



Is there a trade-off between inflation and output stabilization?

Alejandro Justiniano, Federal Reserve Bank of Chicago

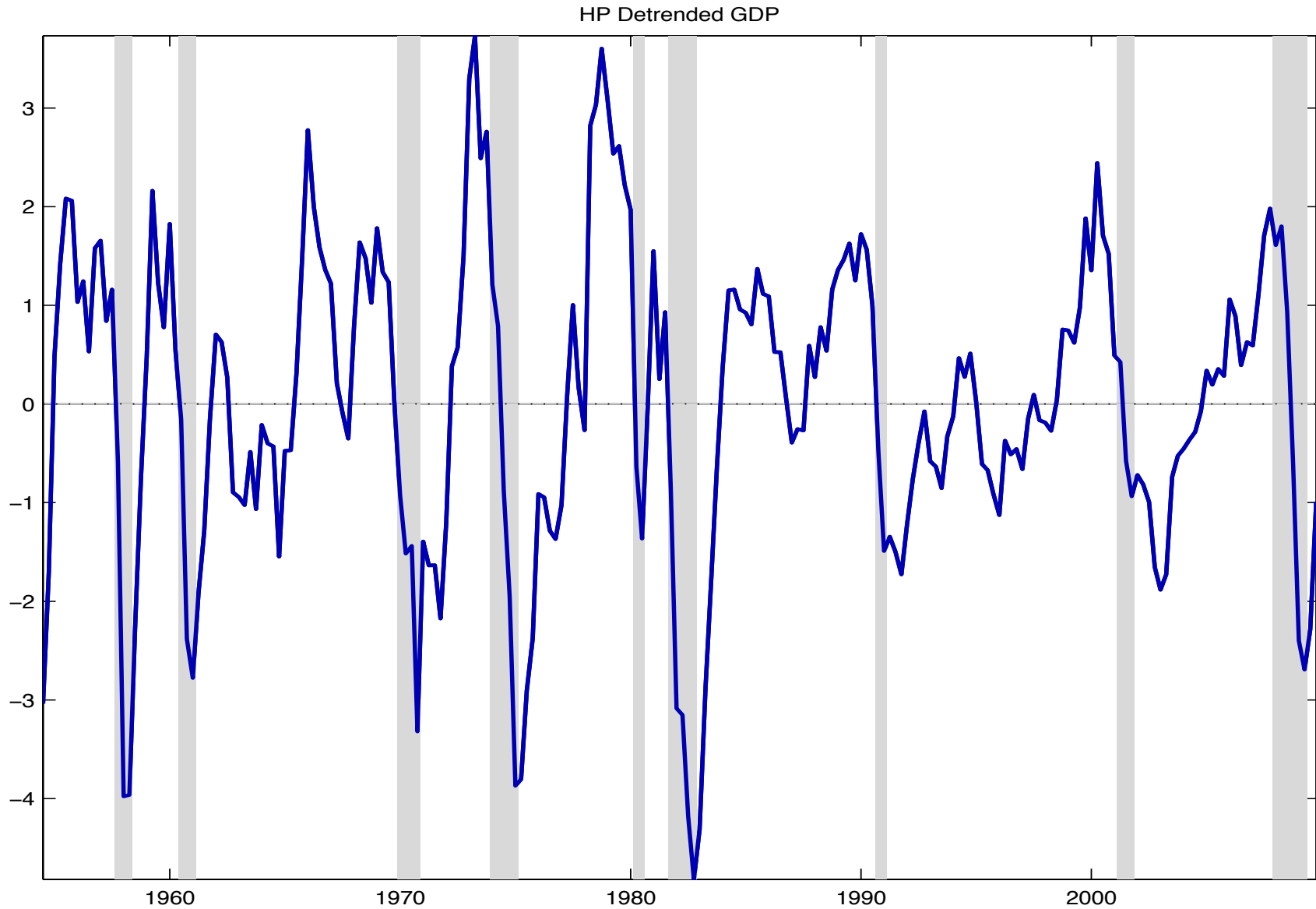
Giorgio Primiceri, Northwestern University

Andrea Tambalotti, Federal Reserve Bank of New York

Federal Reserve Bank of Minneapolis

May 4, 2012

HP-detrended GDP in the US



Imperfect competition and inefficient fluctuations

- Modern business cycle models feature imperfect competition
- Market power in goods / labor markets implies
 - Price **markups** over MC
 - Wage **markups** over the MRS

Imperfect competition and inefficient fluctuations

- Markups vary over time for 2 reasons:
 - ① Sticky prices and wages → endogenous markup variation
 - ② Direct shocks to markups → exogenous markup variation

Imperfect competition and inefficient fluctuations

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- Markups variation contributes to fluctuations
 - **Inefficient fluctuations**
 - Would not be observed in a competitive economy

The questions that we address



- ① How important are inefficient fluctuations in US postwar business cycles?

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⇒ Inefficient fluctuations are large

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① How important are inefficient fluctuations in US postwar business cycles?

⇒ Inefficient fluctuations are large

② Should a monetary authority counteract these inefficient fluctuations?

⇒ Yes, because policy faces a minor trade-off between output gap and inflation stabilization

Outline



1. Motivating questions
2. Model
3. What is the share of inefficient fluctuations?
 - Estimates of **counterfactual output under constant markups**
4. Is there a trade-off between output and inflation stabilization?
 - Compare **optimal allocation** to allocation with constant markups
5. Key to the no-trade-off result:
 - Treatment of wages in the estimation
 - Assumption about sources of low frequency labor supply shifts

The model: summary

- Medium-scale DSGE model of the US business cycle
 - Christiano, Eichenbaum and Evans (2005, JPE)
 - Smets and Wouters (2007, AER)

- Stochastic growth model + Shocks + “Frictions”

The model: summary

■ “Frictions”

1. Preferences

- Habit in consumption

2. Technology

- Adjustment costs in investment
- Variable capital utilization

3. Market structure: Imperfect competition

- Monopolistic competition in products and labor markets
- Price and wage stickiness (endogenous markups)

Exogenous disturbances

■ Tastes & technology

- Neutral technology → growth rate is AR(1)
- Investment specific → AR(1)
- Inter-temporal preference shock → AR(1)
- Intra-temporal preference shock → AR(1)

■ Shocks to markets competitiveness

- Markup shock in wages → *i.i.d.*
- Markup shock in prices → AR(1)

■ Policy

- Government spending → AR(1)
- MP shocks → *i.i.d.*
- Inflation target shock → persistent AR(1)

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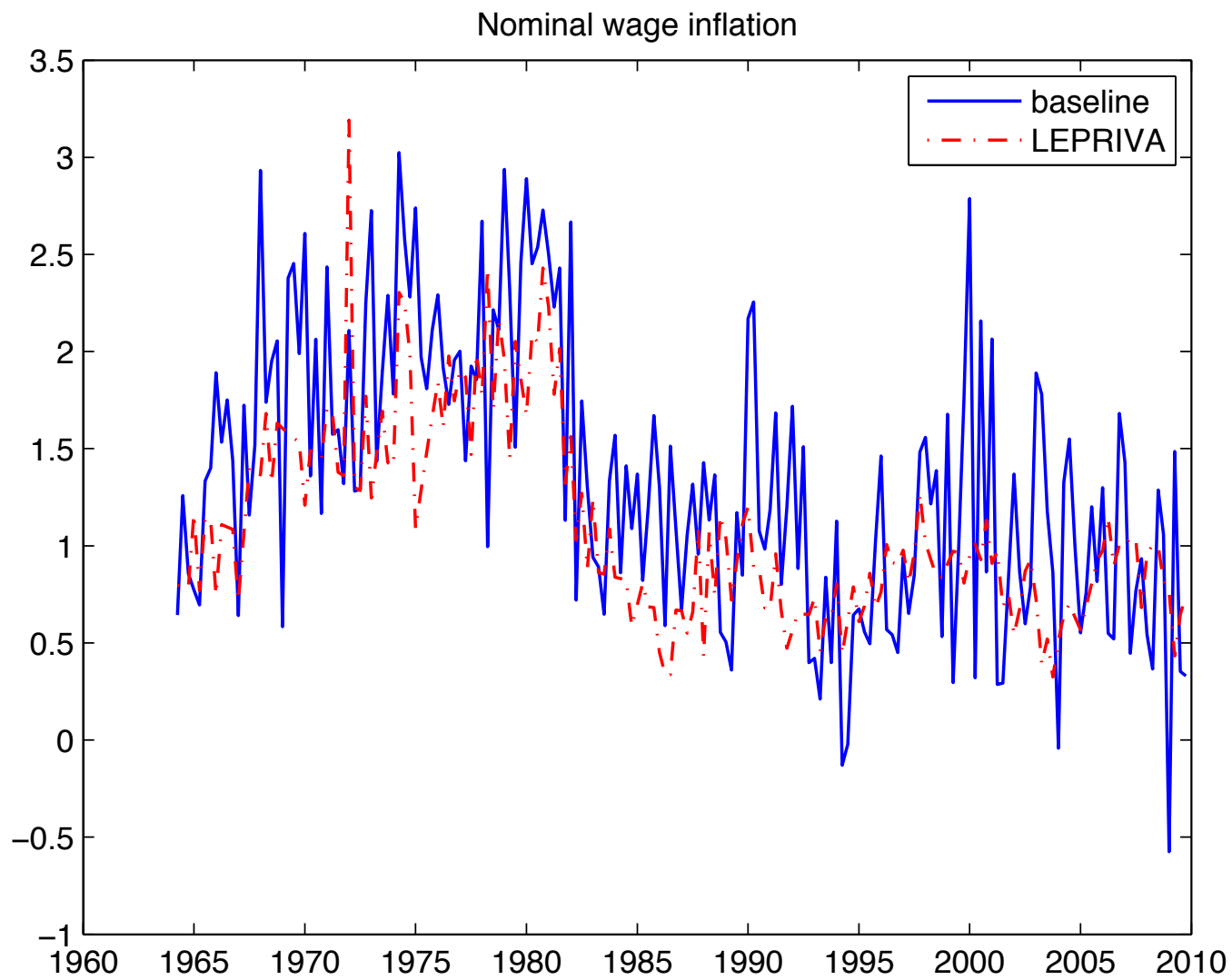
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Data and estimation

