

Risk Shocks

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Conference in honor of Tom Sargent and Chris Sims, May 2012

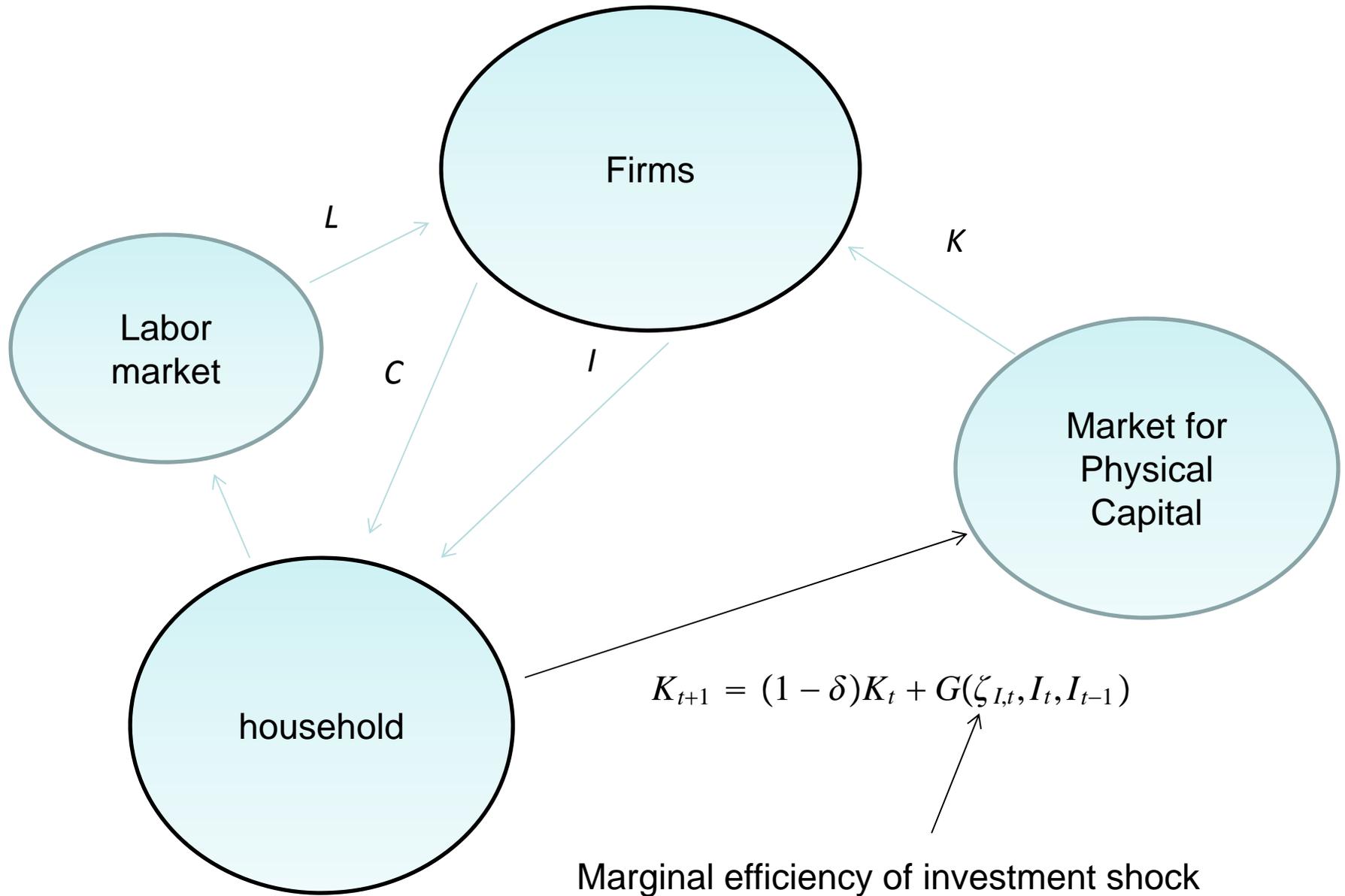
Finding

- Countercyclical fluctuations in the cross-sectional variance of a type of technology shock, when inserted into a widely-used business cycle model, can account for a substantial portion of economic fluctuations.
 - Complements empirical findings of Bloom (2009) and Kehrig (2011) suggesting greater cross-sectional dispersion in recessions.
 - Complements theory findings of Bloom (2009) and Bloom, Floetotto and Jaimovich (2009) which describe another way that increased cross-sectional dispersion can generate business cycles. Also: Williamson (1987), Arellano-Bai-Kehoe (2011).
- Model used in analysis:
 - A DSGE model, as in Christiano-Eichenbaum-Evans or Smets-Wouters
 - Financial frictions along the line suggested by BGG.

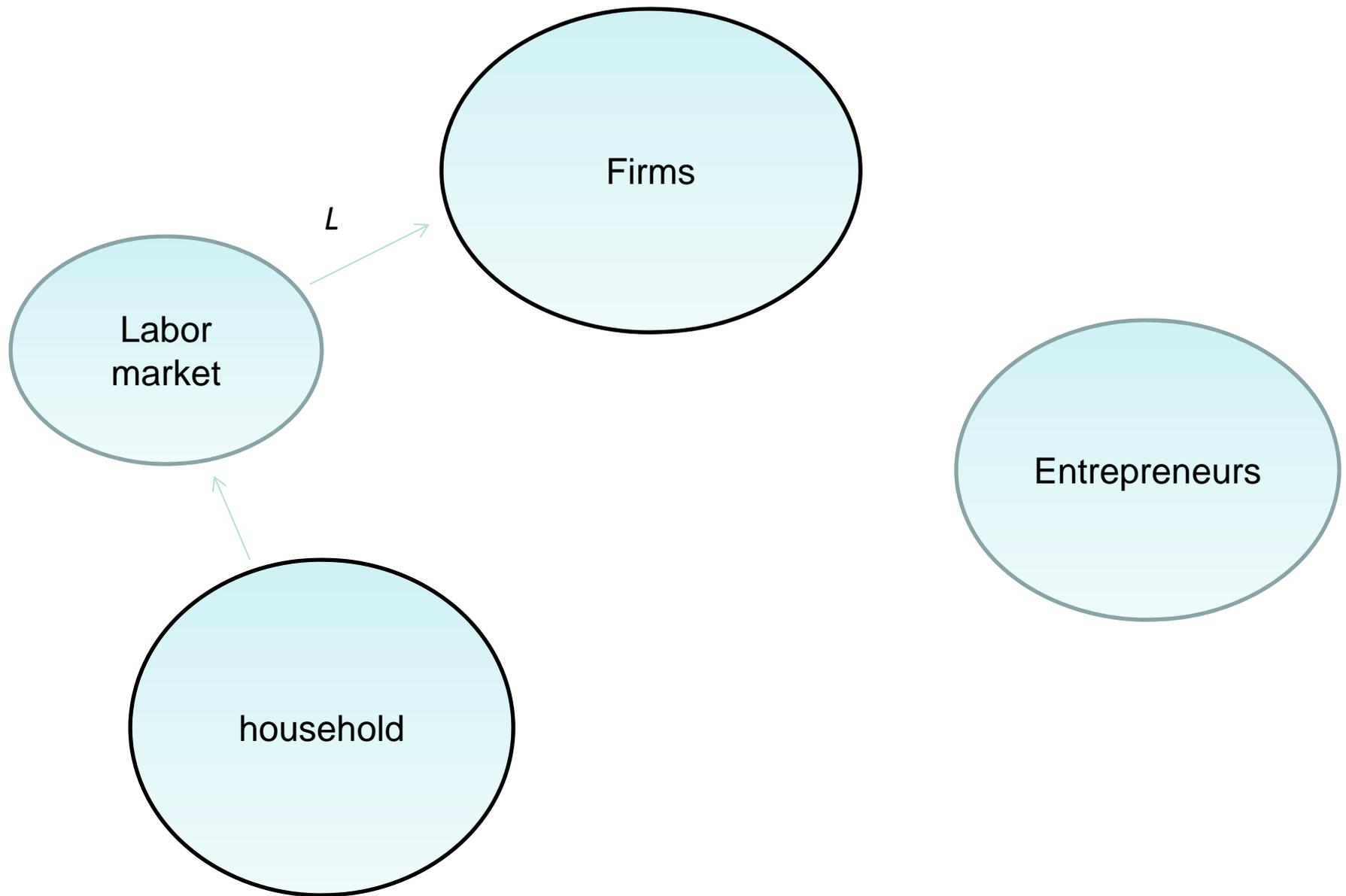
Outline

- Rough description of the model.
- Explanation of the basic results.
- Comparison with Bloom (2009)
 - Evaluation of findings using CRSP stock return data.

