problem under these assumptions becomes:

$$\min_{\tilde{L}_{i,1}, \tilde{L}_{i,2}, t_{i,2}} \sum_{n=1}^{N} (\widehat{\textit{CDS}}_{i,n}(\tilde{L}_{i,1}) - \textit{CDS}_{i,n})^2 \, \iota_{\{\tau_{i,n} < t_{i,2}\}} + (\widehat{\textit{CDS}}_{i,n}(\tilde{L}_{i,2}) - \textit{CDS}_{i,n})^2 \, \iota_{\{\tau_{i,n} \ge t_{i,2}\}}$$

		Wh	ole Sample F	Period		Pre-Cr	isis Period	l Crisis	Period	Post-C	risis Period	1
	\overline{L}_1	\overline{L}_2					RMSE		RMSE		RMSE	
All	1.056	0.920	09/30/2008	-14.84	91.96	-6.68	53.74	-10.01	110.24	-60.63	125.71	Γ,
Fin	0.465	0.246	11/04/2008	-26.16	124.73	-16.86	39.84	-21.41	171.21	-81.82	258.29	
Nonfin	1.159	1.038	09/30/2008	-12.90	86.24	-4.84	56.17	-8.14	99.60	-57.30	103.43	

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	Whole Sample Period					Pre-Crisis Period		Crisis	Crisis Period		Post-Crisis Period	
	\overline{L}_1	\overline{L}_2	Median t_2				RMSE		RMSE		RMSE	
All	1.056	0.920	09/30/2008	-14.84	91.96	-6.68	53.74	-10.01	110.24	-60.63	125.71	
Fin	0.465	0.246	11/04/2008	-26.16	124.73	-16.86	39.84	-21.41	171.21	-81.82	258.29	
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The median split date falls well within the tumultuous period following the bankruptcy of Lehman Brothers on 09/15/2008.

Default barrier with a regime shift

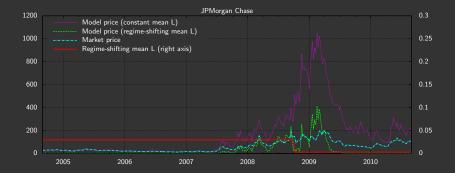
▷ The level of \overline{L} can change exactly once from \overline{L}_1 to \overline{L}_2 at split date t_2 . The estimation window ranges from 01/2004–12/2009 with a grid interval of 10. The minimization problem under these assumptions becomes:

$$\min_{\tilde{L}_{i,1}, \tilde{L}_{i,2}, t_{i,2}} \sum_{n=1}^{N} \left(\widehat{\textit{CDS}}_{i,n}(\tilde{L}_{i,1}) - \textit{CDS}_{i,n}\right)^2 I_{\{\tau_{i,n} < t_{i,2}\}} + \left(\widehat{\textit{CDS}}_{i,n}(\tilde{L}_{i,2}) - \textit{CDS}_{i,n}\right)^2 I_{\{\tau_{i,n} \ge t_{i,2}\}}$$

	Whole Sample Period					Pre-Crisis Period		Crisis	Crisis Period		Post-Crisis Period	
	\overline{L}_1	\overline{L}_2	Median t_2				RMSE		RMSE		RMSE	
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- The median split date falls well within the tumultuous period following the bankruptcy of Lehman Brothers on 09/15/2008.
- ▷ The post-crisis period is poorly fitted with negative mean errors, suggesting a second upward regime shift around mid 2009.

Default barrier with a regime shift



The Value of Implicit Guarantees

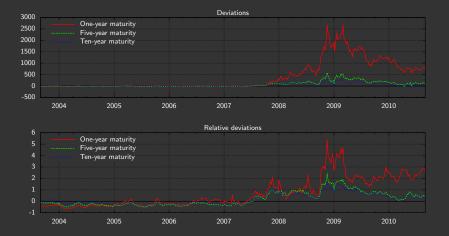
Term structure of deviations



Relative deviations



Term structure of deviations



 \triangleright The anticipation of bailouts matters most to short-term investors.

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