- Observable variables

1. GDP
2. Consumption
3. Investment
4. Hours
5. Inflation
6. Federal funds rate
7. Wages (compensation, total economy)
8. Wages (earnings, non-supervisory and production workers)

Two wage inflation measures



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- Quarterly data from 1964:I to 2009:III

- Bayesian inference

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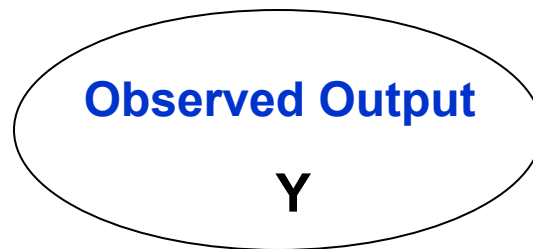
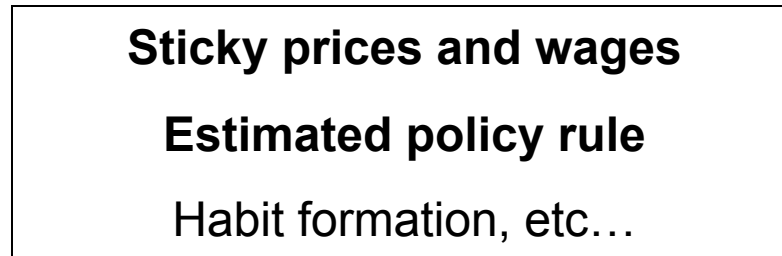
What is the share of inefficient fluctuations?

- Compare actual output to potential output
- Potential output
 - Level of output that would prevail under constant markups
 - Almost same log-linear dynamics of efficient output (i.e. output under perfect competition)

Model economy

Shocks to preferences
and technology

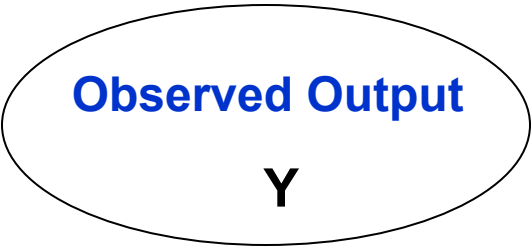
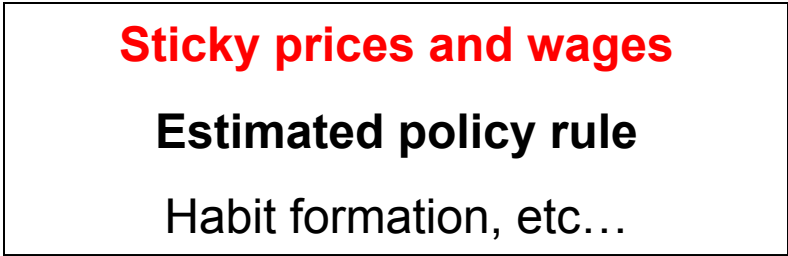
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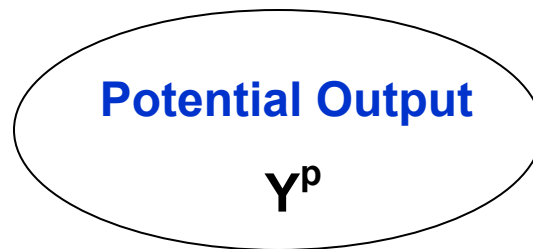
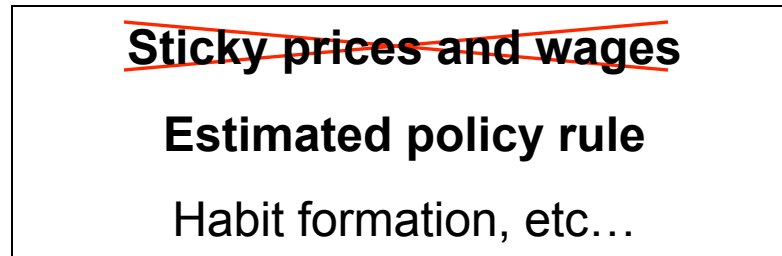
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Model economy under **constant markups**

Shocks to preferences
and technology

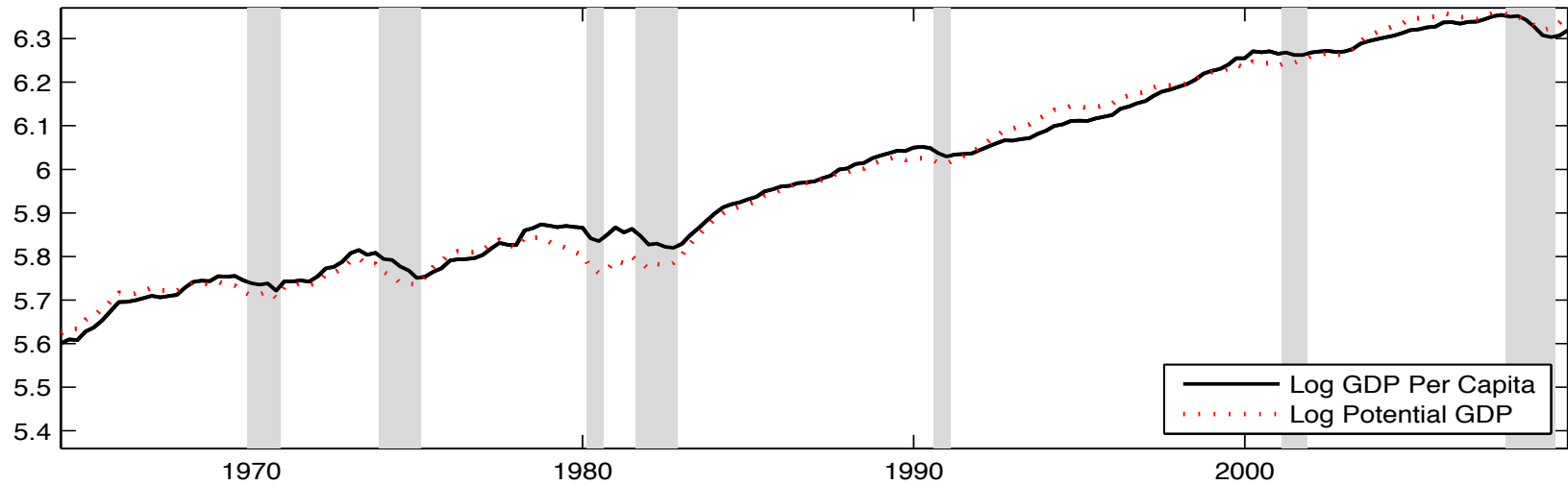
~~Shocks to the degree of
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Potential output = level of output that would have been observed in the absence of inefficient markup variation