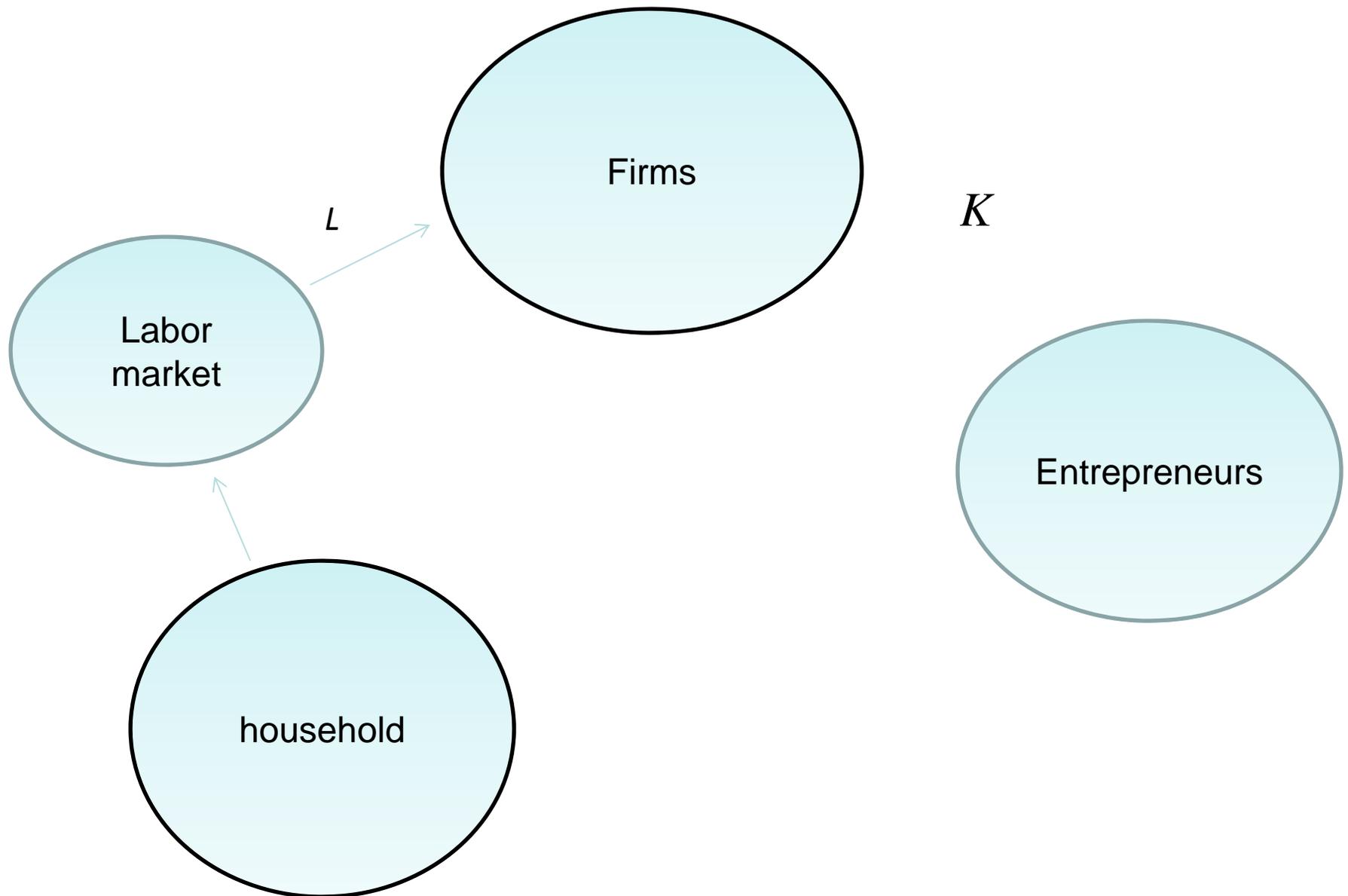
Standard Model



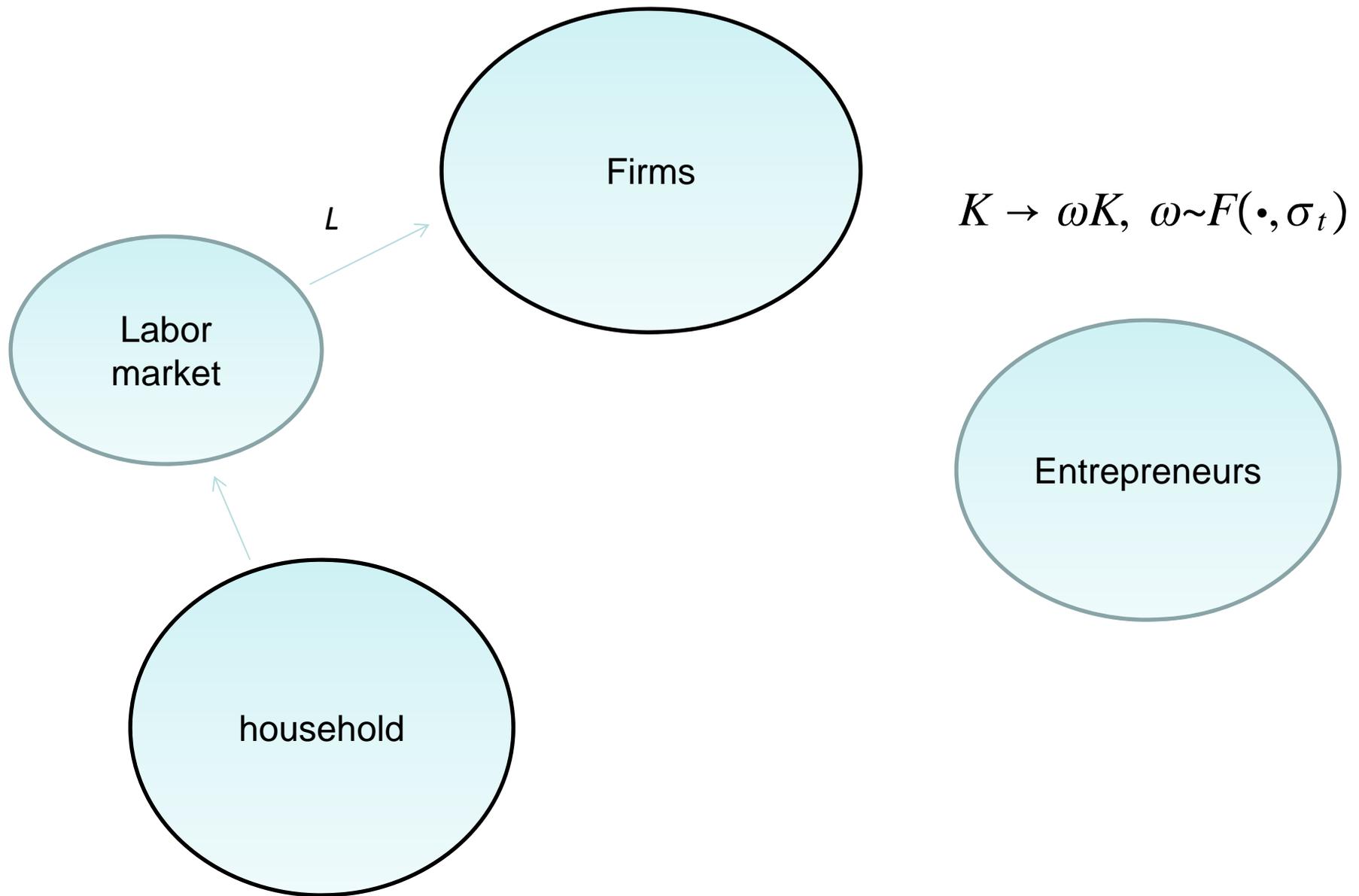
Standard Model with BGG



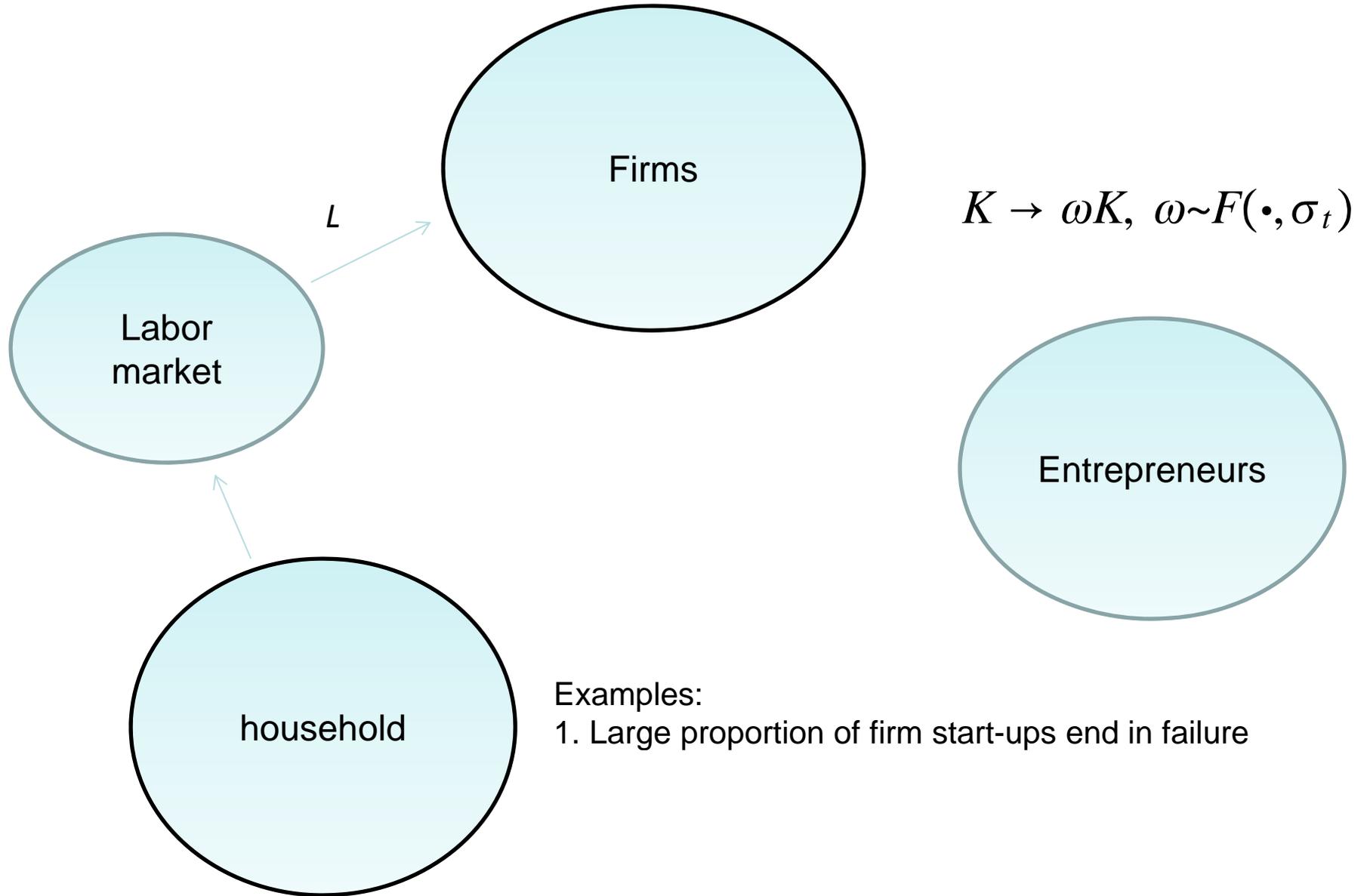
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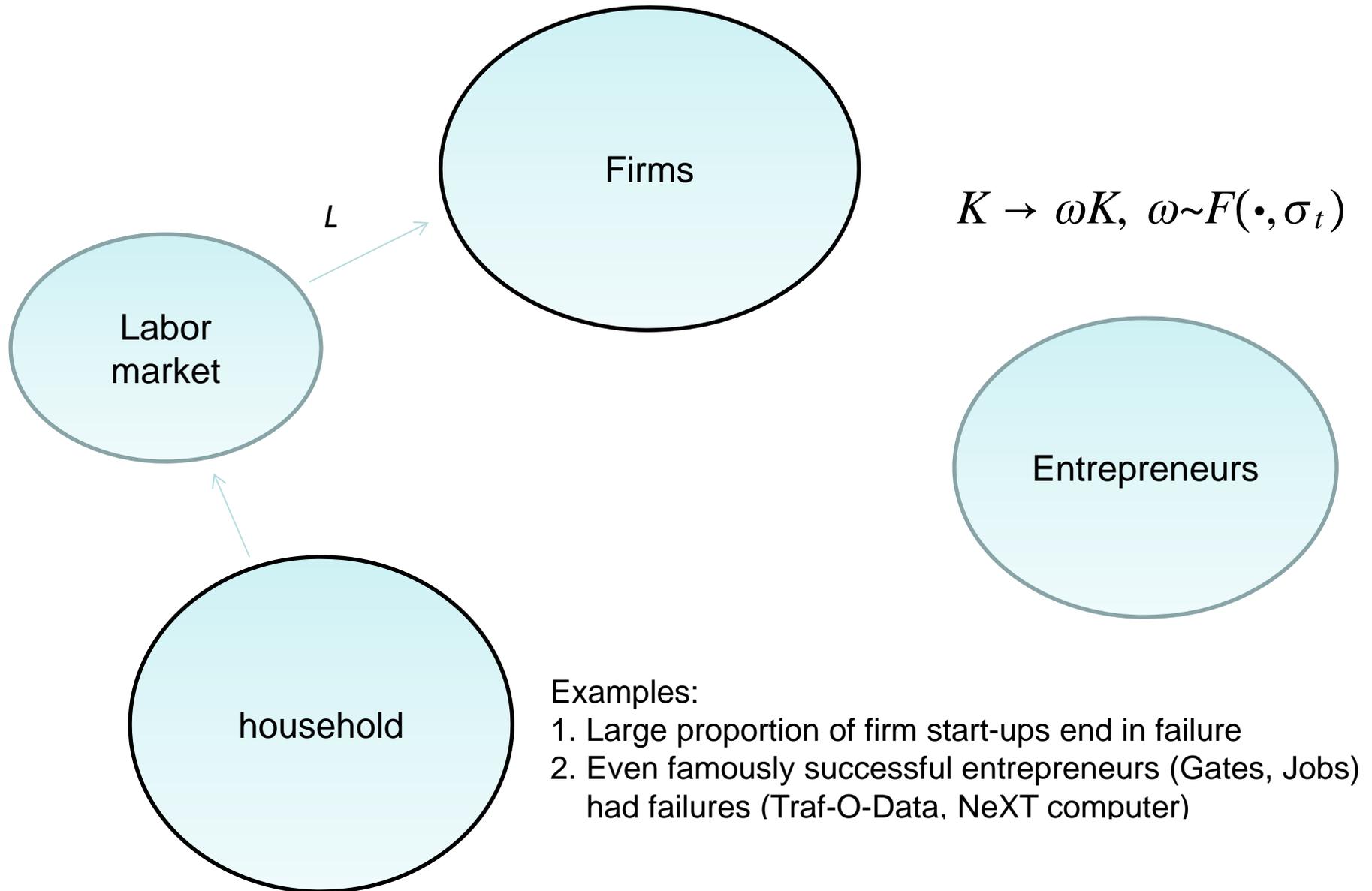
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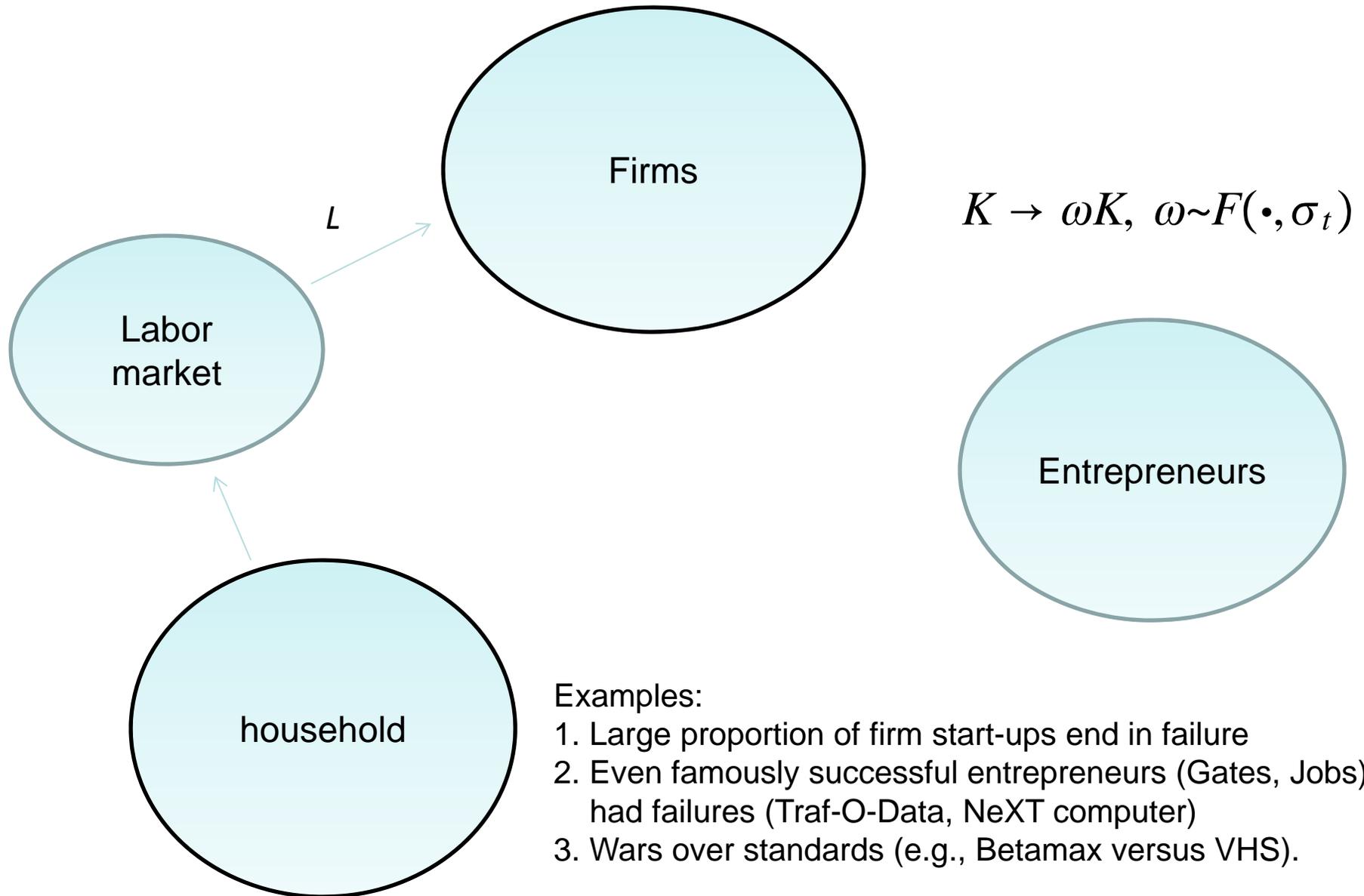
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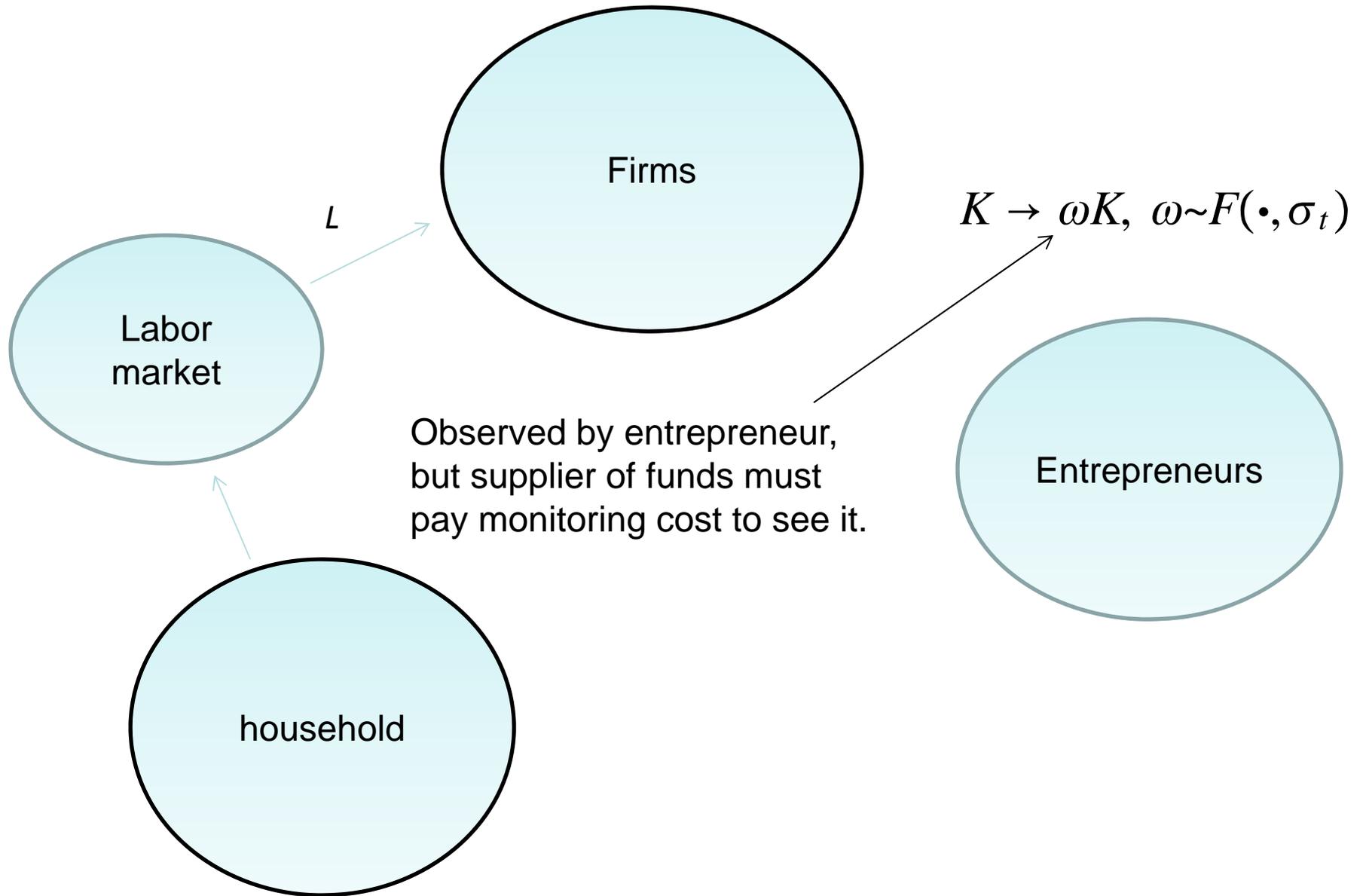
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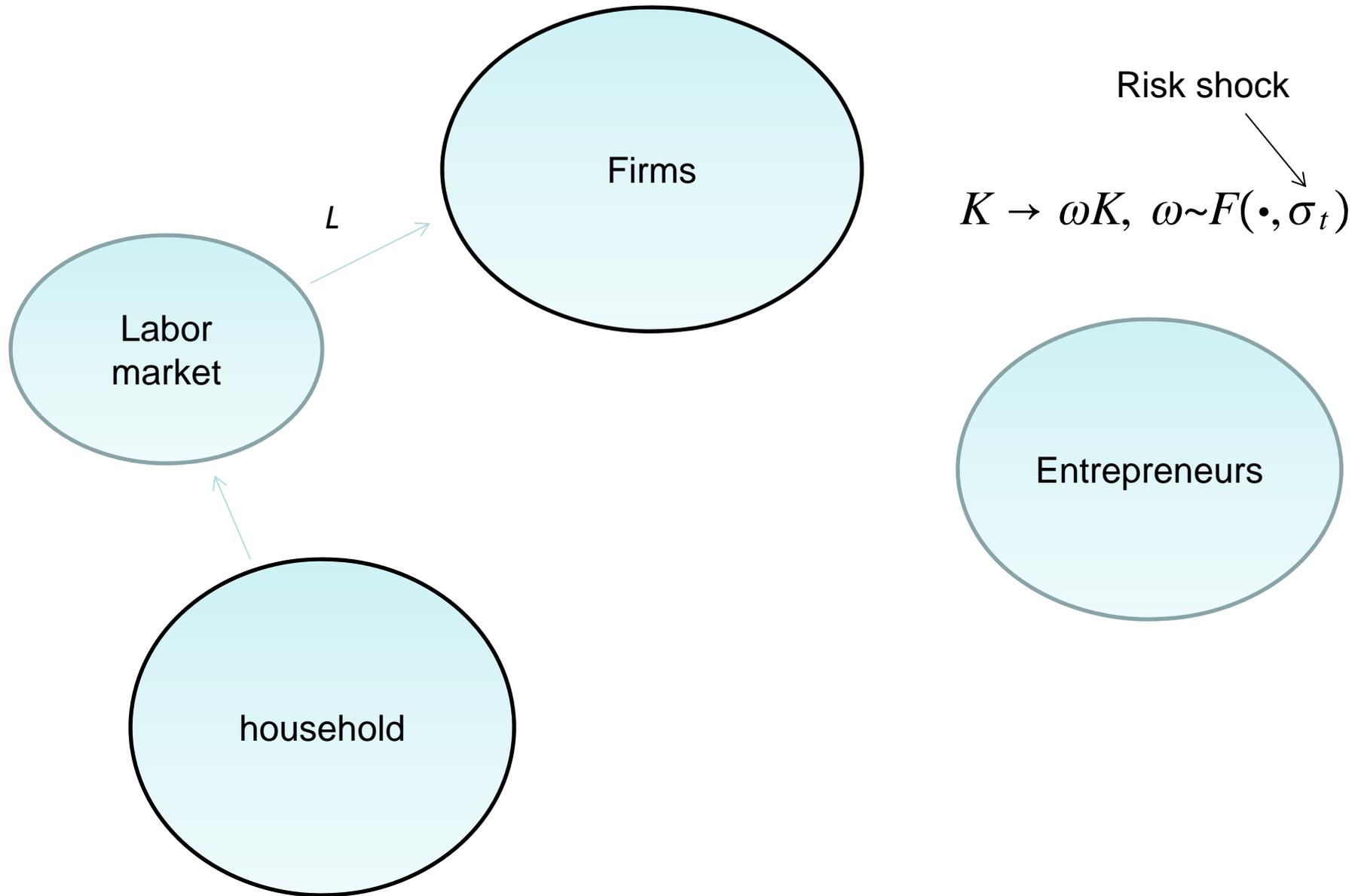
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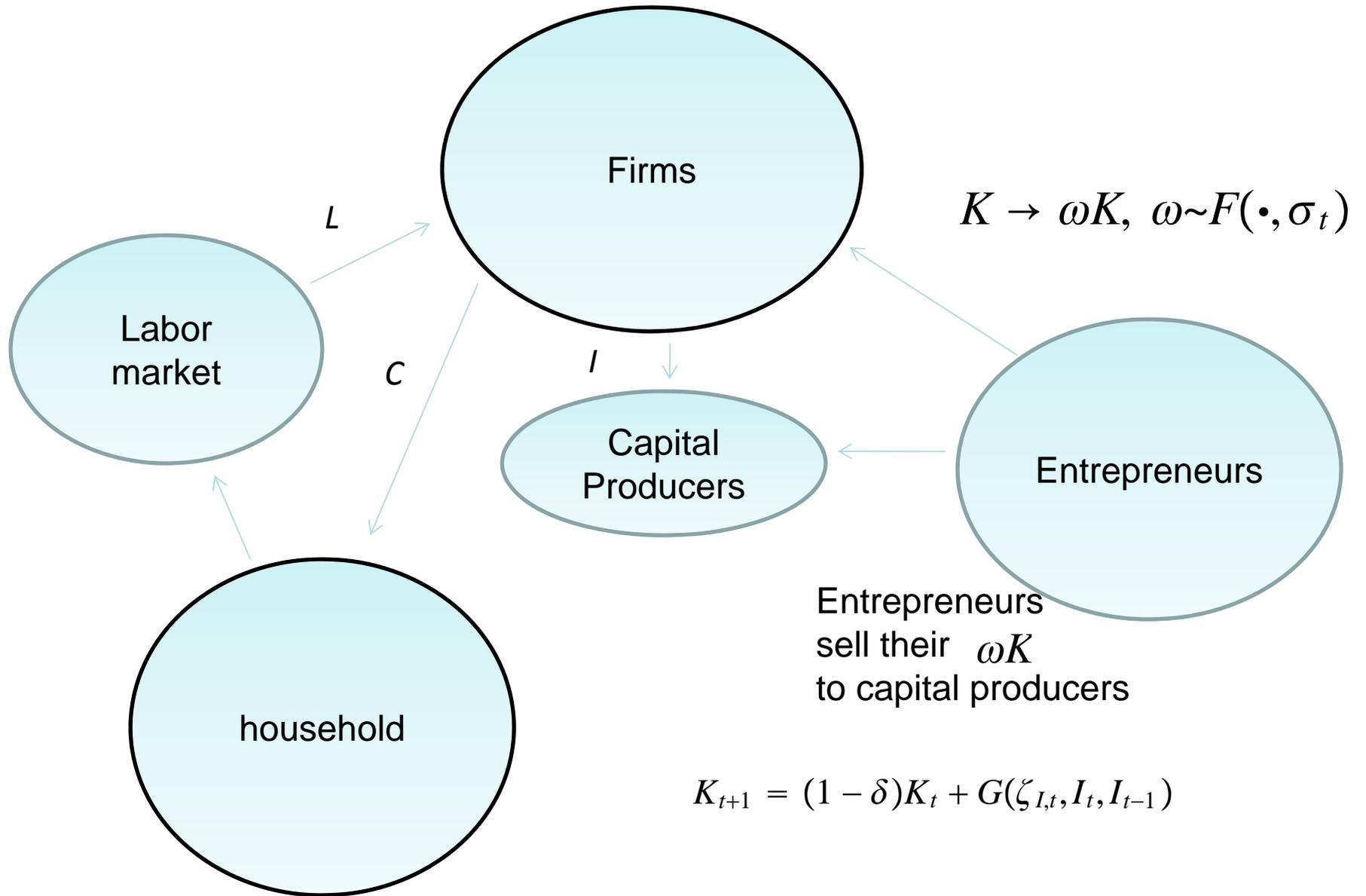
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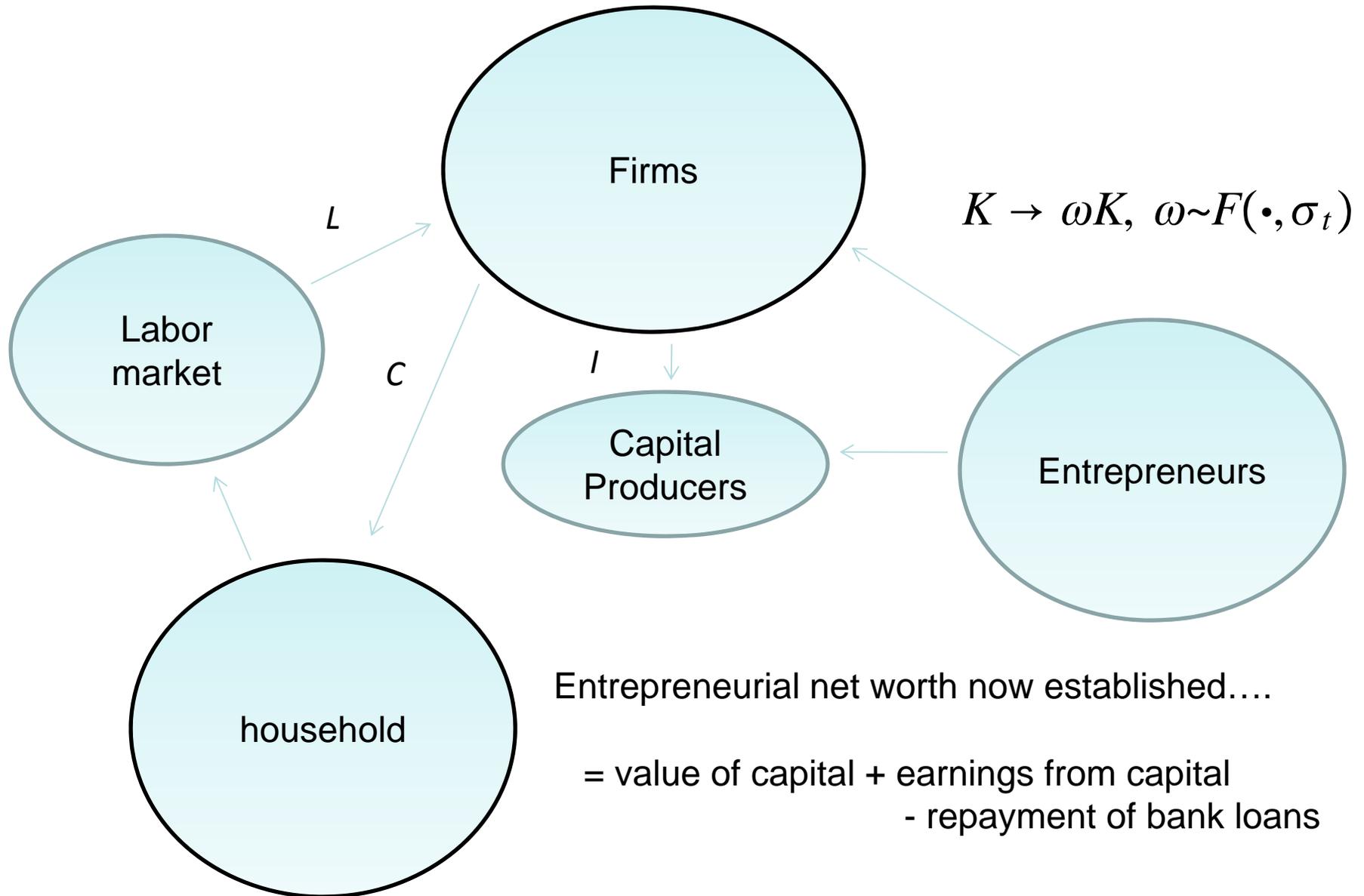
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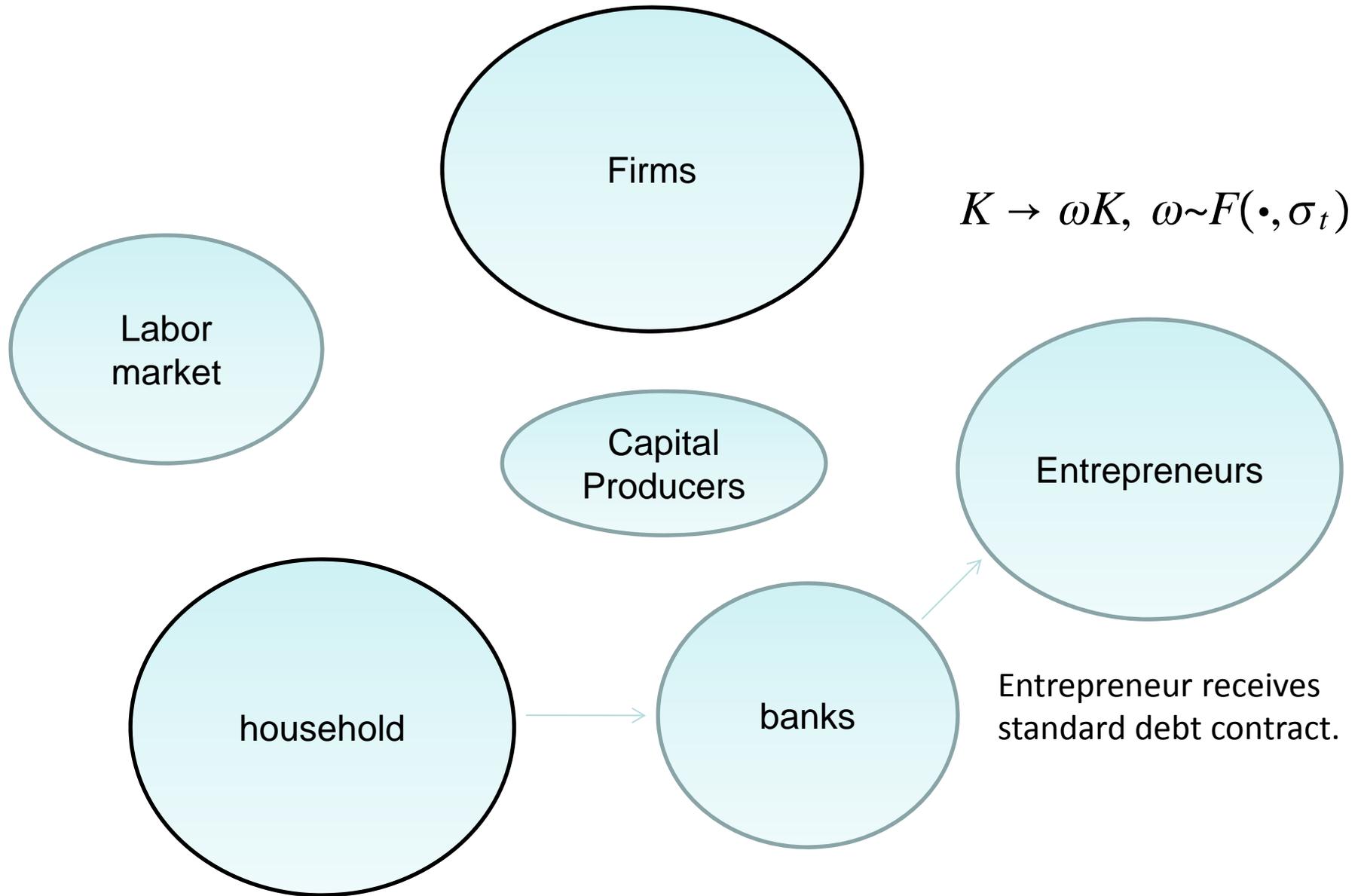
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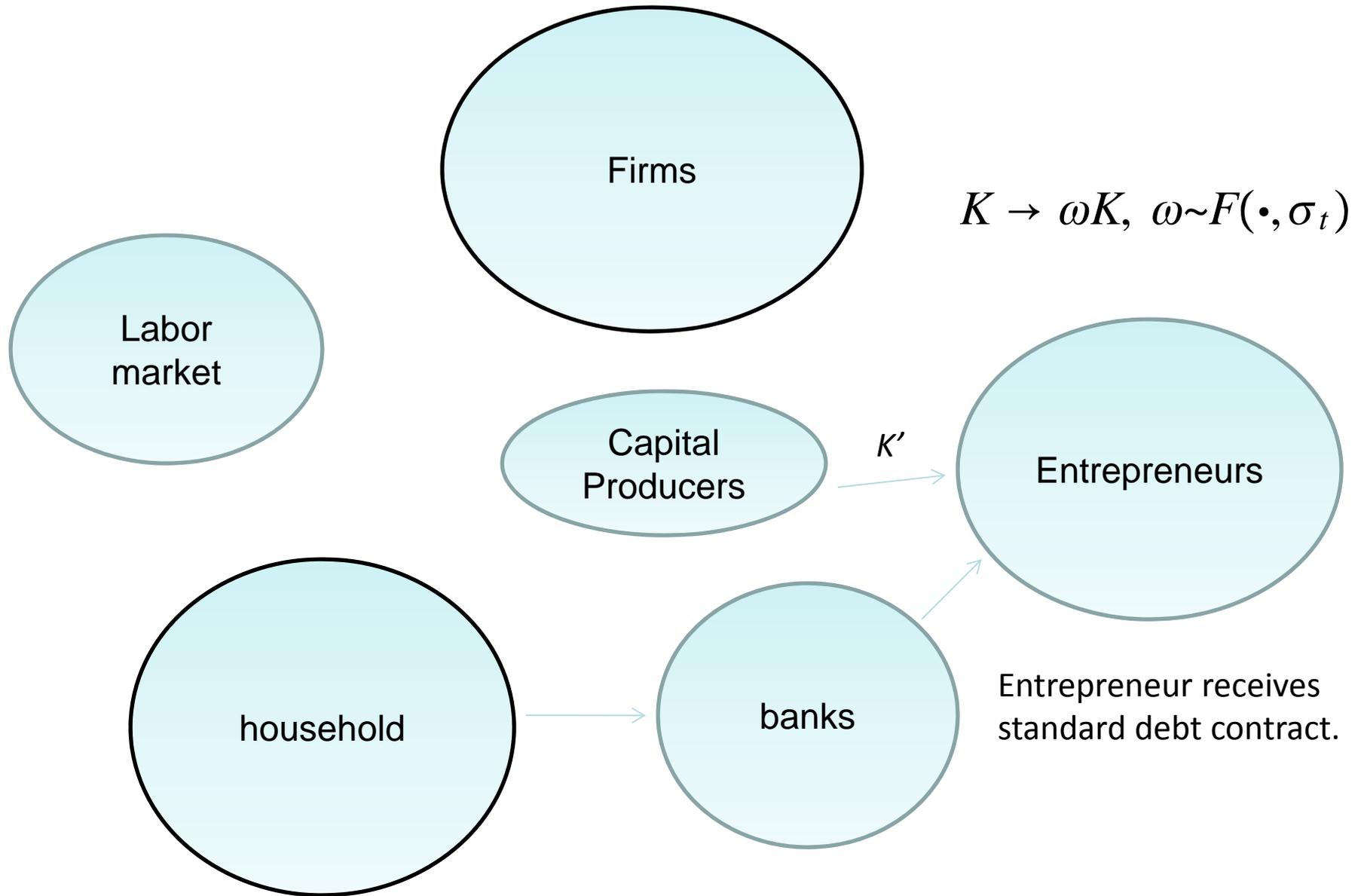
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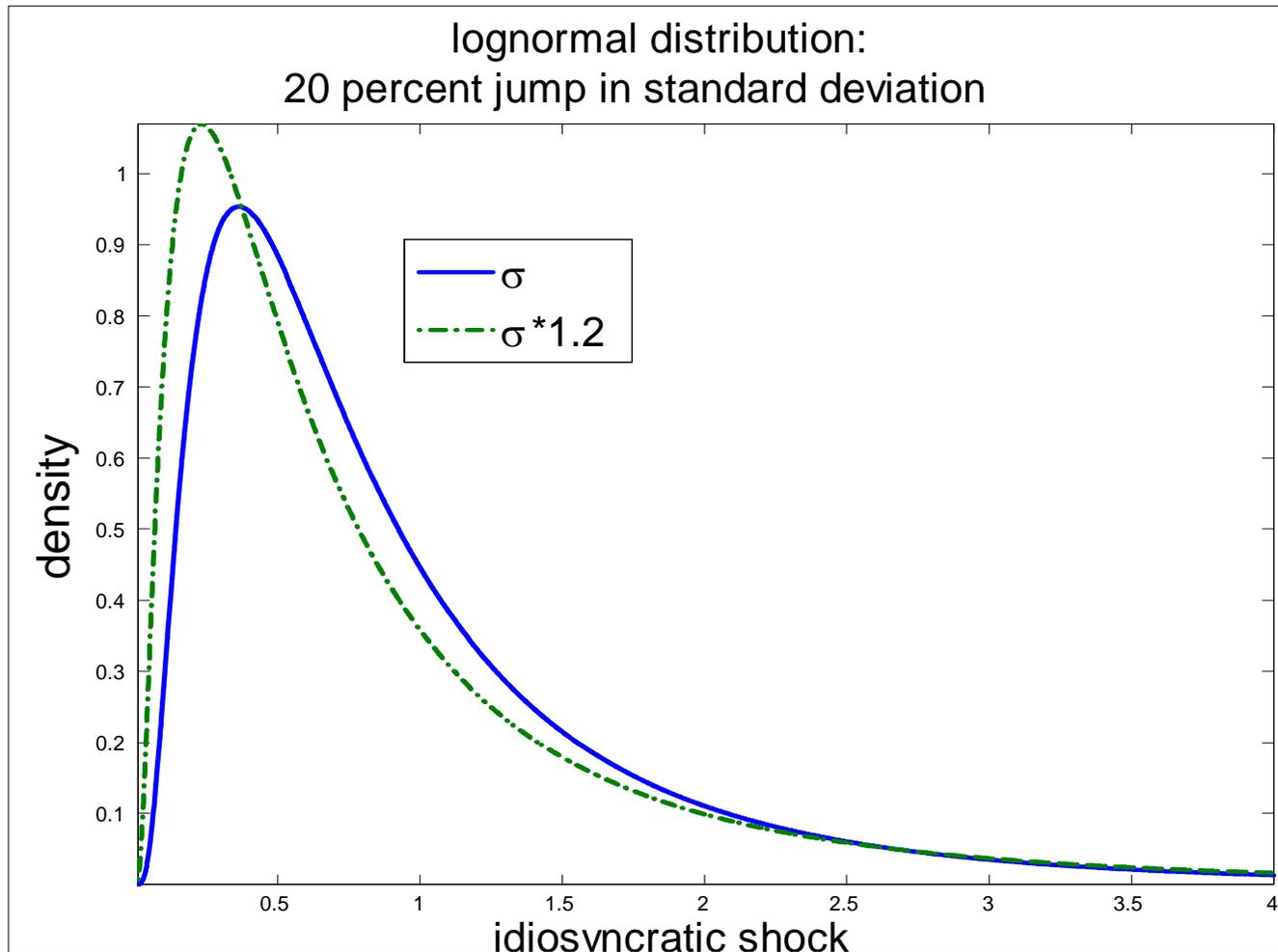


