Competitive Search: A Test for Direction and Efficiency

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What is done

Estimation of Moen's Competitive Search Model Workers and employers search in segmented markets High-productivity firms in markets that pay high wages Workers know where these markets are (but not where the firms are) High-wage markets have long queues Allocation is efficient: surplus sharing rule determined by elasticity of the matching function

Wages and Unemployment Durations

Workers are identical And they are indifferent across submarkets: higher wages versus longer unemployment durations Indifference implies a linear relationship between wages and (expected) durations:

 $w_i = a_0 + a_1 D_i$

$$a_{0} = rU$$

$$a_{1} = (r+s)(rU-z)$$

$$D_{i} = \frac{1}{p(\theta_{i})}$$

Evidence from Previous Literature

Displaced workers looking for new jobs

- Ionger durations associated with lower wages
- controls for unobserved heterogeneity
- (if the wage on the previous job is an accurate measure of productivity in the next job)

Labor Force Entrants (Eckstein and Wolpin)

- duration to first job negatively related to the accepted wage
 - (within education/race groups)

Estimation

Measure wages and unemployment durations in CPS (March 2006) Estimate a mixture of exponential durations, with 8 components

Wages are constant within submarkets, with normally distributed measurement error Estimate a mixture of normal distributions, with 8 components The variance of the measurement error is the same in each submarket

$$L_k = \sum_{i=1}^n \frac{p_i \lambda_i}{p_i + s} \left(\frac{1}{\sigma} \phi \left(\frac{W_k - \mu_i}{\sigma} \right) \right)^{E_k} \left(s \exp\left(-p_i D_k \right) \right)^{1 - E_k}$$

 λ_i proportion of the labor force in submarket *i* (steady state)

 E_k employment indicator

The distribution of incomplete durations in the stock of unemployed workers

is the same as the distribution of completed durations in the flow of job-finders

Submarkets



Estimation of the Matching Function

Estimation of the Hosios Condition, $\beta = \eta$ Elasticity of the Matching function Cobb-Douglas

$$M = Au^{1-\eta}v^{\eta}$$
$$p = A\left(\frac{v}{u}\right)^{\eta}$$

Estimate the job-finding rate p from unemployment data

Count the number of vacancies in JOLTS and the number unemployed in CPS Then

$$\eta = \frac{\log (p) - \log (A)}{\log (v) - \log (u)}$$

But A is not known, so this doesn't work In the paper, A = 1 is just assumed

Comments

The model doesn't link unemployment durations and wage outcomes for individual workers

- This could be done with NLSY data
- It might also be possible with matched CPS data

— Find workers who are employed in March, but unemployed in February

The model should be estimated separately for workers with different human capital levels

■ For example, high school men aged 35-45

Allow for unobserved heterogeneity in productivity

- Wages measured in efficiency units
- Each worker has an unobserved number of efficiency units
- This might give a positive relationship between wages and unemployment durations
- But it isn't clear that this relationship can be identified