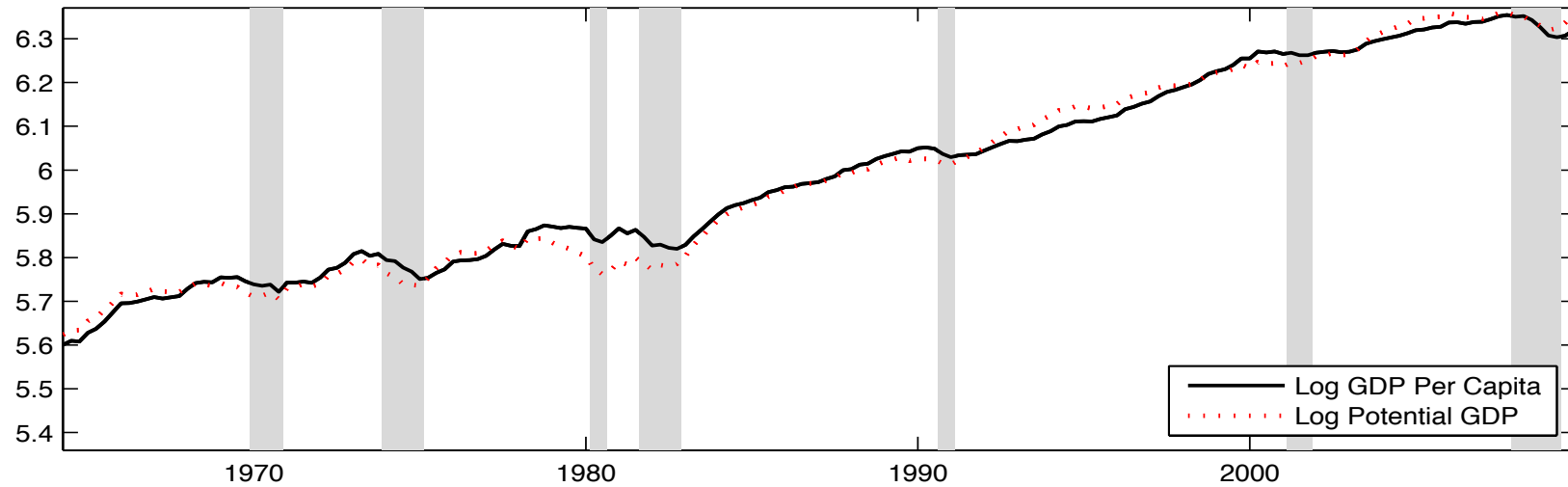
Actual and DSGE-potential output

(a): GDP and Potential GDP

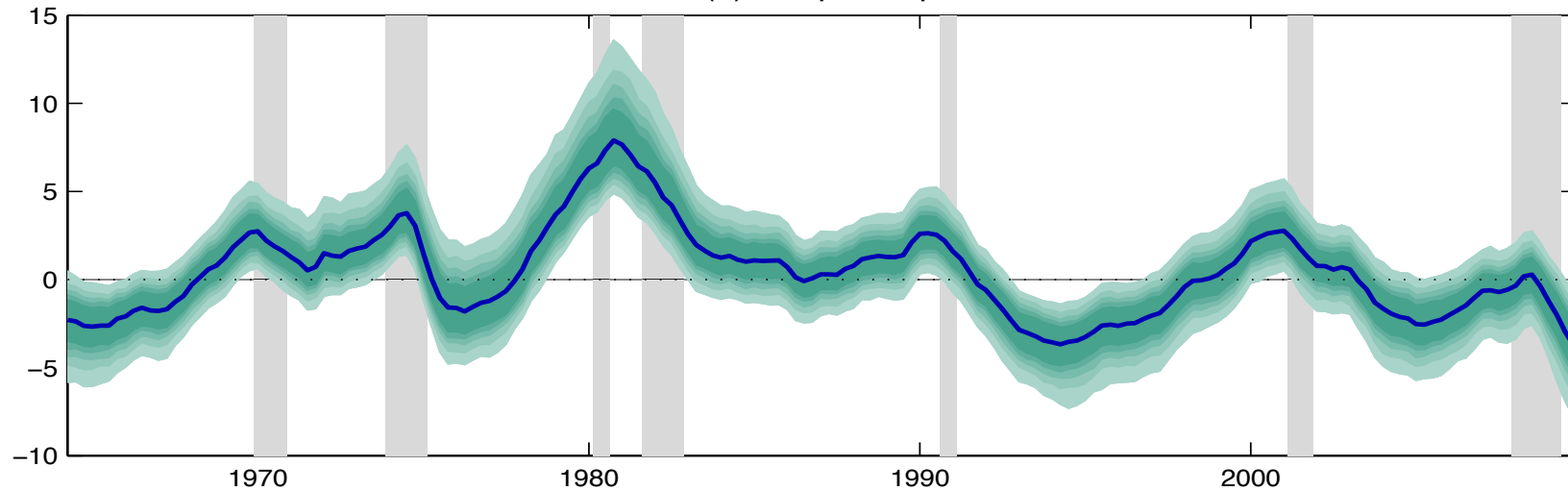


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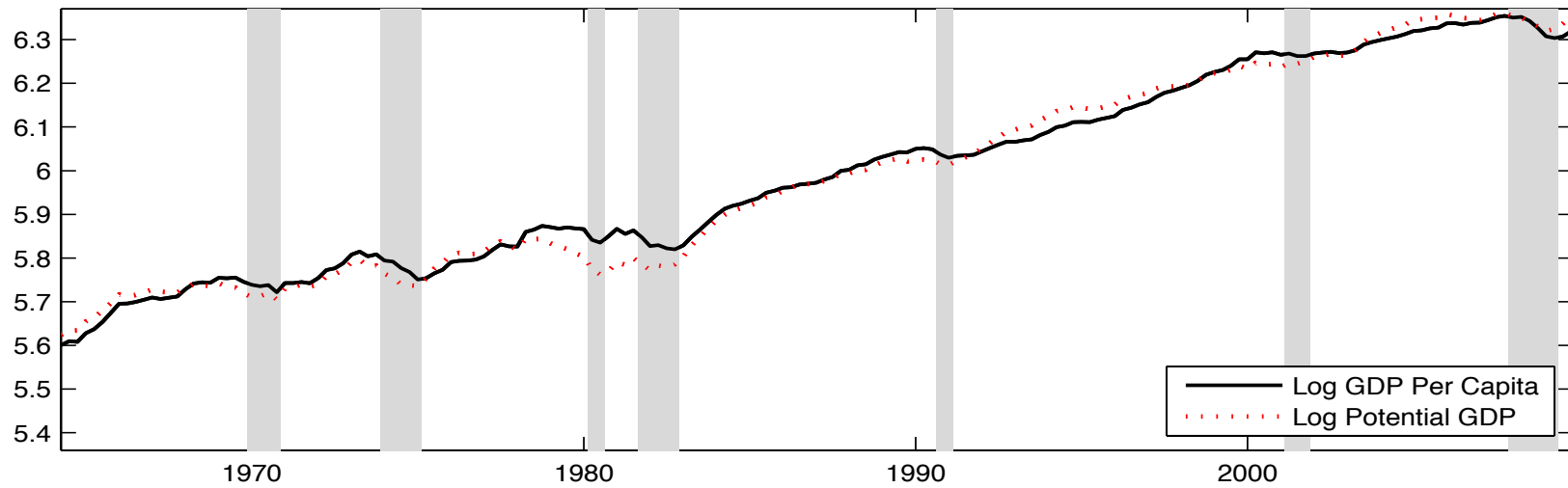