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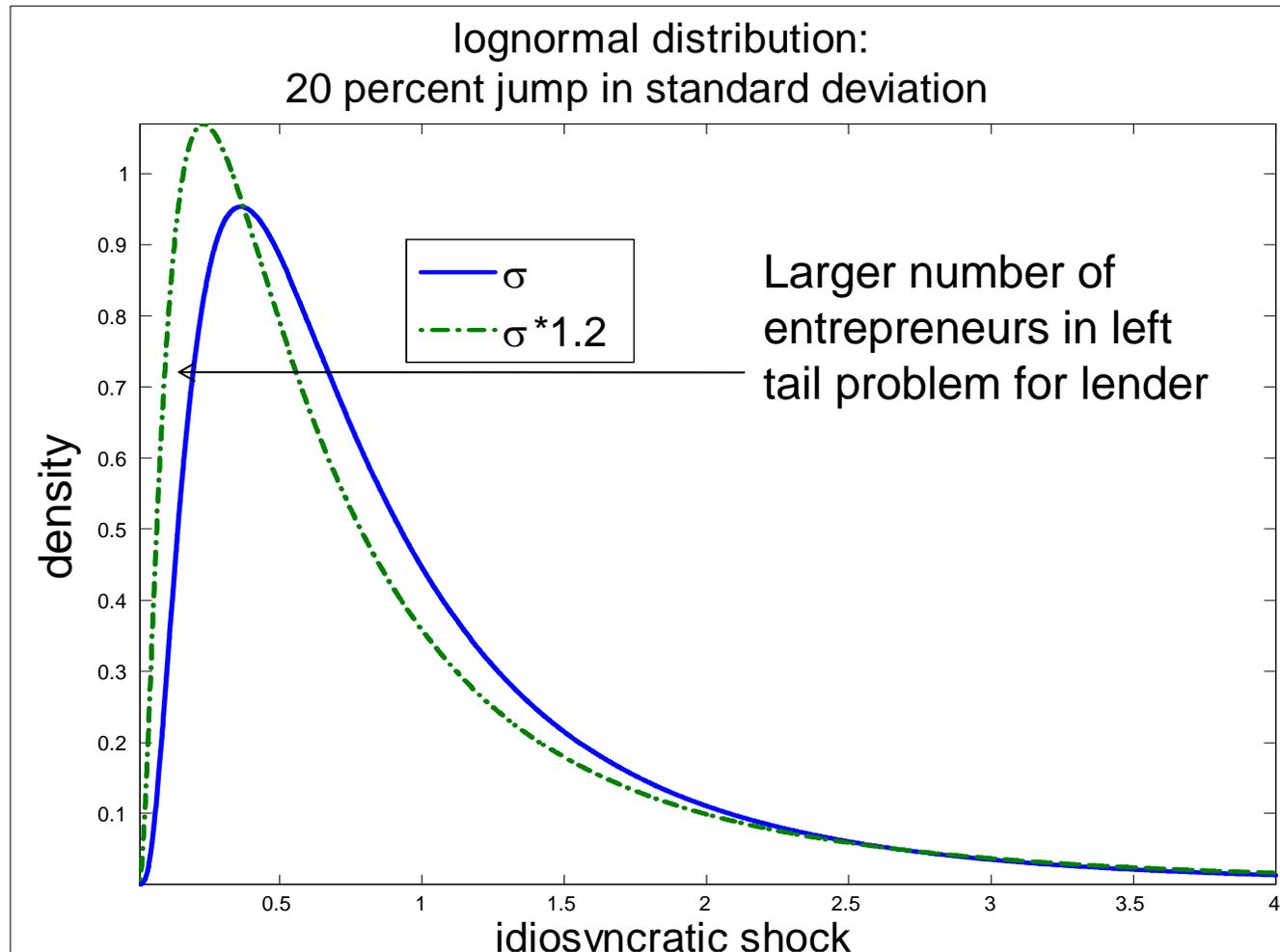