(b): Output Gap

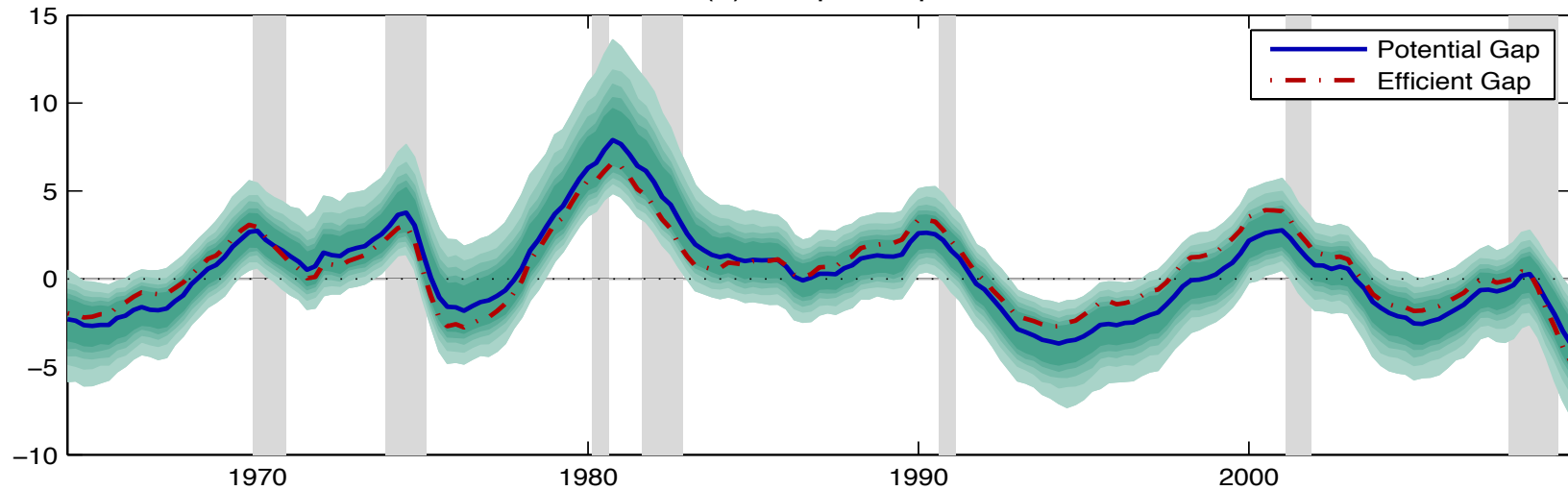


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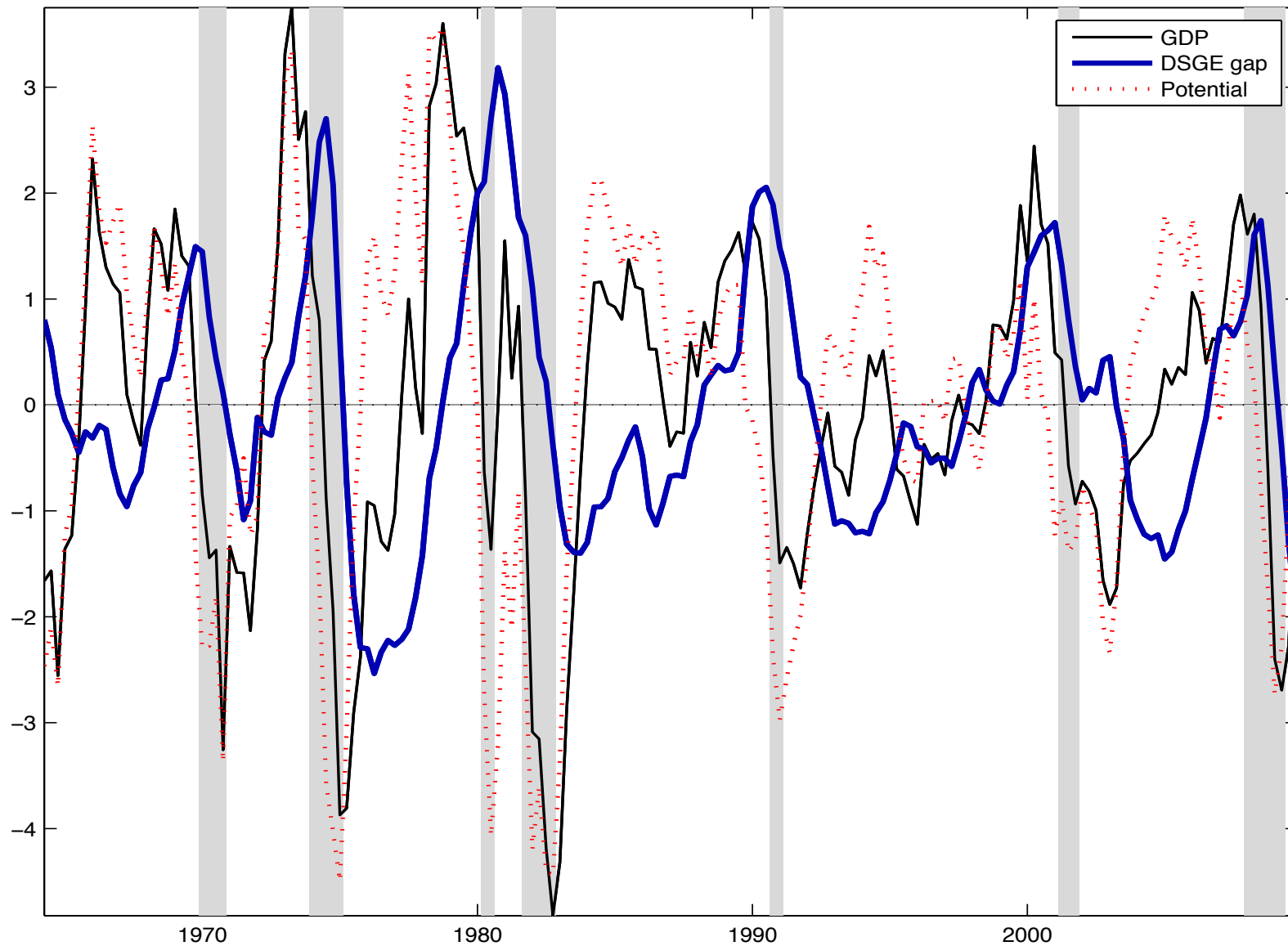
Decomposing the business cycle

$$y_t = y_t^* + g_t$$

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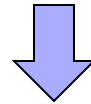
$$y_t - y_t^{hp} = y_t^* - y_t^{*hp} + g_t - g_t^{hp}$$

Output Gap and Business Cycles



Summary of results about inefficient fluctuations

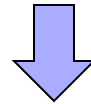
- Potential output is quite volatile, as in RBC
- The output gap is cyclical and also quite volatile



Inefficient fluctuations are large

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Inefficient fluctuations are large

- Next question → **What should policy do about it?**

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The policy tradeoff

- Efficient allocation

- $MRS_t = MPL_t = \frac{W_t}{P_t}$

- $Y_{it} = Y_t \quad \forall i$

- $L_{jt} = L_t \quad \forall j$

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- $P_t = \mu_t^p MC_t$

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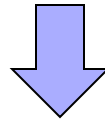
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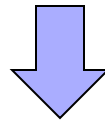
- The efficient allocation is not achievable by monetary policy in our economy
 - Many independent distortions and one instrument



- Tradeoff between
 - Real stabilization, i.e. closing the output gap
 - Nominal stabilization, i.e. eliminating price and wage dispersion

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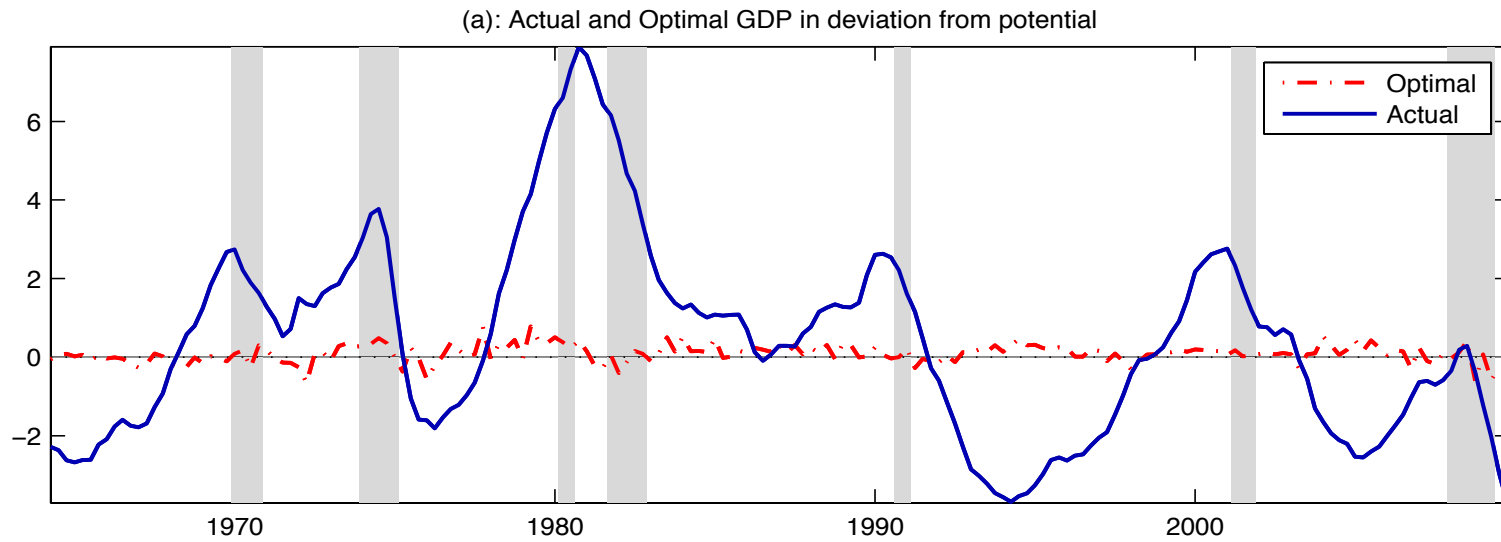


- Tradeoff between
 - Real stabilization, i.e. closing the output gap
 - Nominal stabilization, i.e. eliminating price and wage dispersion
- Sources of trade-off
 - Sticky prices and wages
 - Markup shocks