Economic Impact of Risk Shock

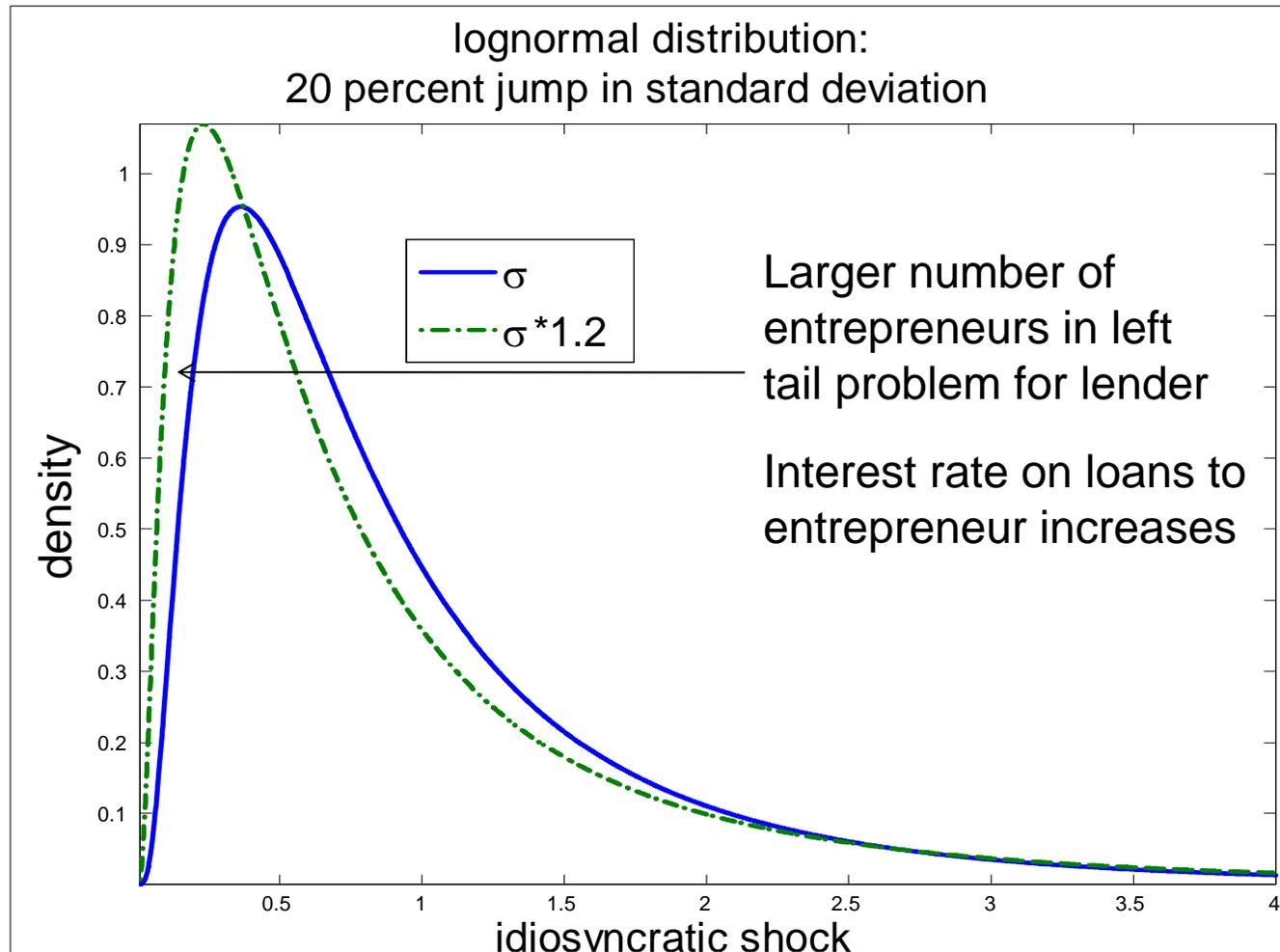
Economic Impact of Risk Shock



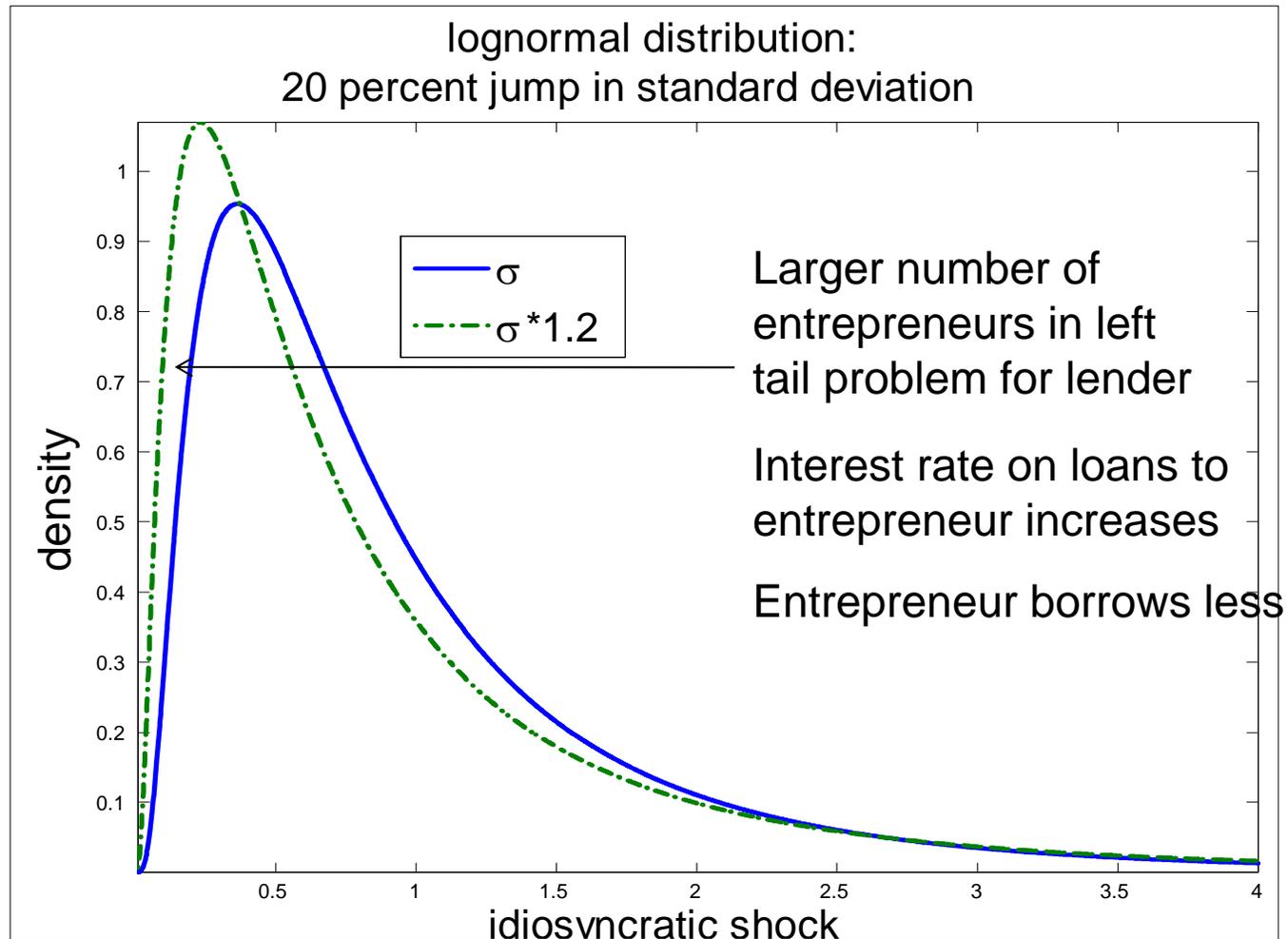
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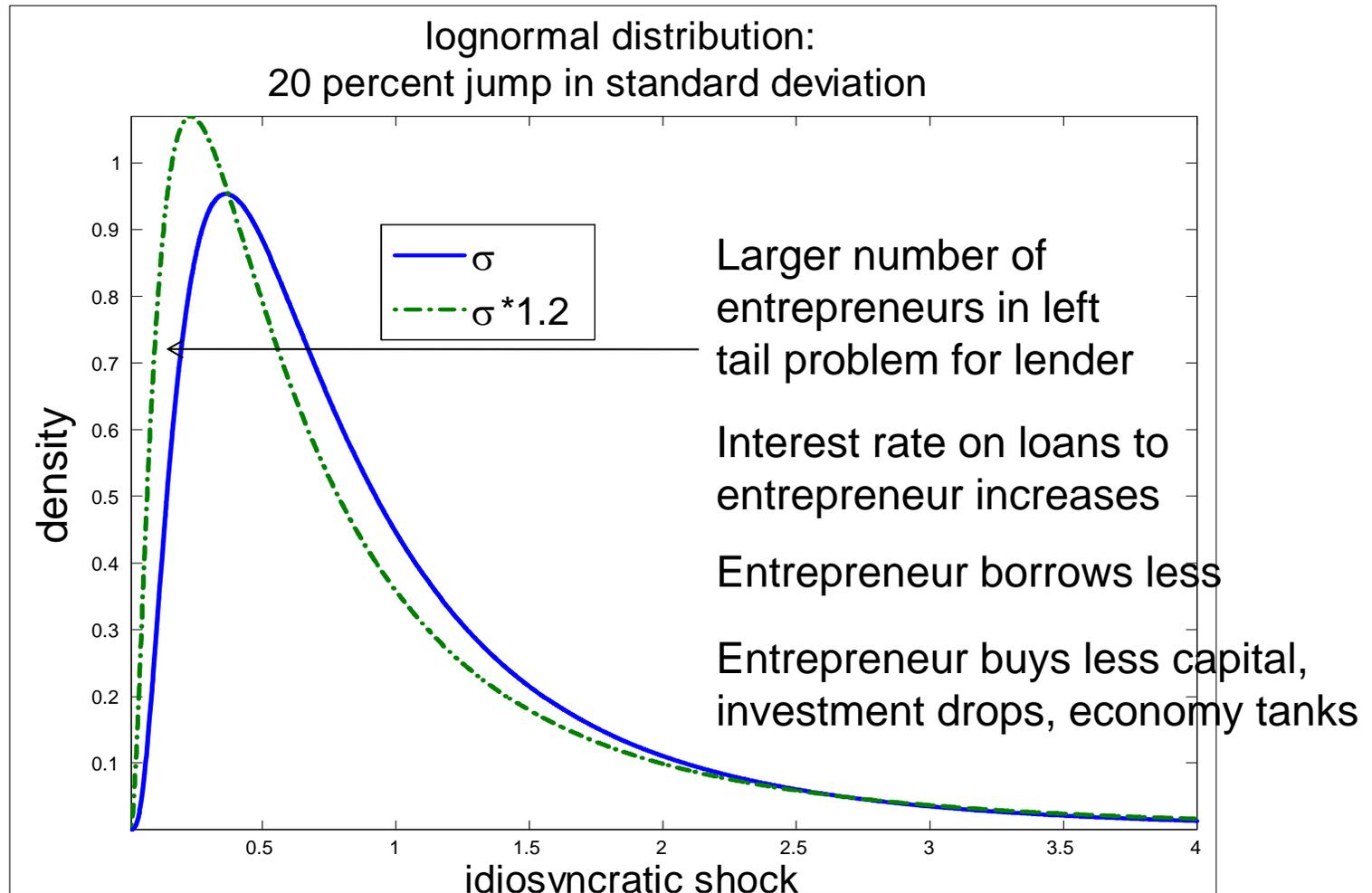
Economic Impact of Risk Shock



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Economic Impact of Risk Shock



Risk Shocks

- We assume risk has a first order autoregressive representation:

$$\hat{\sigma}_t = \rho \hat{\sigma}_{t-1} + \overbrace{u_t}^{\text{iid, univariate innovation to } \hat{\sigma}_t}$$

- Standard information assumption:
 - Agents become aware of u_t when it's realized.
- We assume that agents receive early information about u_t ('news').

Monetary Policy

- Nominal rate of interest function of:
 - Anticipated level of inflation.
 - Slowly moving inflation target.
 - Deviation of output growth from ss path.
 - Monetary policy shock.

12 Shocks

- Trend stationary and unit root technology shock.

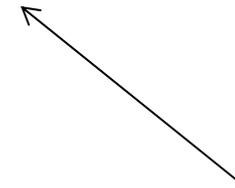
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$$\bar{K}_{t+1} = (1 - \delta)\bar{K}_t + G(\zeta_{i,t}, I_t, I_{t-1})$$

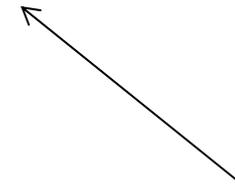


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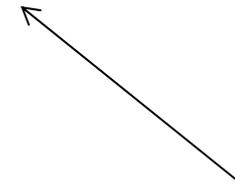


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- Monetary policy shock.
- Equity shock.

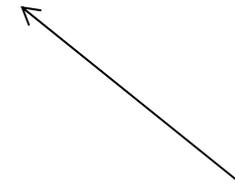


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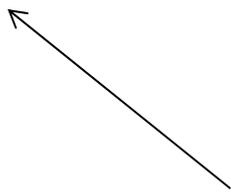
- Monetary policy shock.
- Equity shock.
- Risk shock.



12 Shocks

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- Monetary policy shock.
 - Equity shock.
 - Risk shock.
 - 6 other shocks.
- 

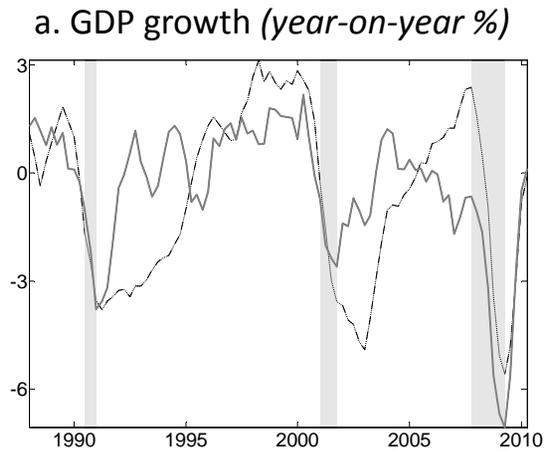
Inference

- Use standard macro data: consumption, investment, employment, inflation, GDP, price of investment goods, wages, Federal Funds Rate.
- Also some financial variables: BAA - 10 yr Tbond spreads, value of DOW, credit to nonfinancial business, 10 yr Tbond – Funds rate.
- Data: 1985Q1-2010Q2

Results

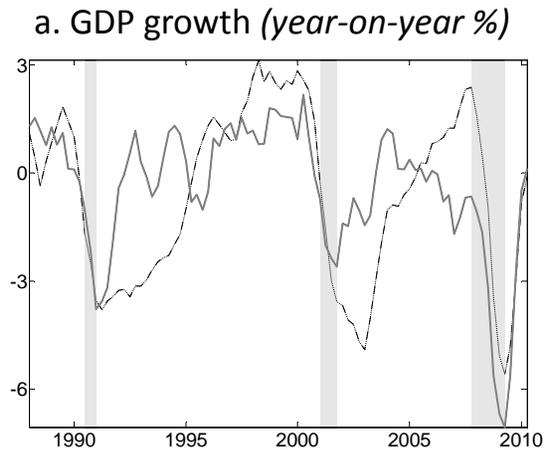
- Risk shock most important shock for business cycles.
- Quantitative measures of importance.
- *Why* are they important?
- Some Direct Evidence on Risk Shocks.

Figure 5: The Role of the Risk Shock in Selected Variables



Solid line: data when all shocks are fed to model.

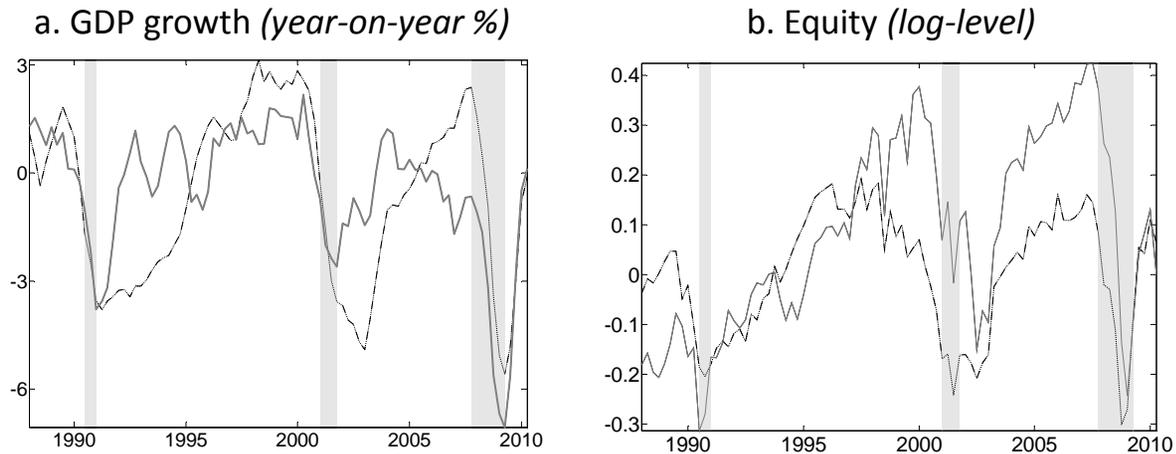
Figure 5: The Role of the Risk Shock in Selected Variables



Solid line: data when all shocks are fed to model.