The optimal allocation

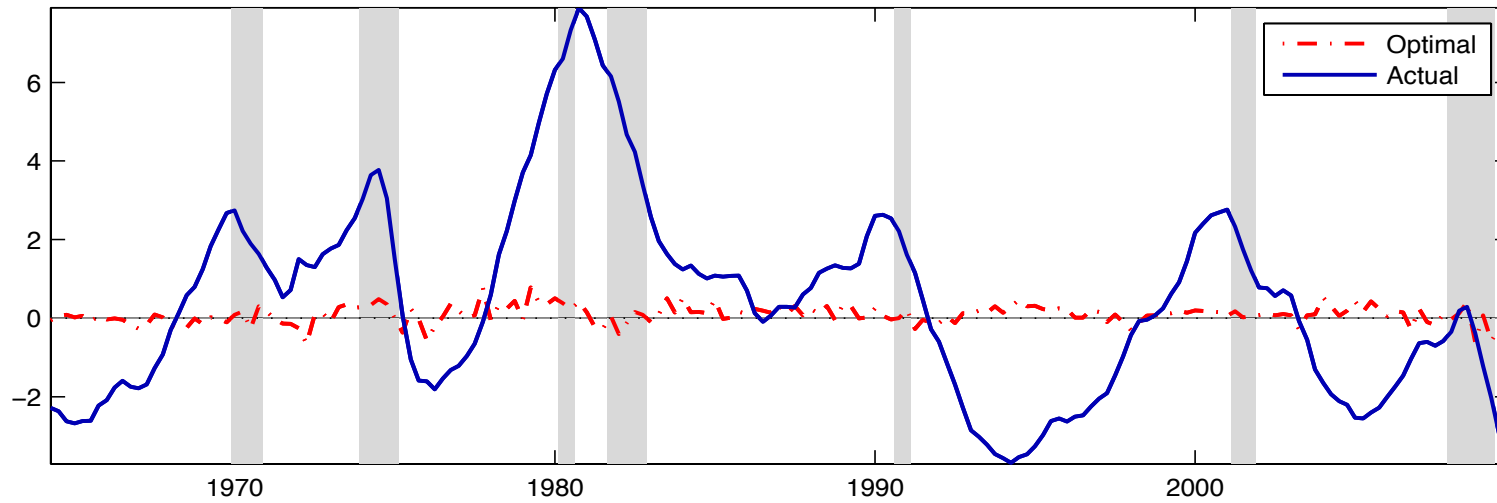
- Maximize the utility of the average HH
 - Subject to the (nonlinear) constraints represented by the equilibrium behavior of private agents
- Compute a first order approximation to the dynamics under optimal policy
- Plot the path of variables in a counterfactual economy hit by the same shocks, but with Ramsey policy since the beginning of time

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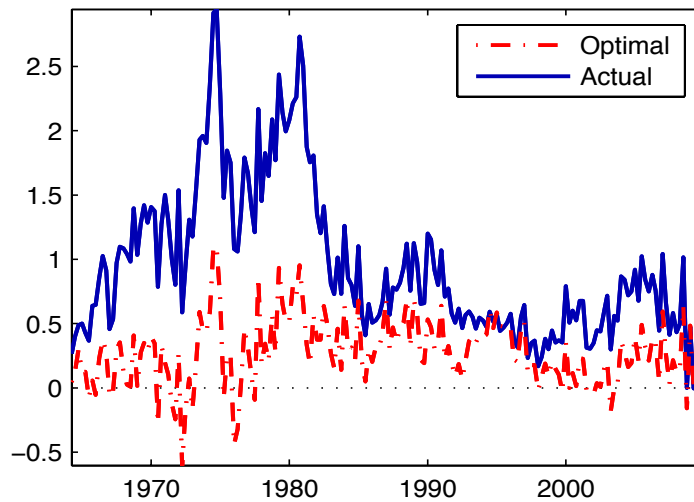


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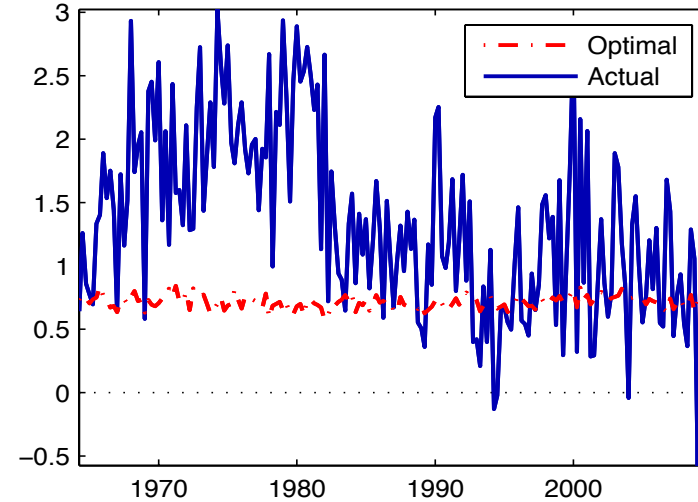
(a): Actual and Optimal GDP in deviation from potential



(b): Price Inflation

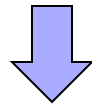


(c): Wage Inflation



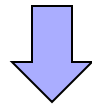
Summary of results about the optimal allocation

- Optimal \approx potential output
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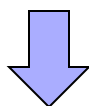
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1. Little trade-off between output and inflation stabilization

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1. Little trade-off between output and inflation stabilization
2. A large fraction of fluctuations should have been avoided

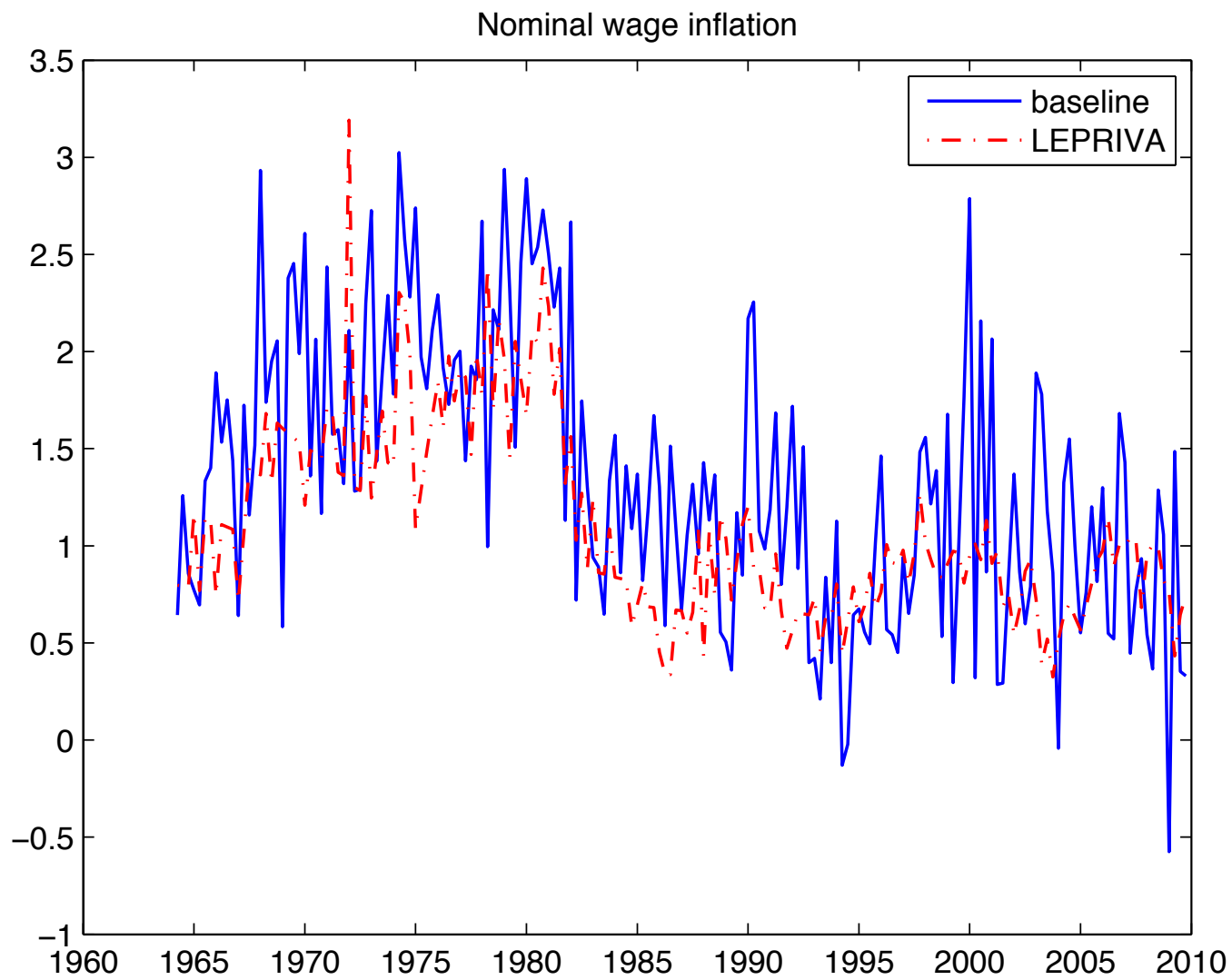
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Importance of measurement of wages



Two wage inflation measures



Importance of measurement of wages

- Re-estimate model using only one series of compensation
 - Standard practice in the DSGE literature (e.g. SW 2007)
- Most parameter estimates are similar to baseline