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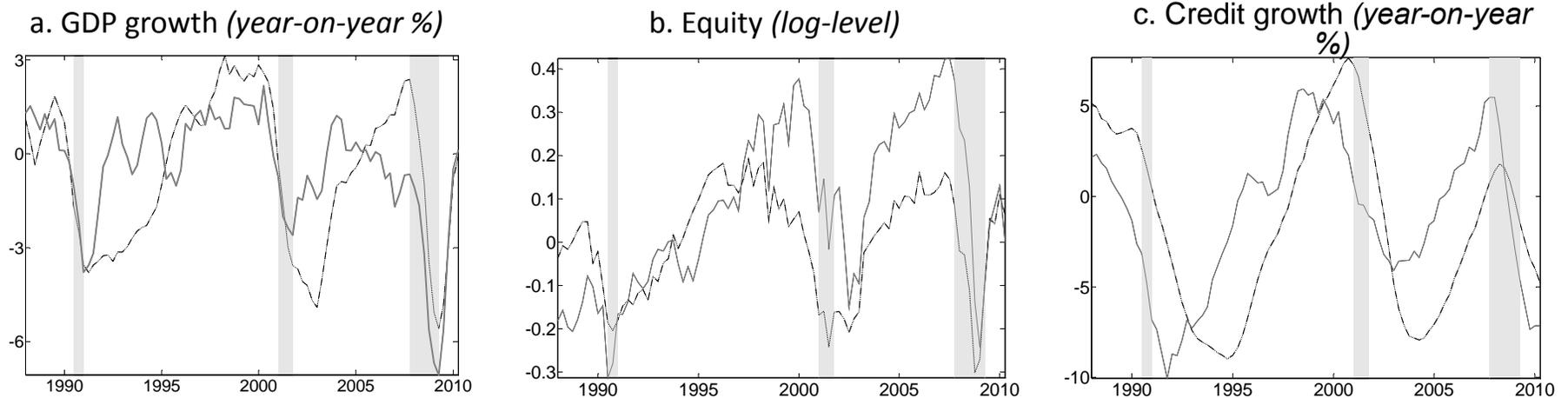
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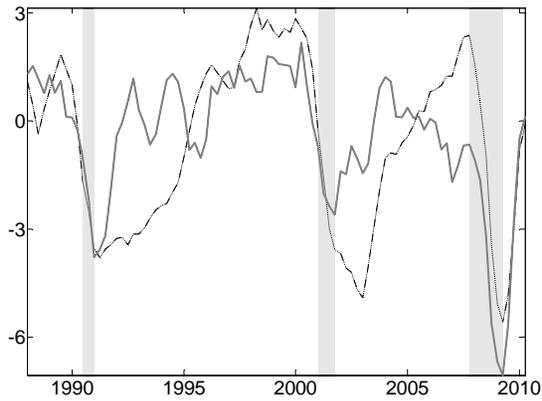


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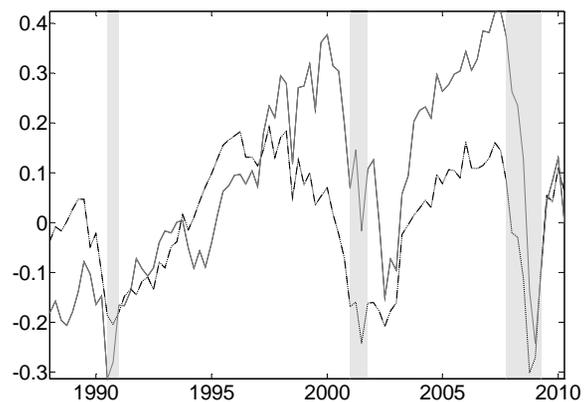
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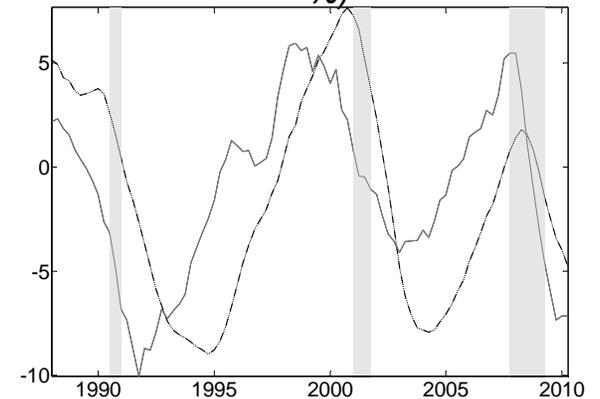
a. GDP growth (year-on-year %)



b. Equity (log-level)



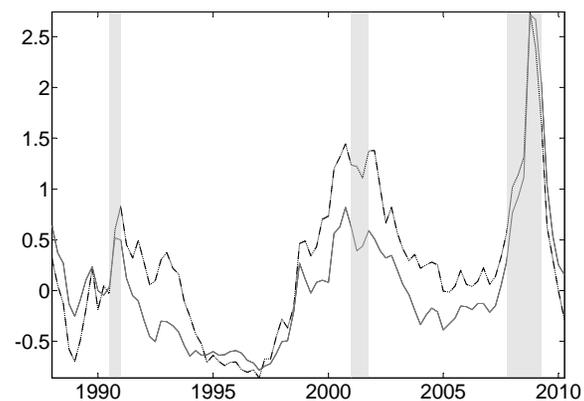
c. Credit growth (year-on-year %)



Solid line: data when all shocks are fed to model.

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e. Credit spread (p.p. per annum)



Percent Variance in Business Cycle Frequencies Accounted for by Risk Shock

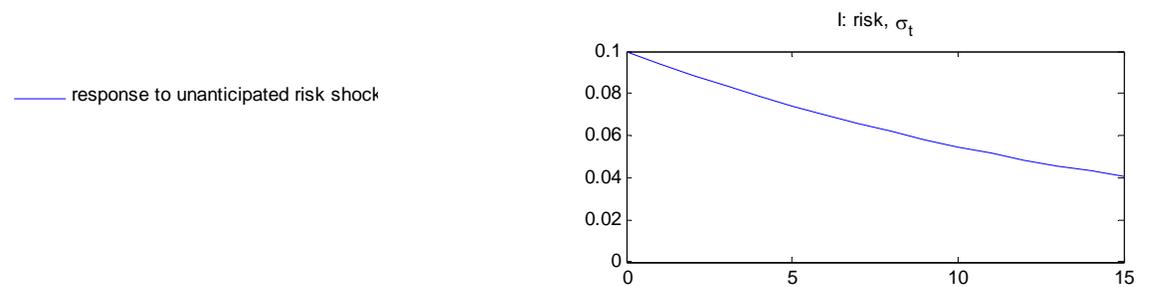
<i>variable</i>	<i>Risk, σ_t</i>
GDP	62
Investment	73
Consumption	16
Credit	64
Premium (Z – R)	95
Equity	69
$R^{10 \text{ year}} - R^{1 \text{ quarter}}$	56

Note: 'business cycle frequencies means' Hodrick-Prescott filtered data.

Why Risk Shock is so Important

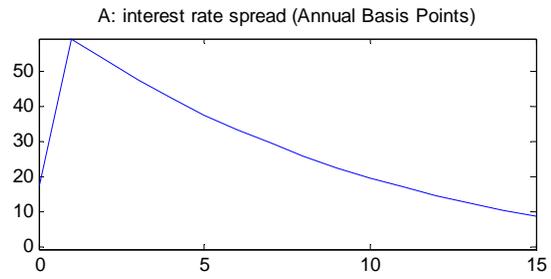
- In the model:
 - jump in risk, σ_t , generates a response that resembles a recession

Figure 3: Dynamic Responses to Unanticipated and Anticipated Components of Risk Shock

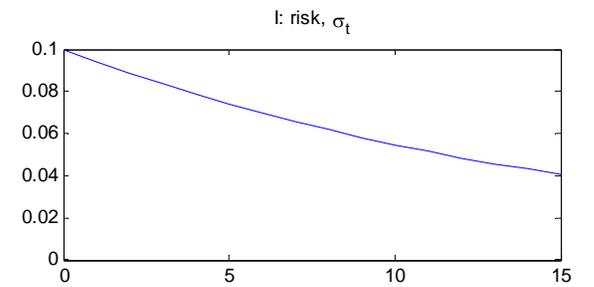


Looks like a business cycle

Figure 3: Dynamic Responses to Unanticipated and Anticipated Components of Risk Shock

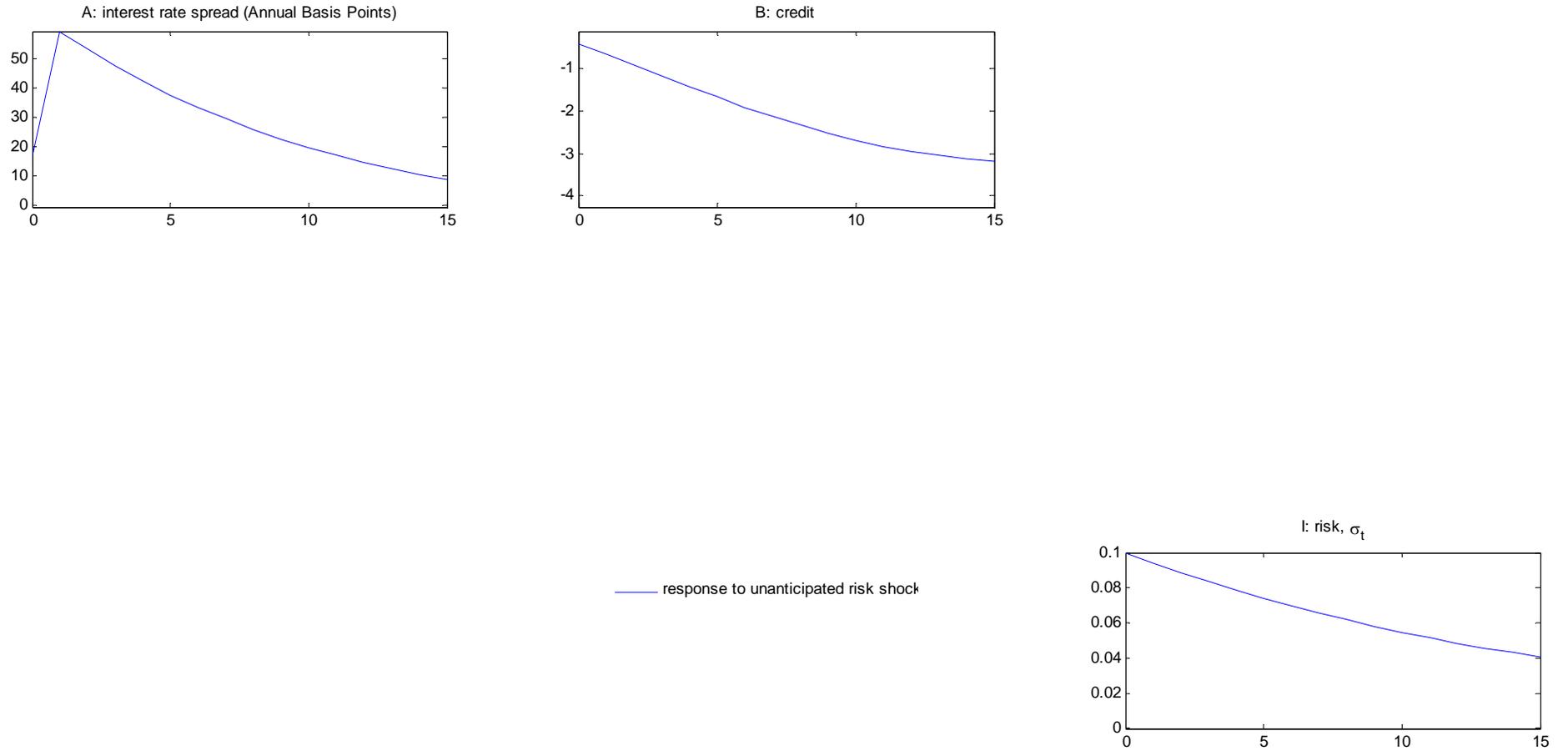


— response to unanticipated risk shock



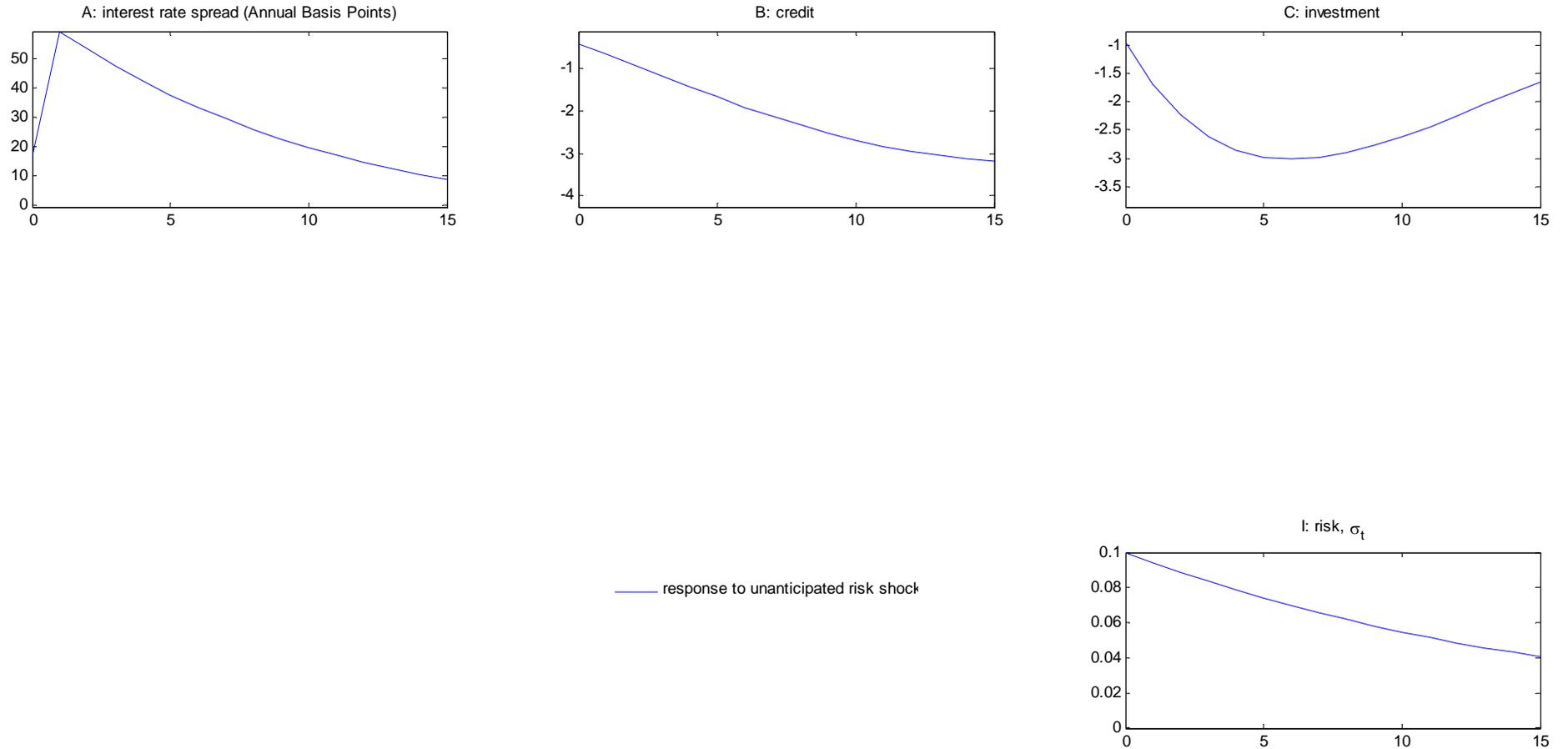
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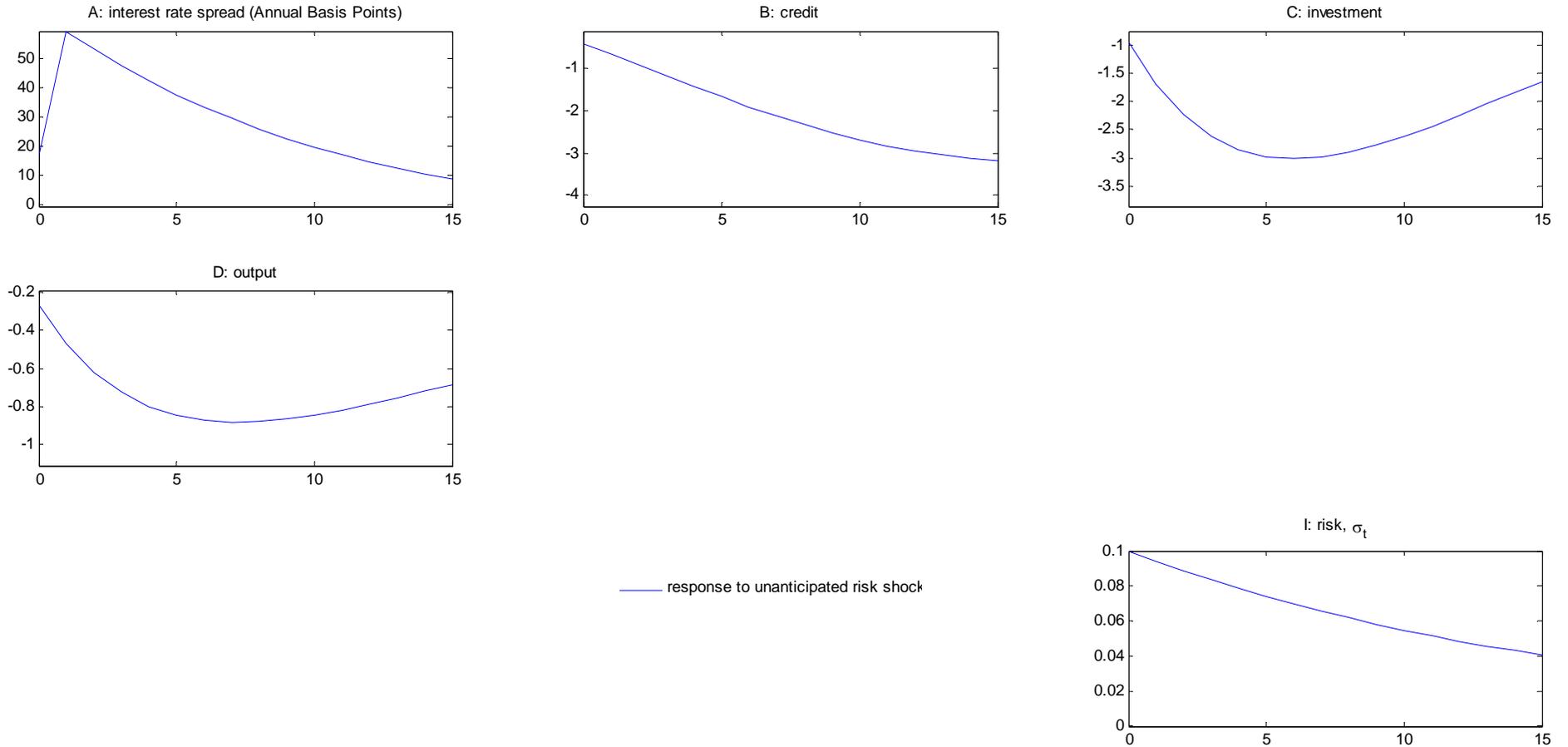
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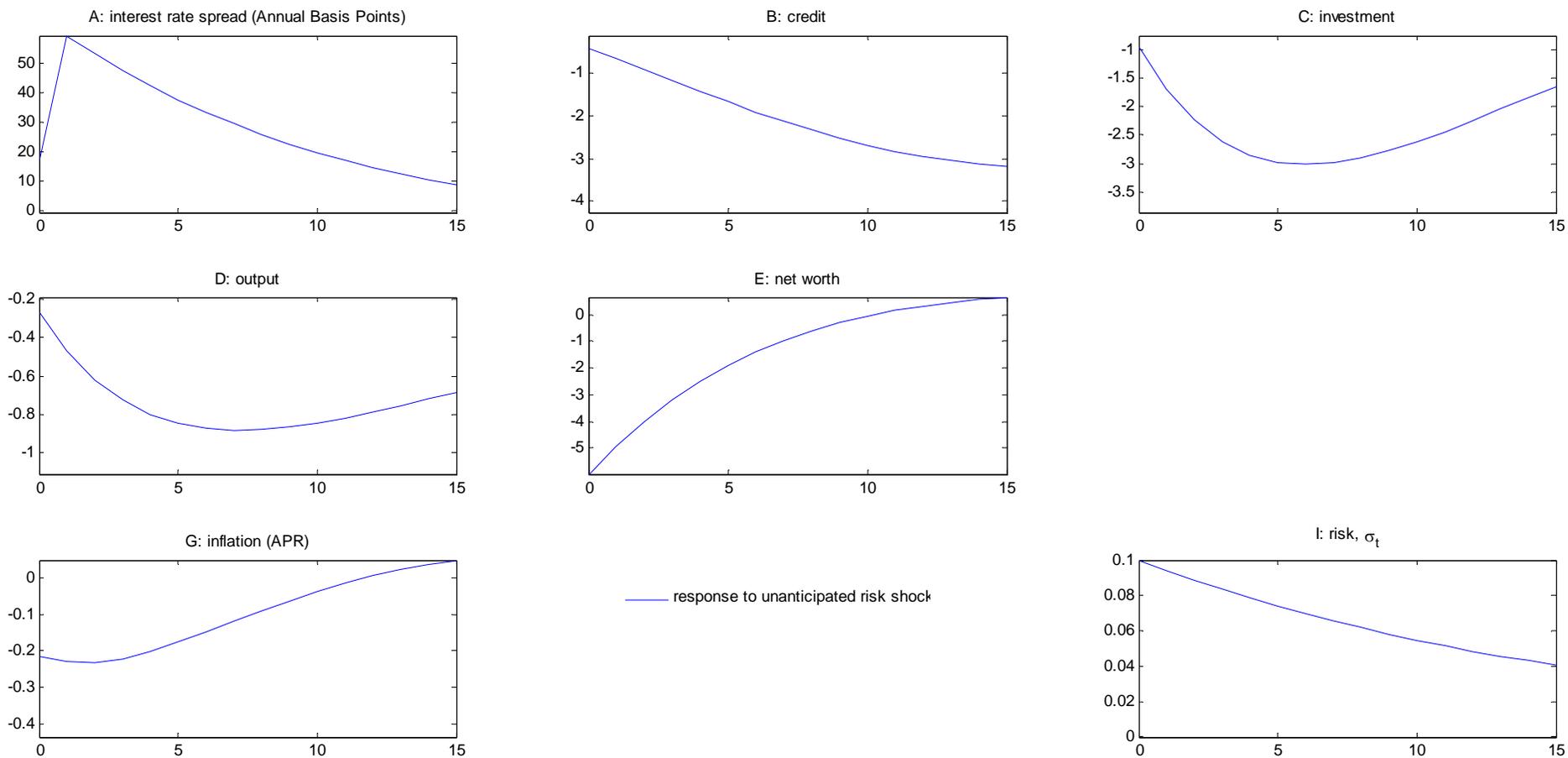
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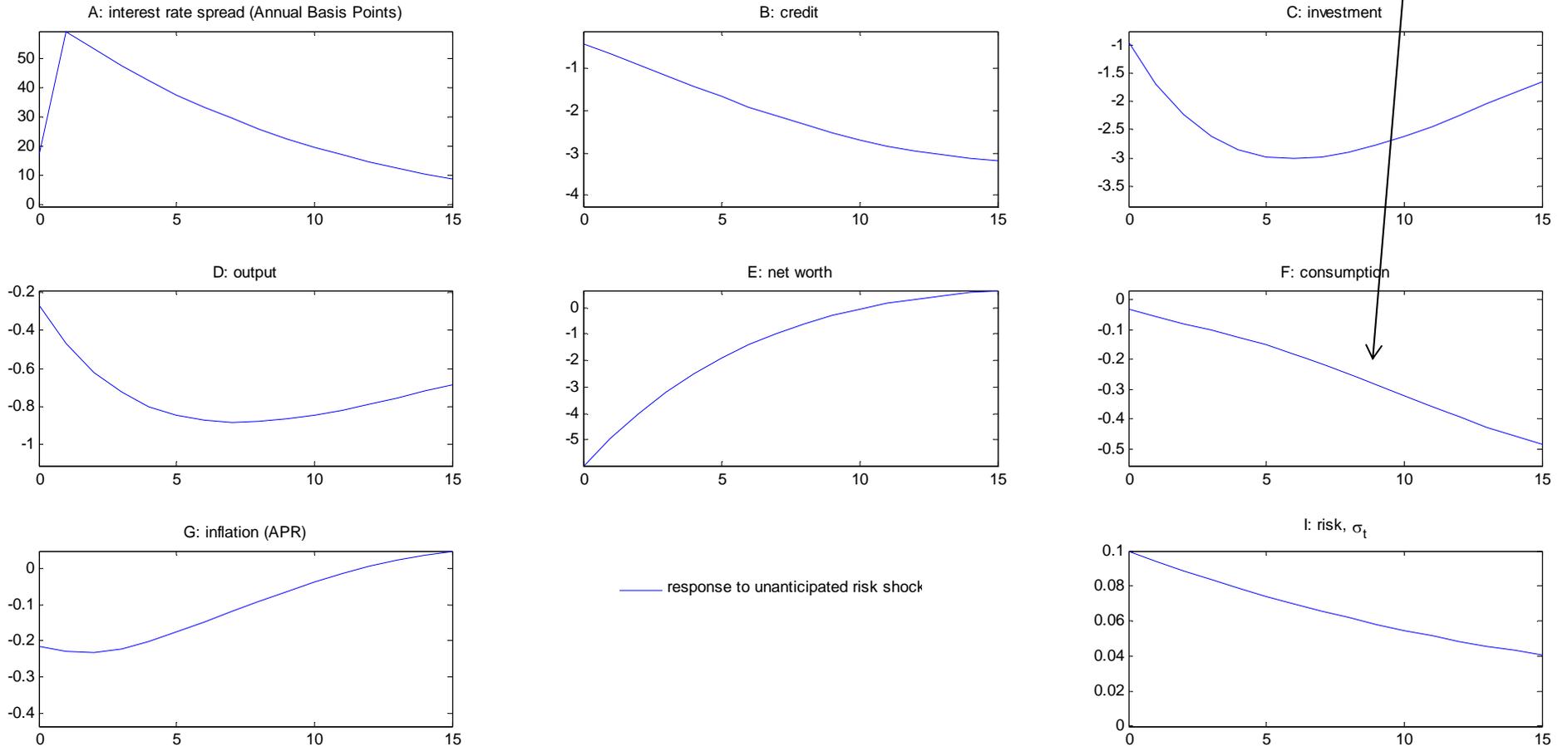
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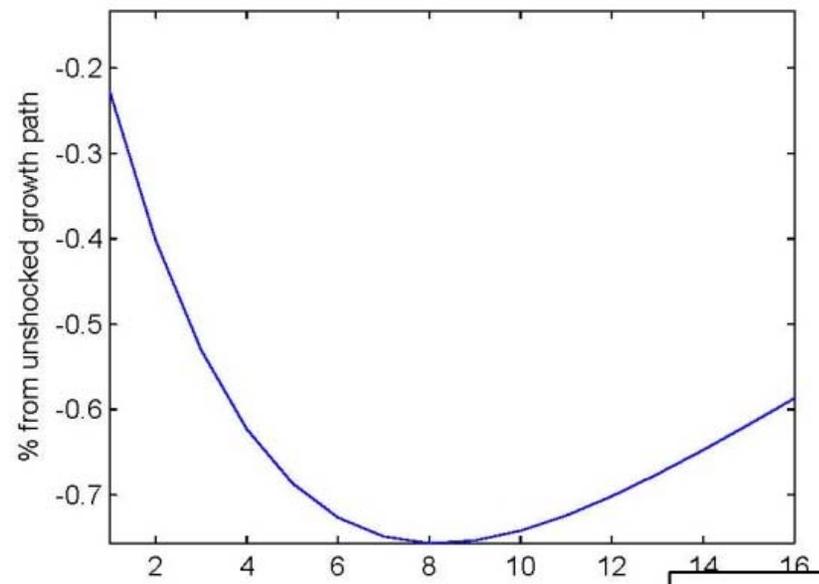
Surprising, from RBC perspective

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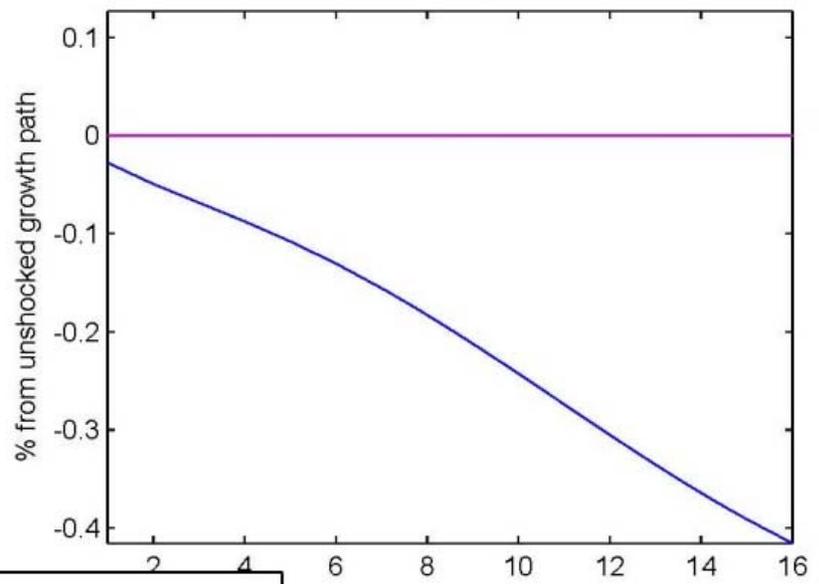


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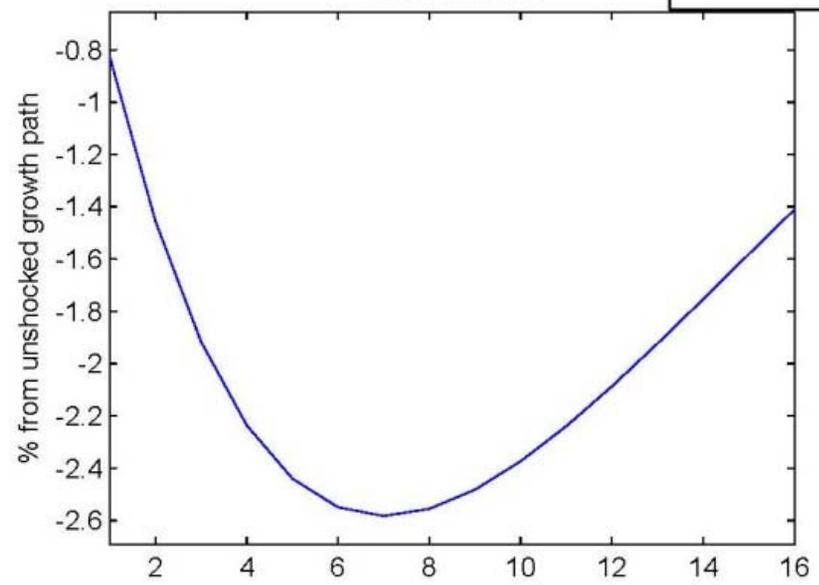
A: output



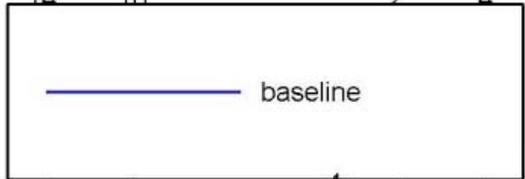
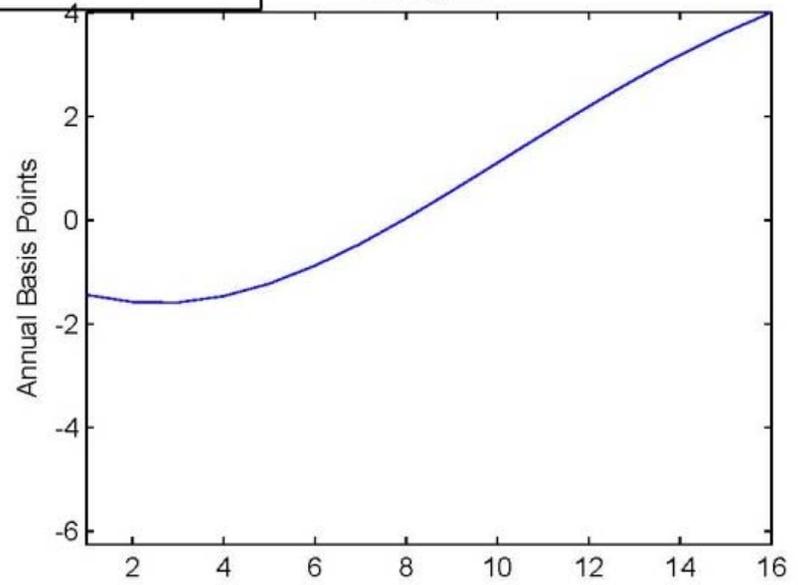
B: consumption