Importance of measurement of wages

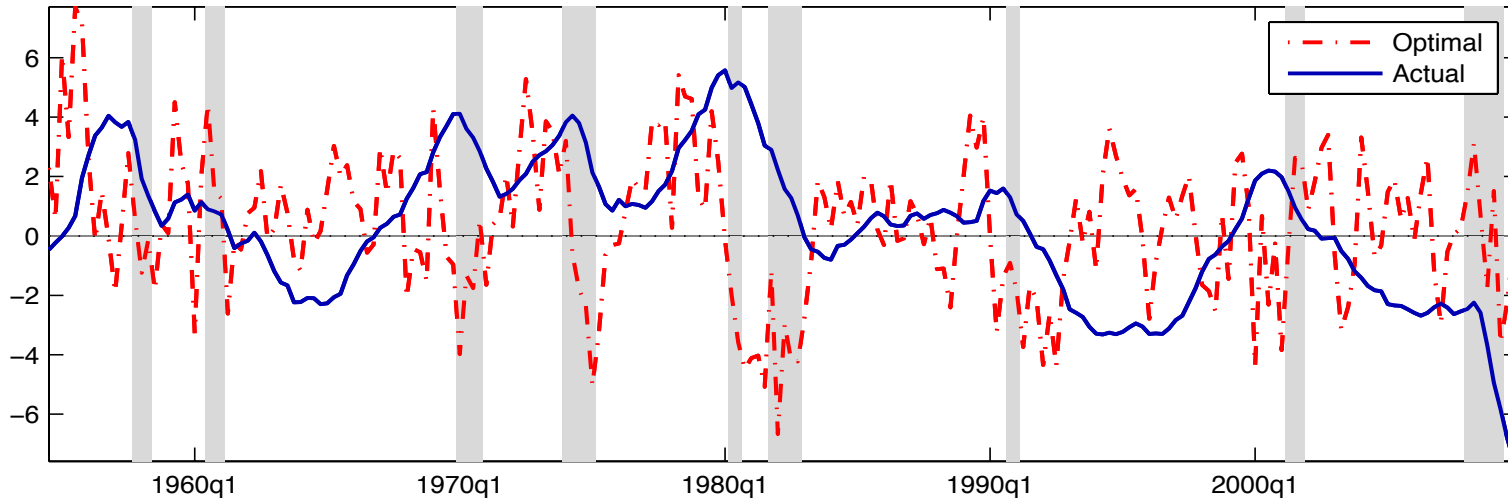
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- One exception: Wage markup shocks
 - Six times as volatile → implausibly volatile
 - Resemble noise
 - Explain most high frequency variation in wages
 - Explain negligible shares of BC variance in all real series

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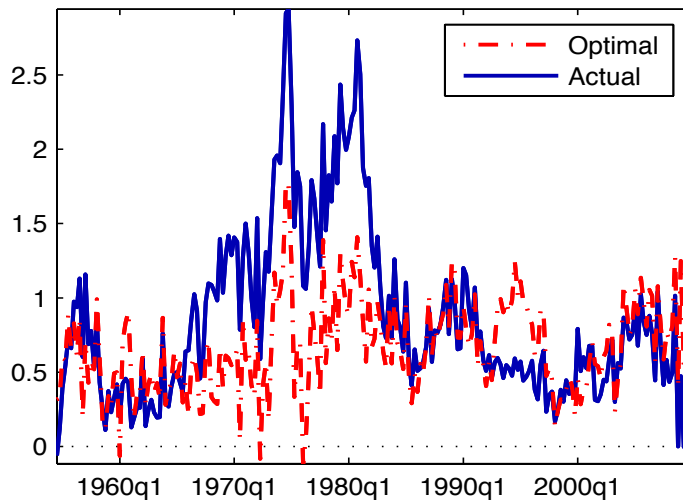
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 - Explain most high frequency variation in wages
 - Explain negligible shares of BC variance in all real series
- Compute the optimal allocation in this model

The optimal allocation in a model estimated with one wage series

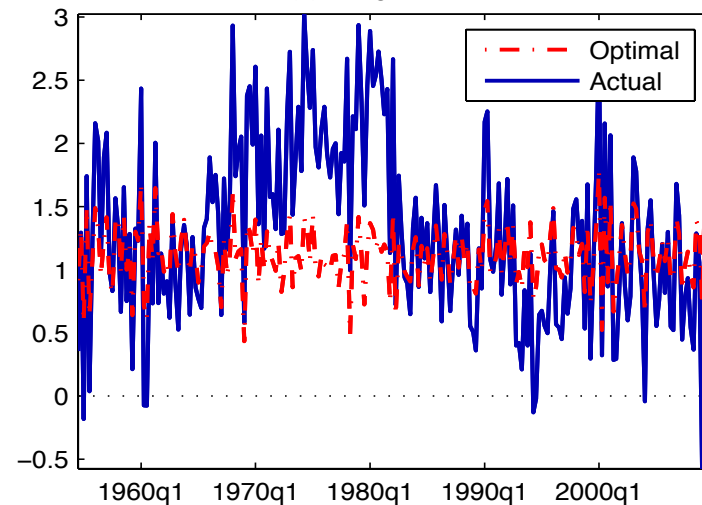
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(c): Wage Inflation



Importance of measurement of wages

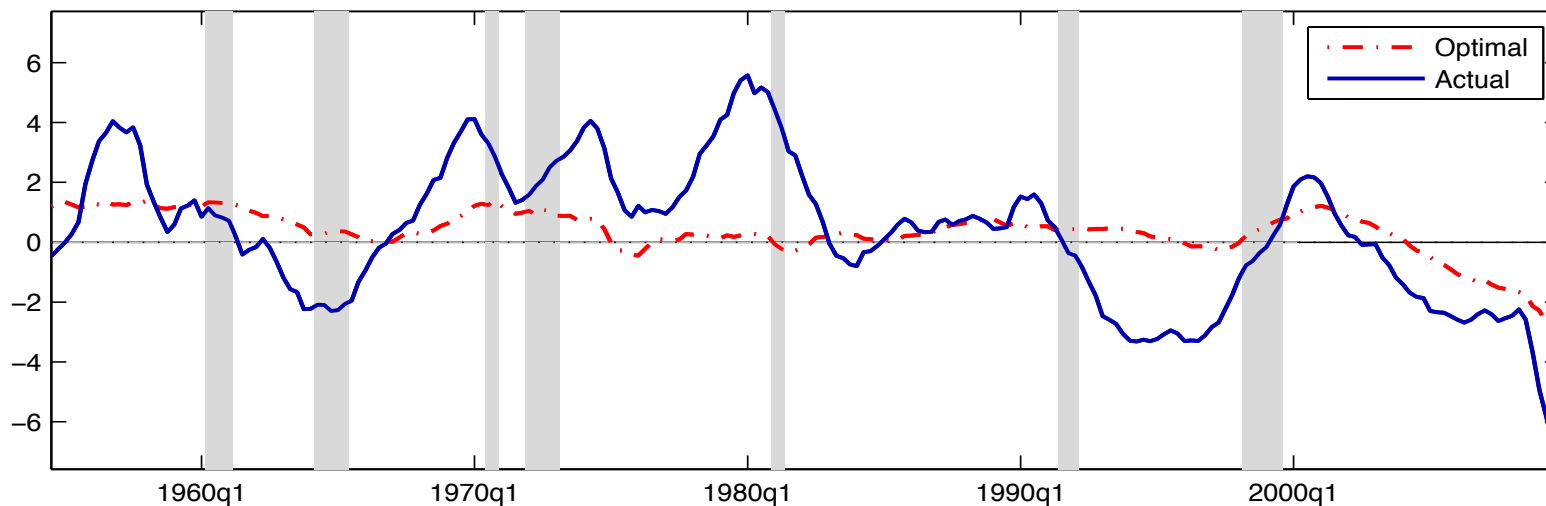
- Model estimated with one wage series:
 - Strong tension between real and nominal stabilization
 - Optimal policy de-stabilizes output to stabilize wages

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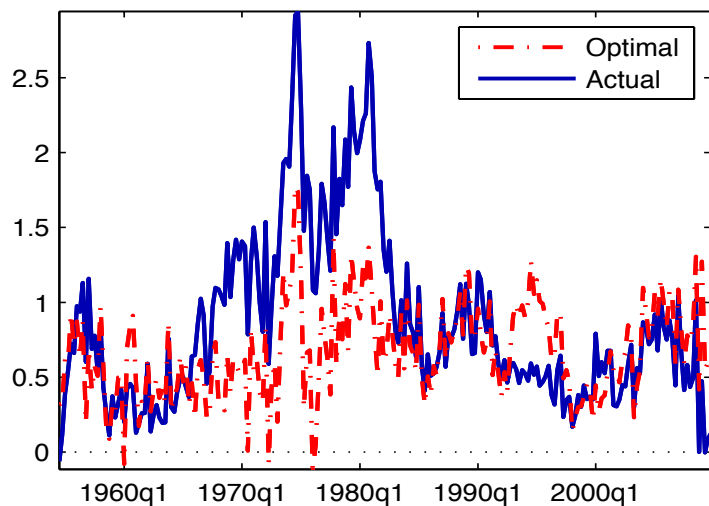
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The optimal allocation without wage markup shocks