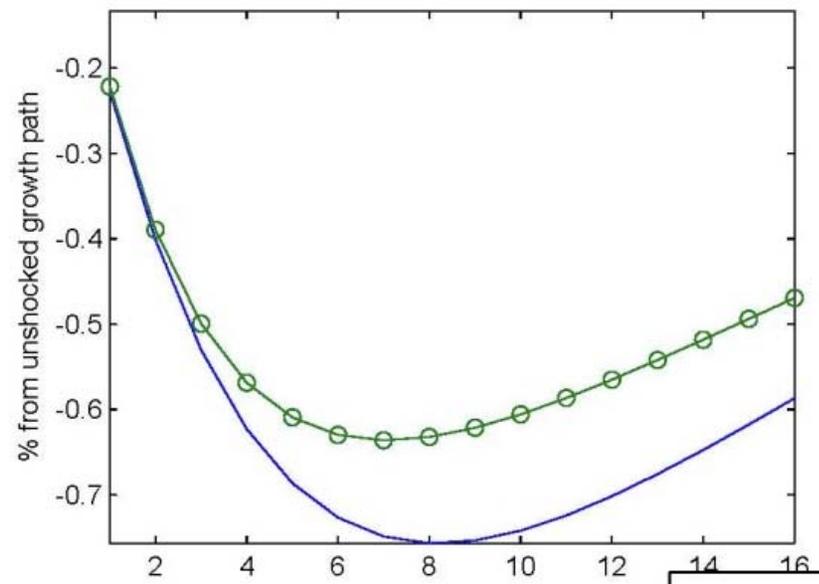
C: investment



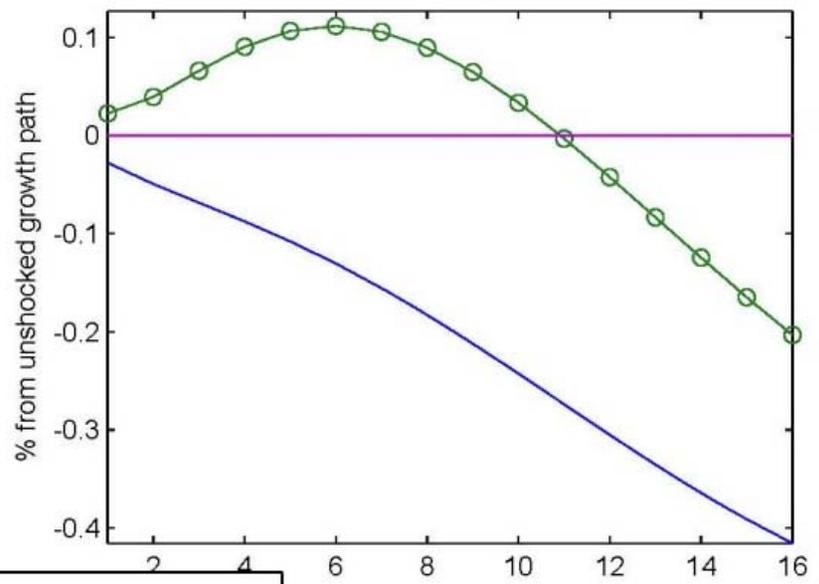
C: long rate



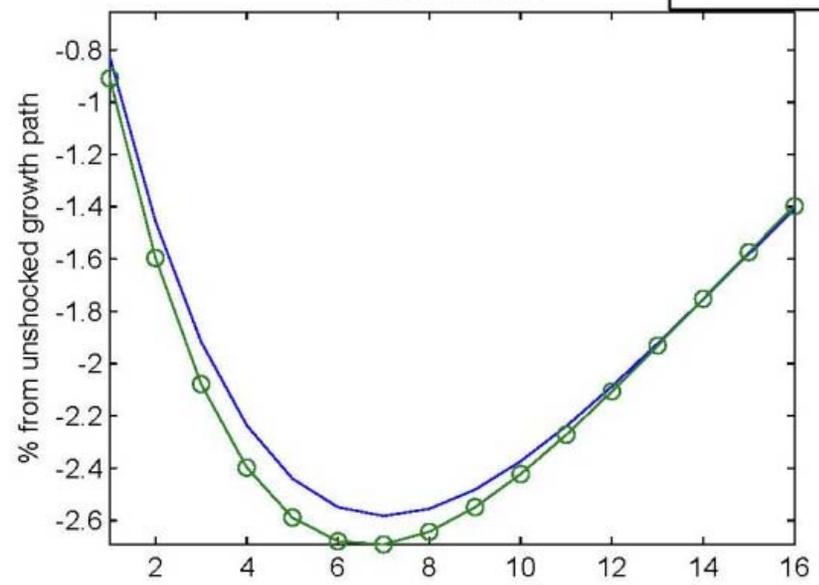
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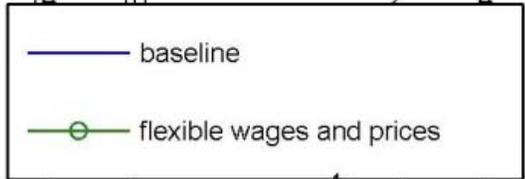
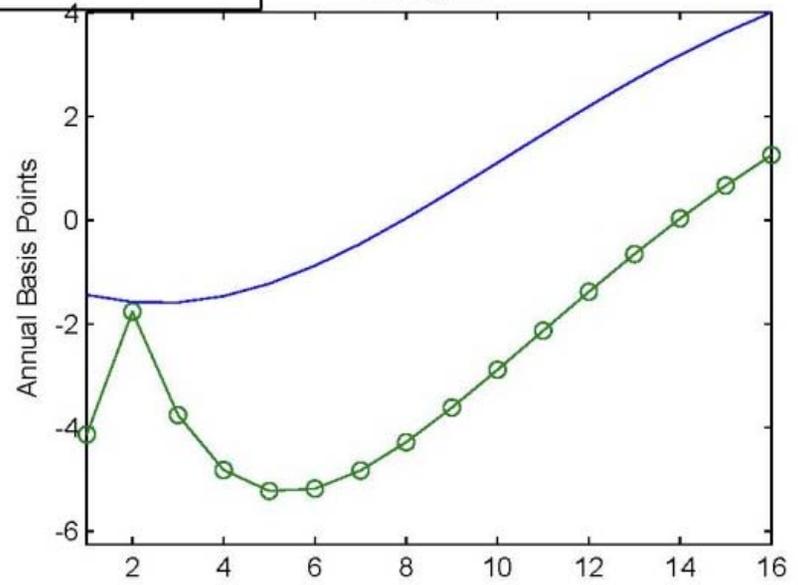
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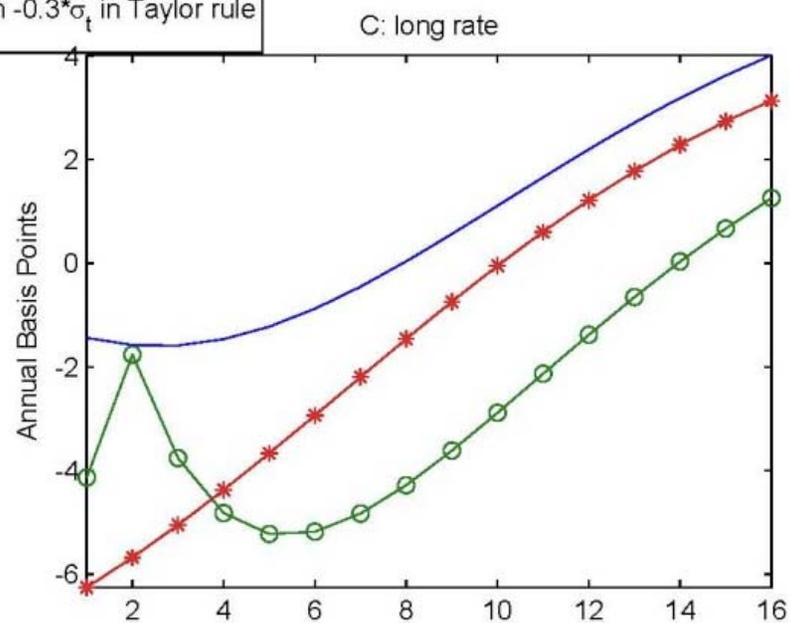
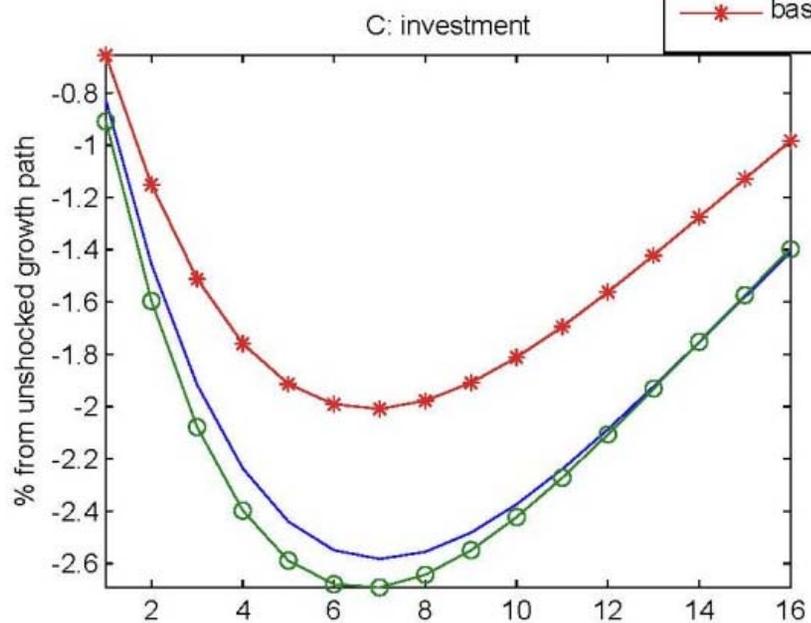
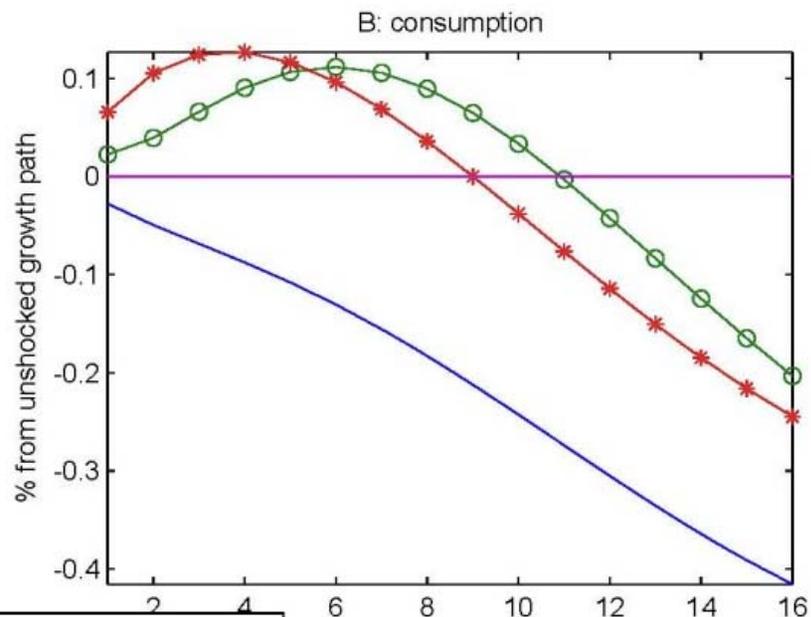
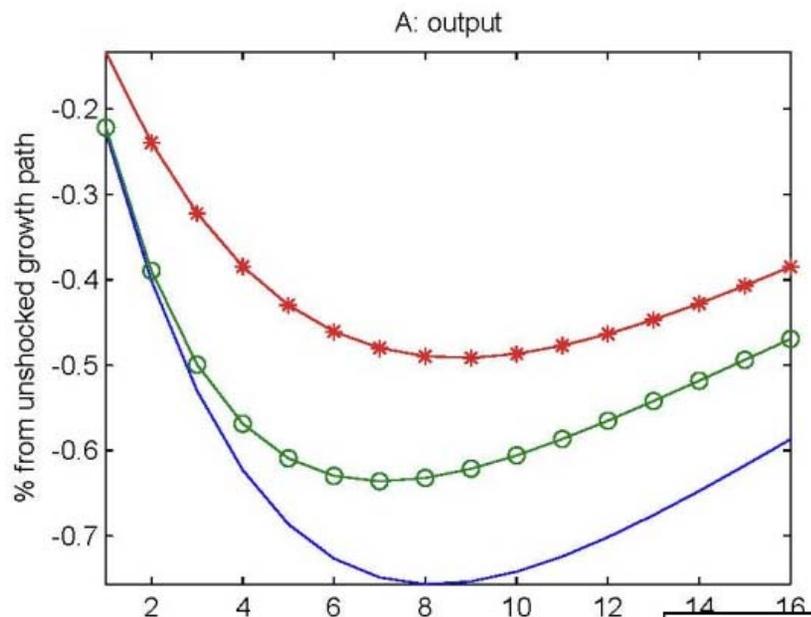


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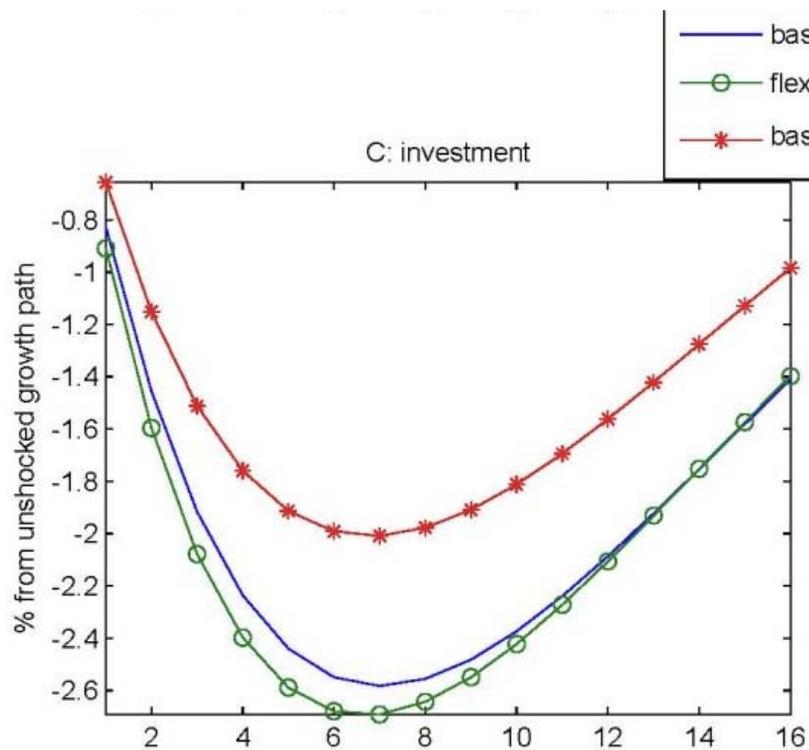
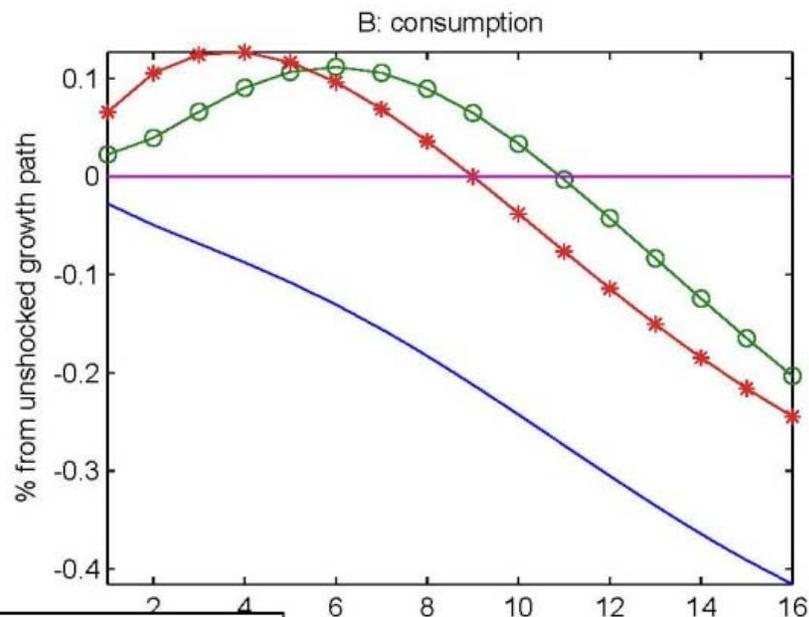
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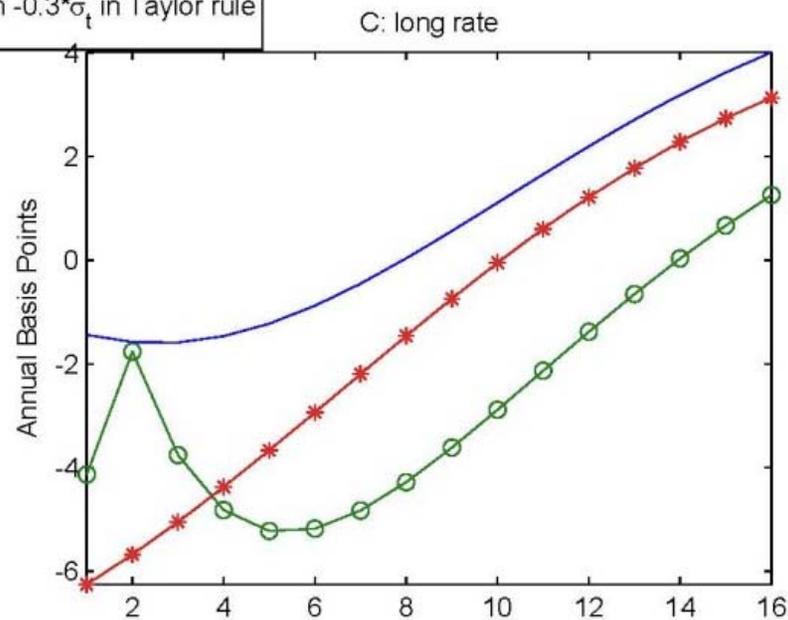


— baseline
 —○ flexible wages and prices
 —* baseline with $-0.3\sigma_t$ in Taylor rule

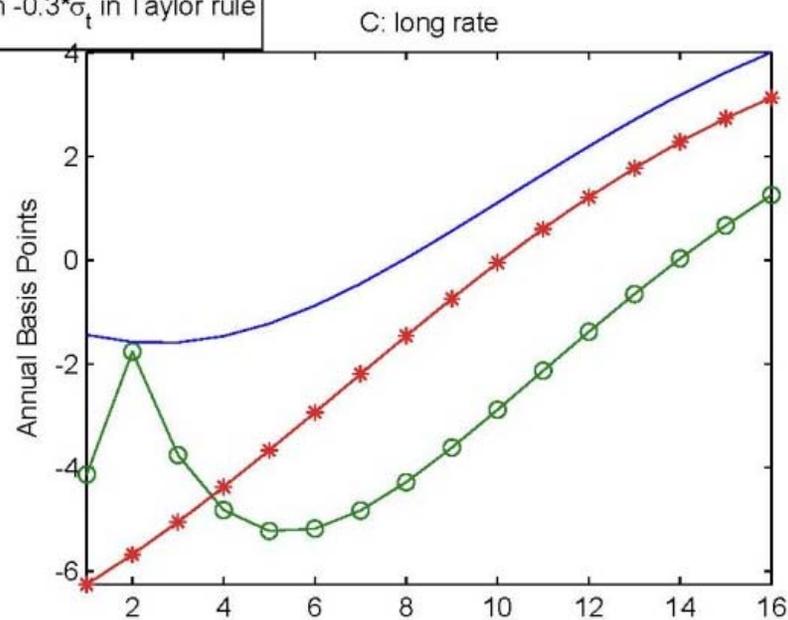
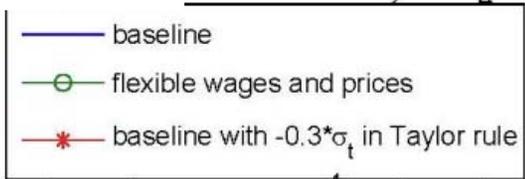
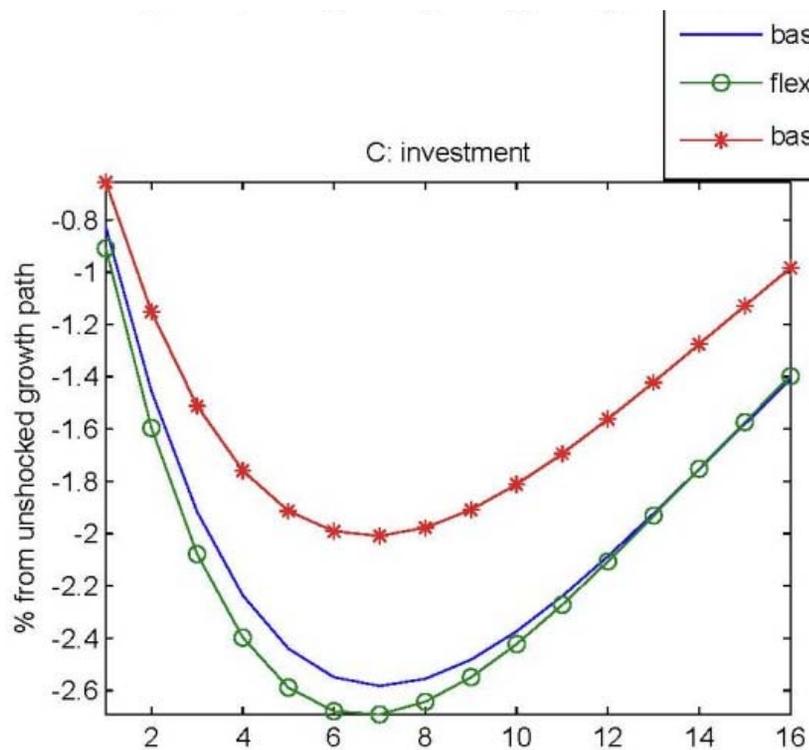
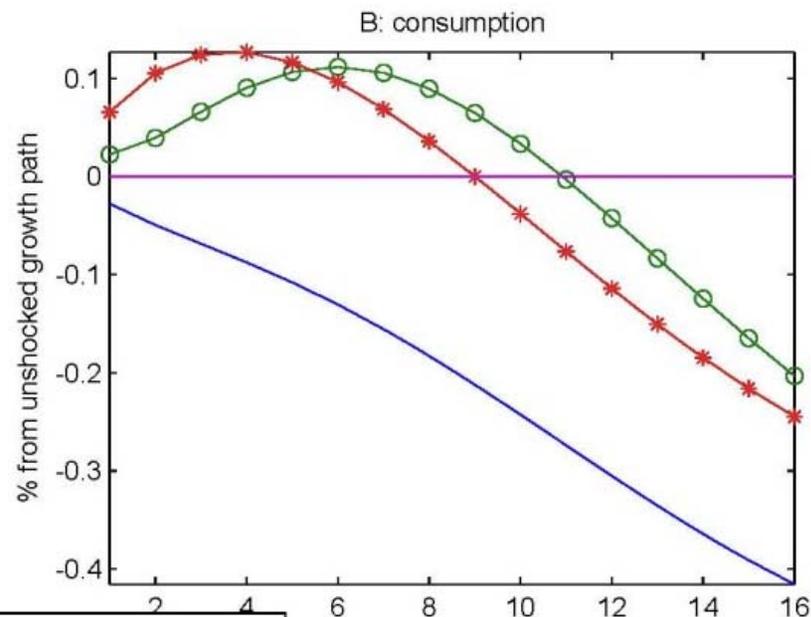
Message #1:
 rise in C requires a very sharp drop in real rate, something that does not occur under 'normal monetary policy'



— baseline
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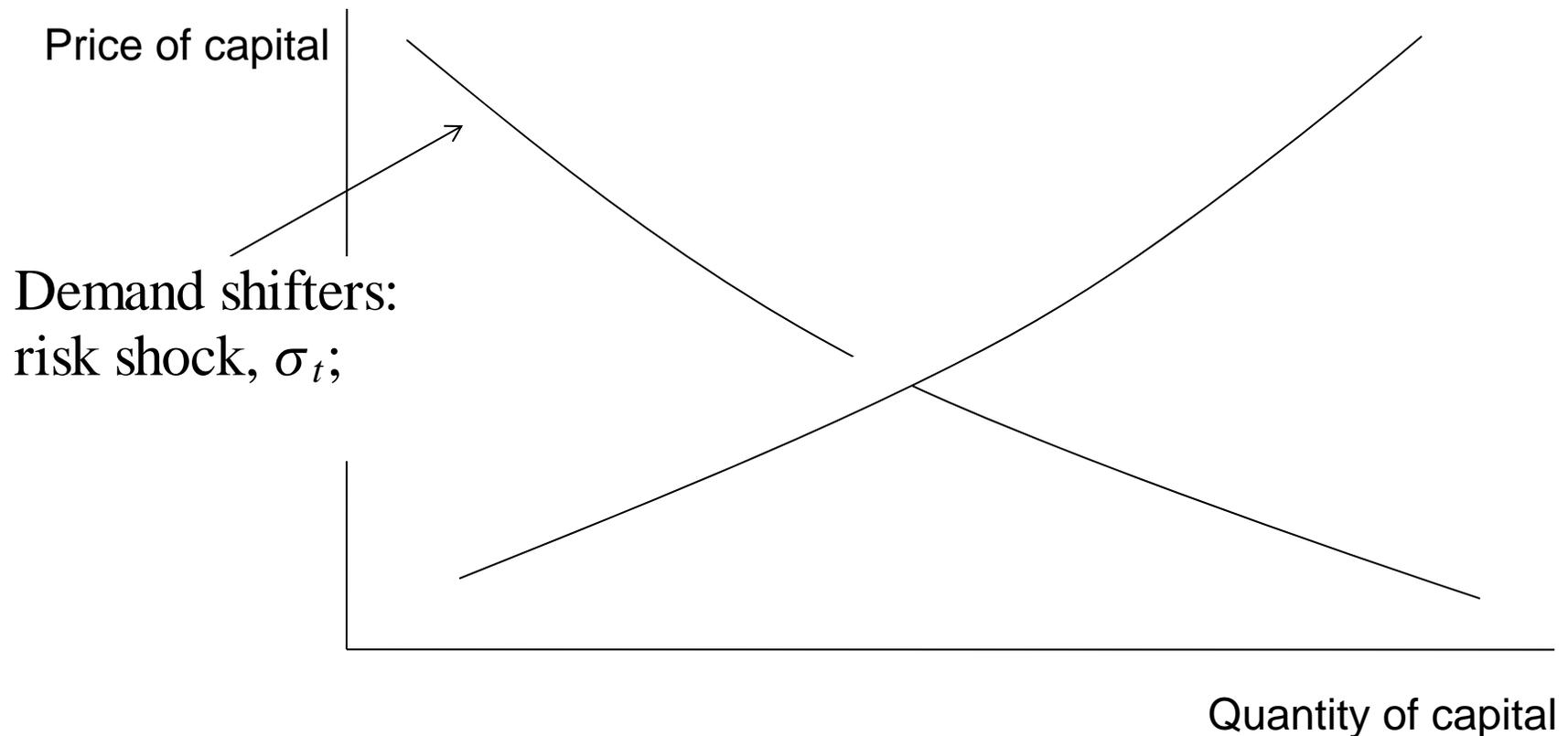
Message #2:
 a bigger cut in the interest rate than implied under
 'normal monetary policy'
 would be an improvement