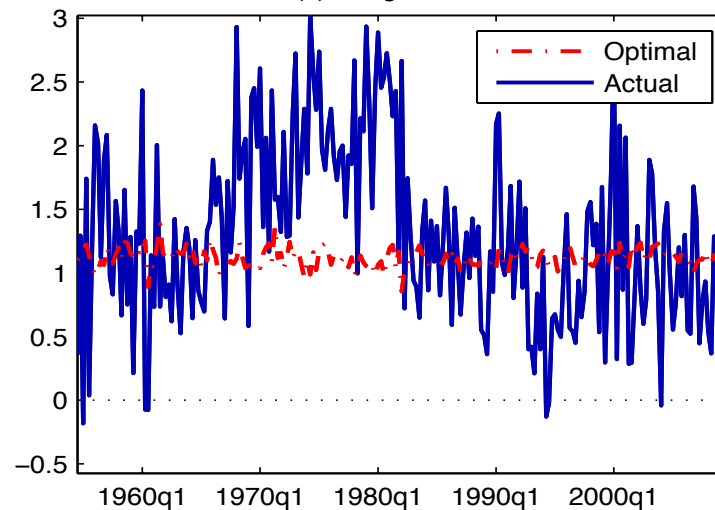
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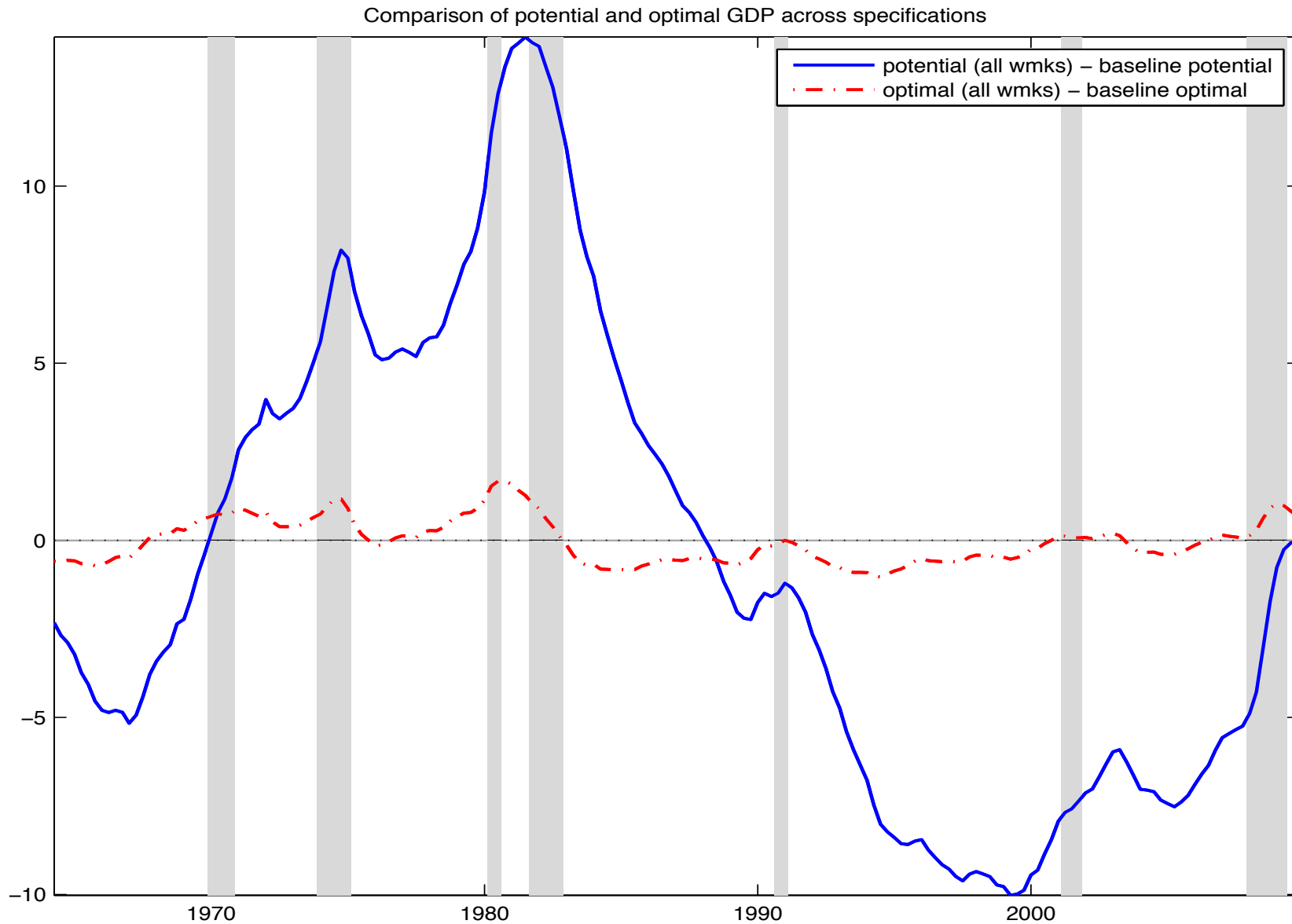
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Importance of measurement of wages

- Model estimated with one wage series:
 - Strong tension between real and nominal stabilization
 - Optimal policy de-stabilizes output to stabilize wages
 - Tension driven by large high frequency variation in desired markups, which seems questionable
 - So much weight on nominal stabilization that optimal output is nearly invariant to the interpretation of labor supply shocks

Potential and optimal output under two interpretations of labor supply shocks



Conclusions

- Inefficient fluctuations are large
- Optimal output \approx potential output
 - A substantial fraction of fluctuations should have been avoided
 - Negligible trade-off between output and inflation stabilization
- Key to the no-trade-off result:
 - Treatment of wages in the estimation
 - Assumption about sources of low frequency labor supply shifts
- Lack of identification of labor supply shocks has only a minor impact on the normative implications of the model (cf. CKM 2010)



The model

- Production technology of final-good producers

$$Y_t = \left[\int_0^1 Y_t(i)^{\frac{1}{1+\lambda_{p,t}}} di \right]^{1+\lambda_{p,t}}$$

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price markup shock

The model

- Production technology of **intermediate goods producers**

$$Y_t(i) = A_t^{1-\alpha} K_t(i)^\alpha L_t(i)^{1-\alpha} - A_t F$$

- Monopolistically competitive markets
- Optimizing firms set prices by maximizing PDV of profits
- Calvo type stickiness: a fraction ξ_p of firms cannot re-optimize
 - index prices to ss and past inflation

The model

- **Households** maximization problem

$$E_0 \sum_{t=0}^{\infty} \beta^t b_t \left[\log(C_t - hC_{t-1}) - \varphi_t \frac{L_t(j)^{1+\nu}}{1+\nu} \right]$$

subject to

$$P_t C_t + P_t I_t + T_t + B_t \leq R_{t-1} B_{t-1} + Q_t(j) + \Pi_t + W_t(j) L_t(j) + r_t^k K_t$$

$$K_{t+1} = (1 - \delta) K_t + \left(1 - S \left(\frac{I_t}{I_{t-1}} \right) \right) \mu_t I_t$$

The model

Labor supply shock

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- Monopolistically competitive suppliers of specialized labor
- Calvo-type stickiness: a fraction ξ_w of HH cannot re-optimize
 - index wages to ss and past inflation-productivity

The model

- **Employment agencies** aggregate differentiated labor into homogeneous labor

$$L_t = \left[\int_0^1 L_t(j) \frac{1}{1+\lambda_{w,t}} di \right]^{1+\lambda_{w,t}}$$

wage markup shock

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wage markup shock

- The wage markup shock and the labor supply shock are observationally equivalent
- ...but have different implications for the behavior of the efficient economy (CKM 2009)

The model: log-linear wage Phillips curve

$$\pi_t^w = \gamma_1 \pi_{t-1}^w + \gamma_2 E_t \pi_{t+1}^w + \kappa \mu_t^w + \kappa \lambda_{w,t}$$

The model

- **Monetary policy** sets the short-term nominal interest rate following a Taylor-type rule

$$\frac{R_t}{R} = \left(\frac{R_{t-1}}{R} \right)^{\rho_R} \left[\left(\frac{\bar{\pi}_{t-3,t}}{\pi_t^*} \right)^{\phi_\pi} \left(\frac{(X_t / X_{t-4})^{1/4}}{e^\gamma} \right)^{\phi_X} \right]^{1-\rho_R} \varepsilon_{R,t}$$

Wage markup shocks: fact or fiction?