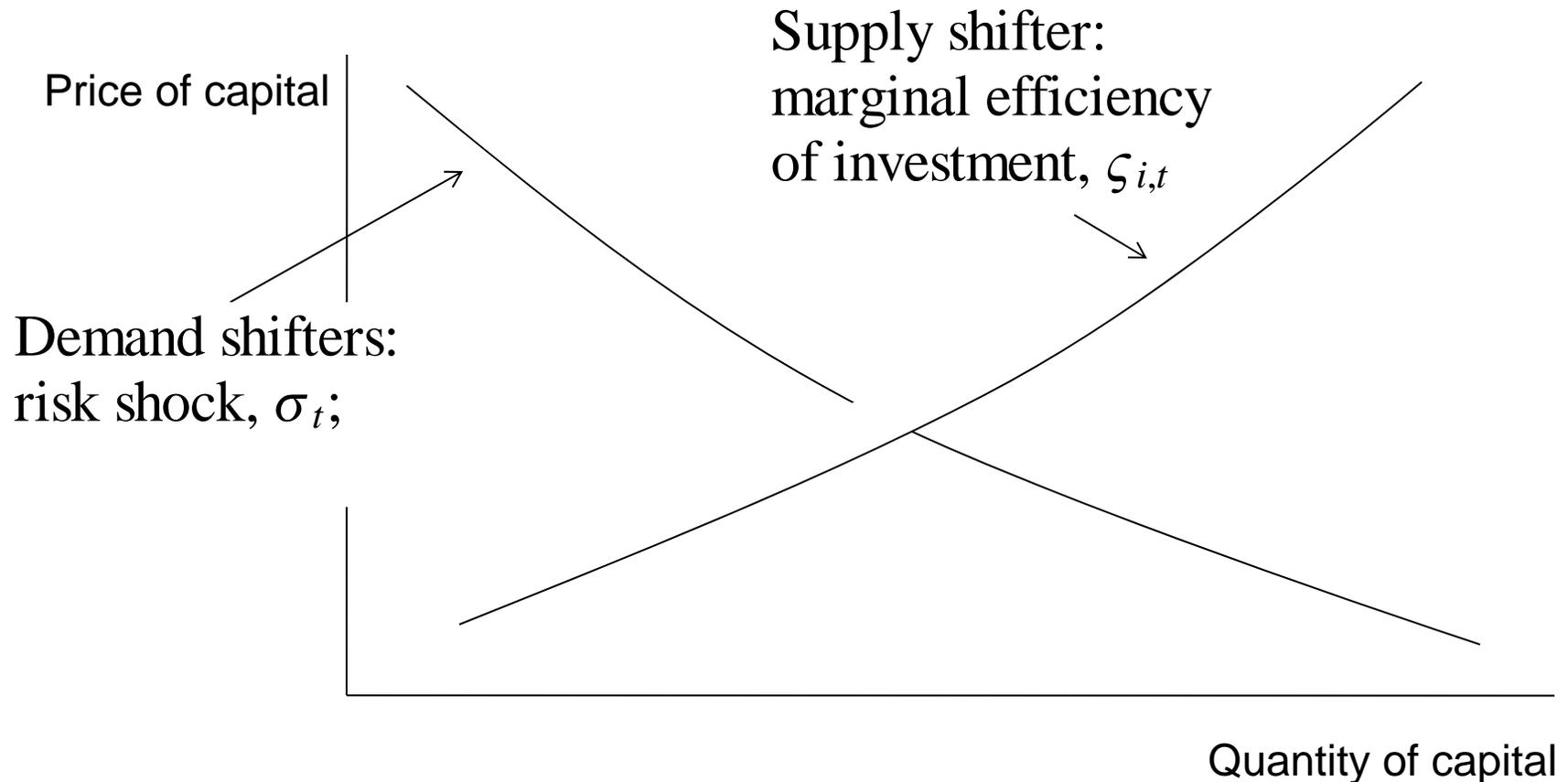
What Shock Does the Risk Shock Displace, and why?

- The risk shock mainly crowds out the marginal efficiency of investment.

Why does Risk Crowd out Marginal Efficiency of Investment?



Why does Risk Crowd out Marginal Efficiency of Investment?



- Marginal efficiency of investment shock can account well for the surge in investment and output in the 1990s, *as long as the stock market is not included in the analysis.*
- When the stock market is included, then explanatory power shifts to financial market shocks.
- When we drop ‘financial data’ – slope of term structure, interest rate spread, stock market, credit growth:
 - Hard to differentiate risk shock view from marginal efficiency of investment view.

Comparison with Bloom (2009)

- Return of entrepreneur i at time t :

$$r_{i,t+1} = \log(1 + R_{t+1}^k) + \log \omega_{it}, \quad \log \omega_{it} \sim \text{Normal with variance, } \sigma_t$$

Comparison with Bloom (2009)

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- Go to CRSP data set, 1985 – 2010

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- Go to CRSP data set, 1985 – 2010

CRSP measure
of uncertainty

$$\hat{\sigma}_t = \left(\frac{1}{N_t} \sum_{i=0}^{N_t} [r_{it} - \log(1 + R_t^k)]^2 \right)^{1/2}$$

$$1 + R_t^k = \frac{1}{N_t} \sum_{i=0}^{N_t} \exp(r_{it})$$

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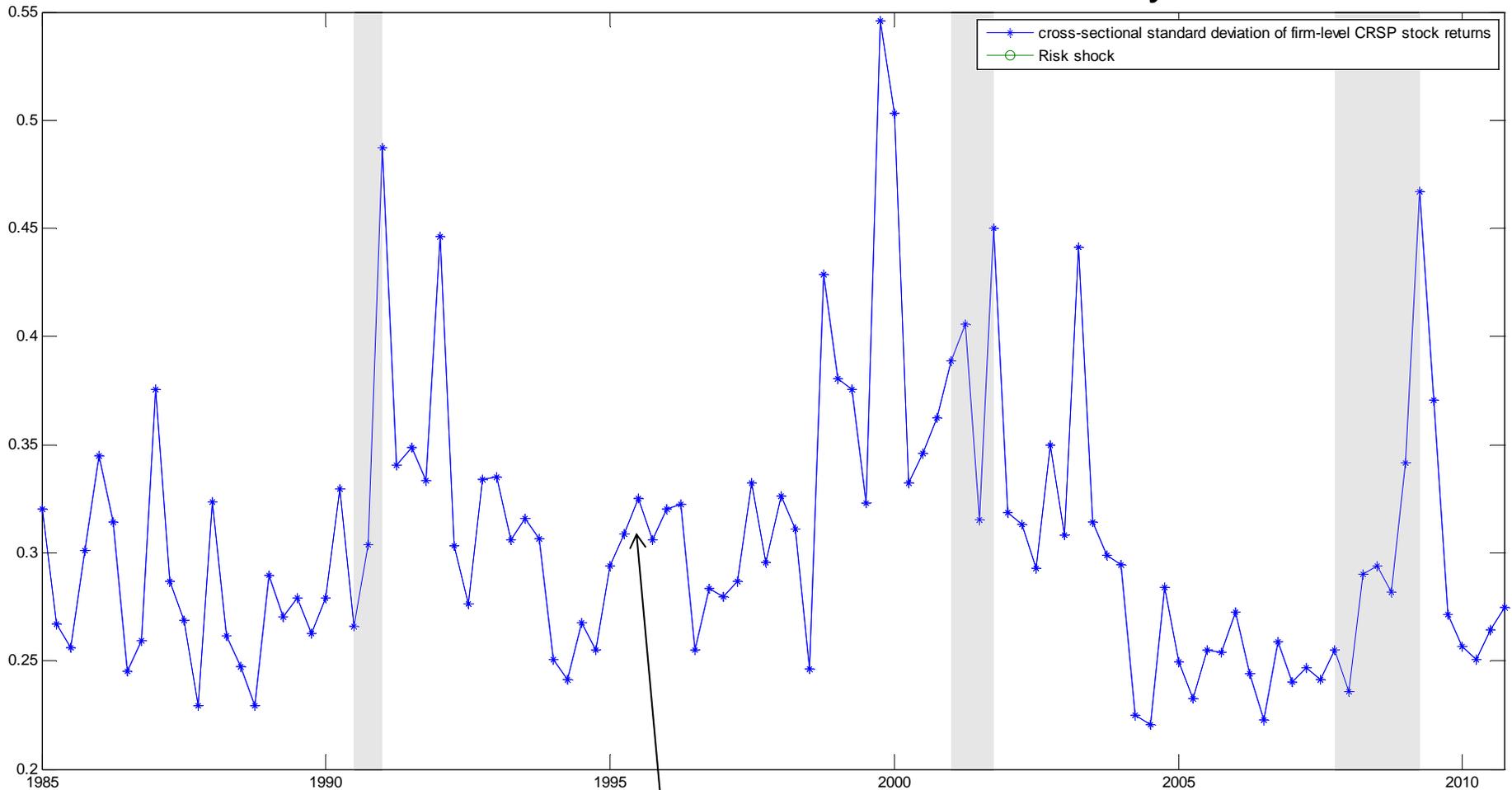
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log, idiosyncratic shock

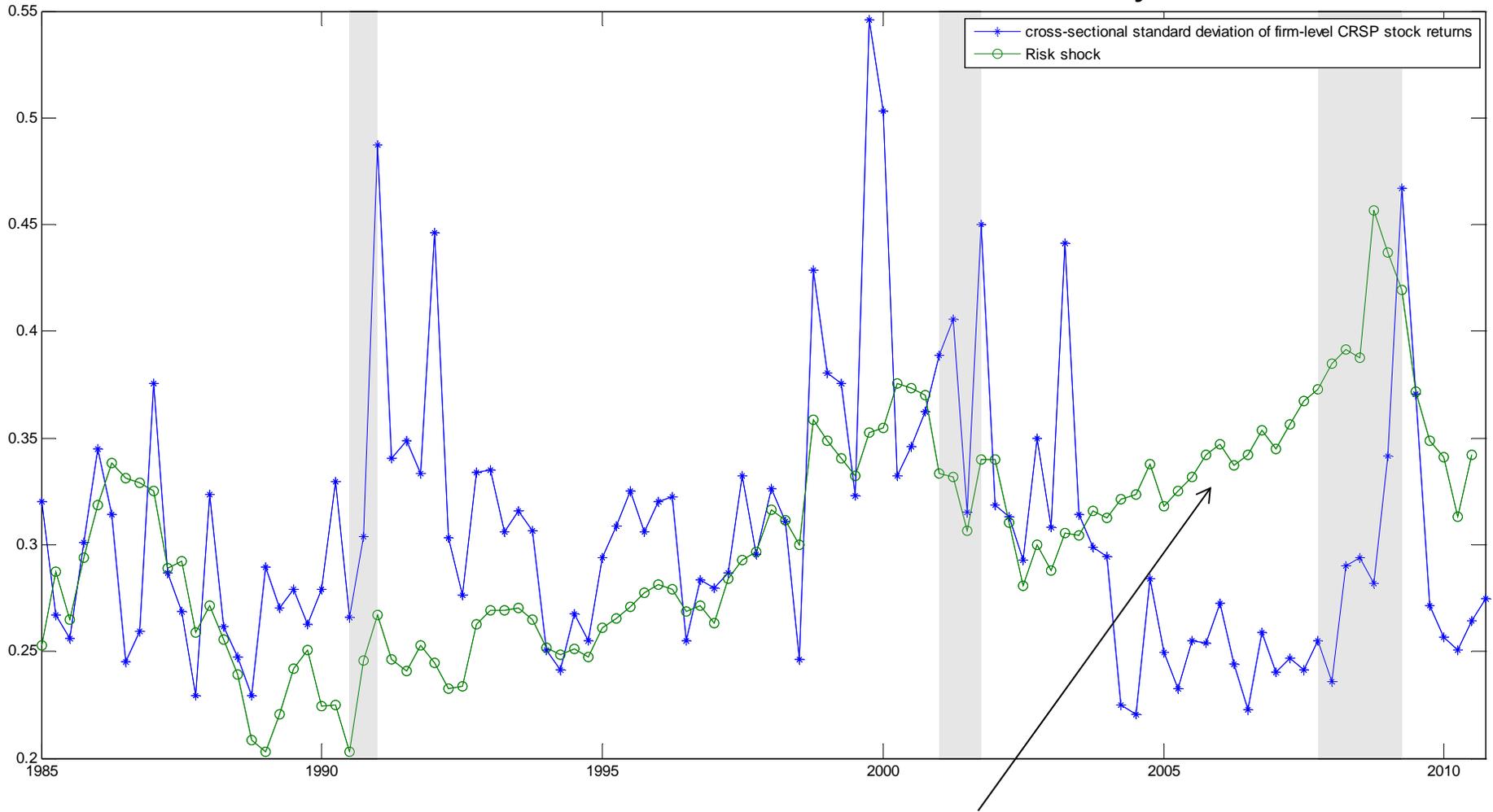
$$1 + R_t^k = \frac{1}{N_t} \sum_{i=0}^{N_t} \exp(r_{it})$$

CRSP-based Measure of Uncertainty and Risk



Cross-sectional standard deviation of CRSP stock returns, as in Bloom (2009)

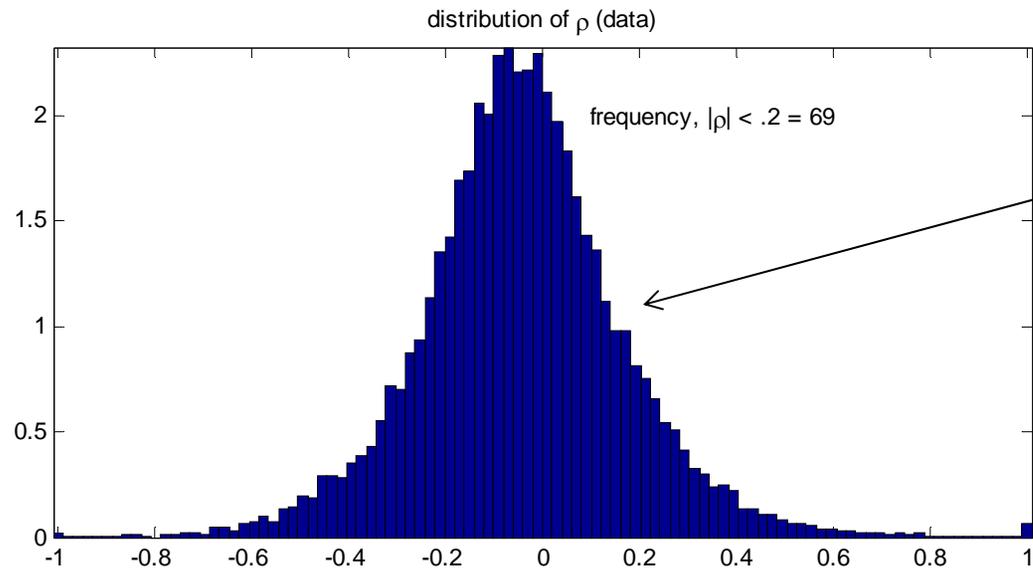
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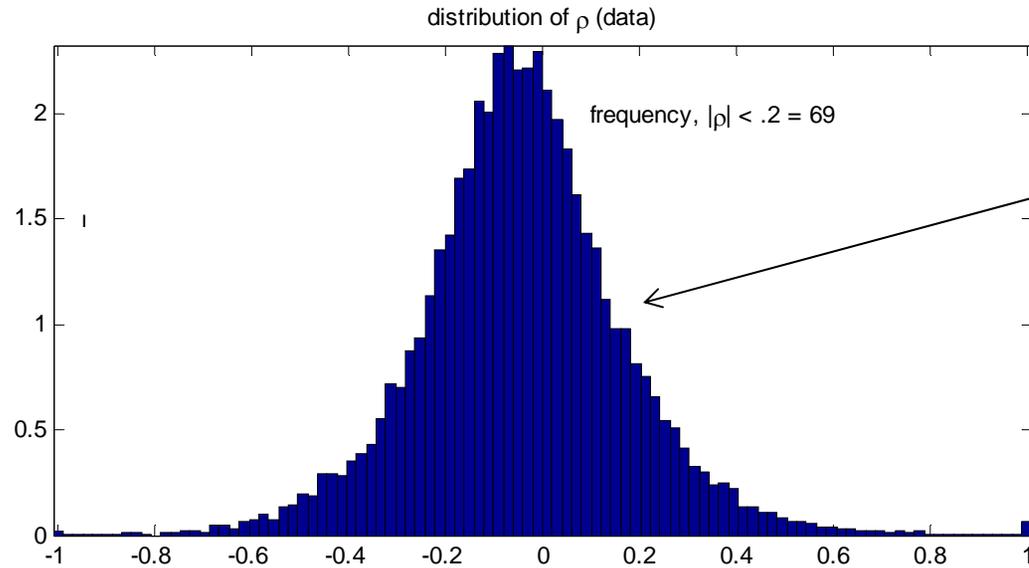
Smoothed estimate of the risk shock

CRSP Data

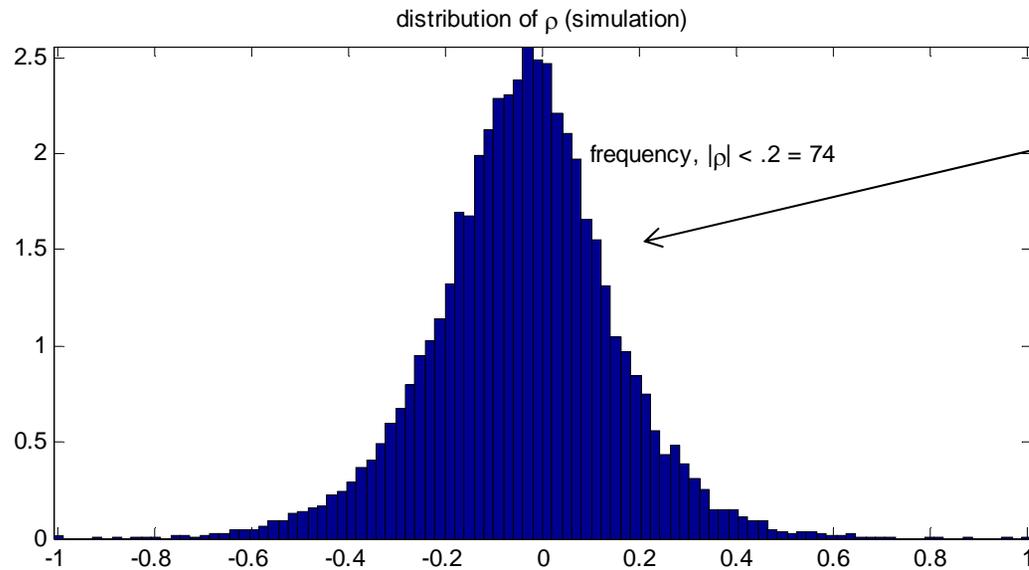
- What do they say about the assumed temporal independence of idiosyncratic shocks?
 - Data consistent with very small autocorrelation of shocks.



Top panel: distribution of first order autocorrelation of idiosyncratic shocks for 17,757 firms in the data set.



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Bottom panel: what the distribution would be if in fact the autocorrelation is zero in each firm.

Conclusion

- Incorporating financial frictions and financial data changes inference about the sources of business cycle shocks:
 - risk shock.
- Evaluated model by looking at implications for data not in the estimation sample:
 - Measure of loan delinquency rates.
 - Out-of-sample forecasts.
 - Firm-level stock return data in CRSP.