- Wage markup shocks in the log-linear version of the model
 - Wage Phillips curve:

$$\pi_t^w = \gamma_1 \pi_{t-1}^w + \gamma_2 E_t \pi_{t+1}^w + \kappa \mu_t^w + \kappa \lambda_{w,t}$$

Std \approx 30 basis points

- Shocks to desired markup in the labor market are large

Alternative interpretation of wage markup shocks

- Take seriously the idea that they might just be “noise”
- Estimate models
 - With measurement error for wages (without wage markup shocks)
 - Fits the data better
 - Without wages as observables
 - Markup shocks become very small
 - With two wage inflation measures
 - In the spirit of factor analysis (Boivin and Giannoni, 2006)
 - Helps identifying idiosyncratic errors from wage markup shocks

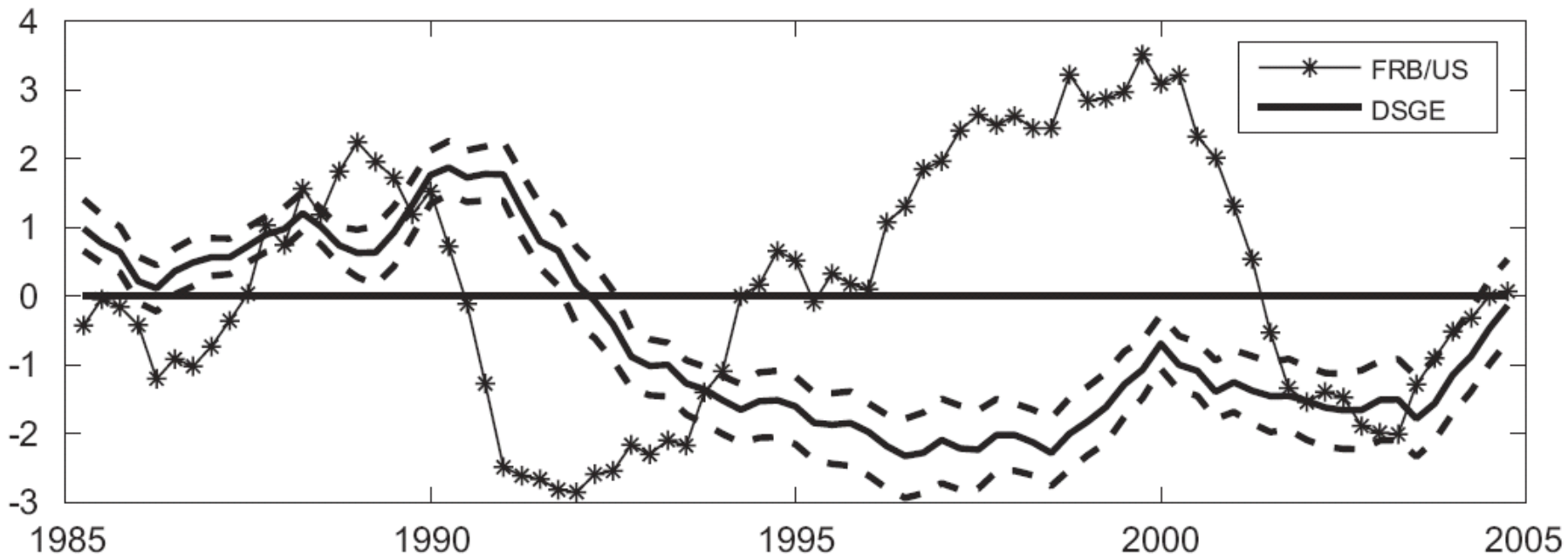


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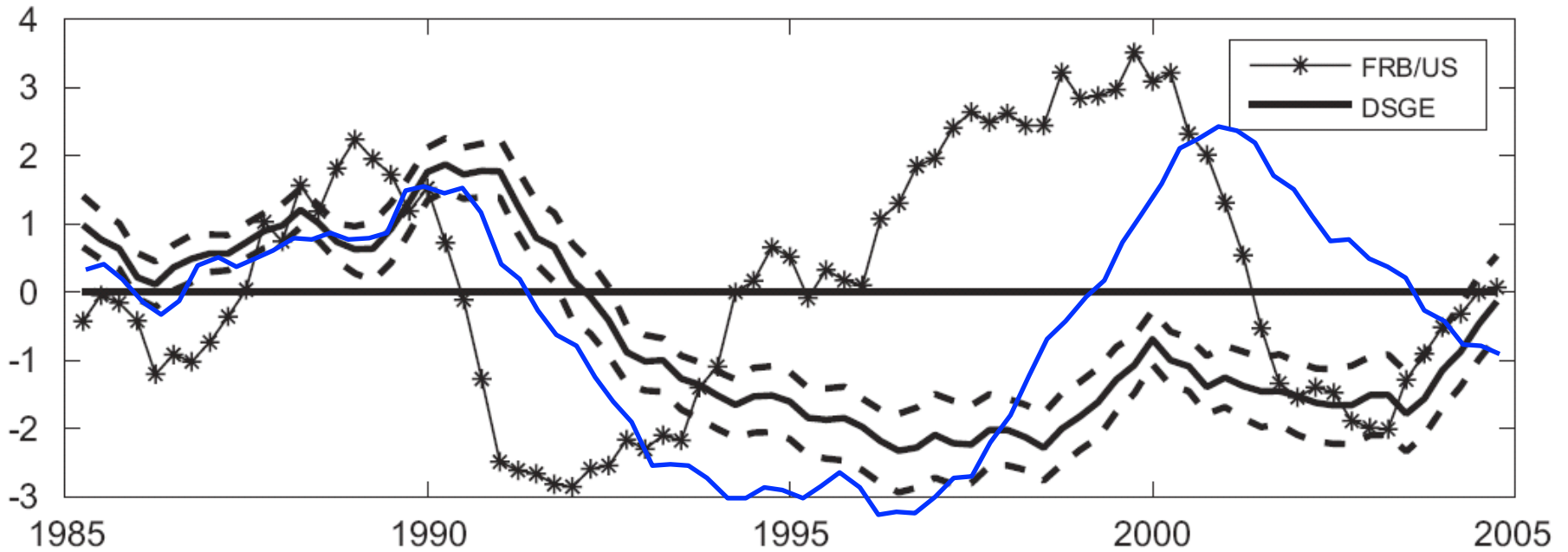
“Going after” (a subset of) the literature

- Output gap estimates differ from standard measures
 - Edge, Kiley and Laforte (2008)
 - Levin, Onatski, Williams and Williams (2005)
 - Andrés, López-Salido and Nelson (2005)

Edge, Kiley and Laforde (2008)

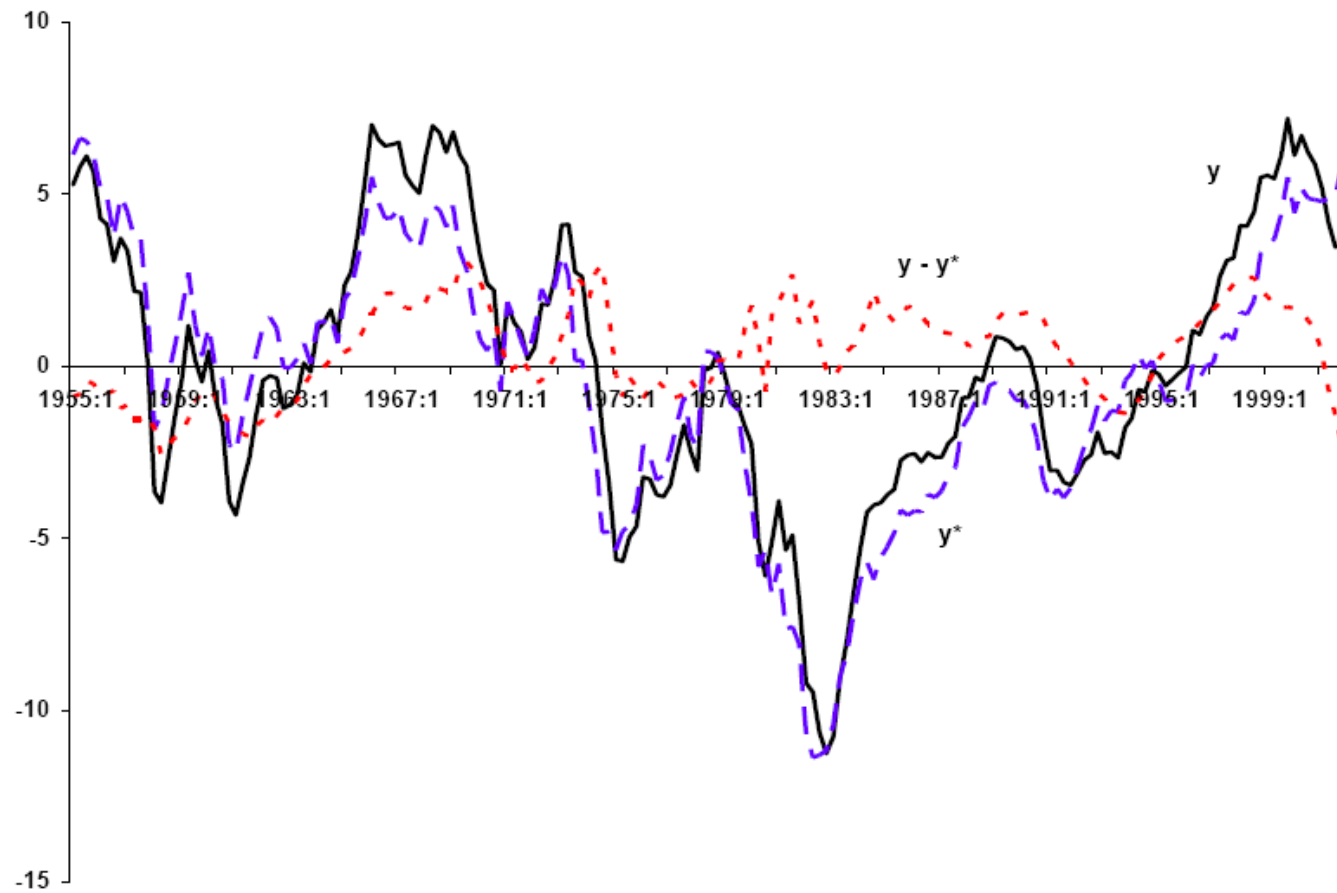


Edge, Kiley and Laforde (2008)

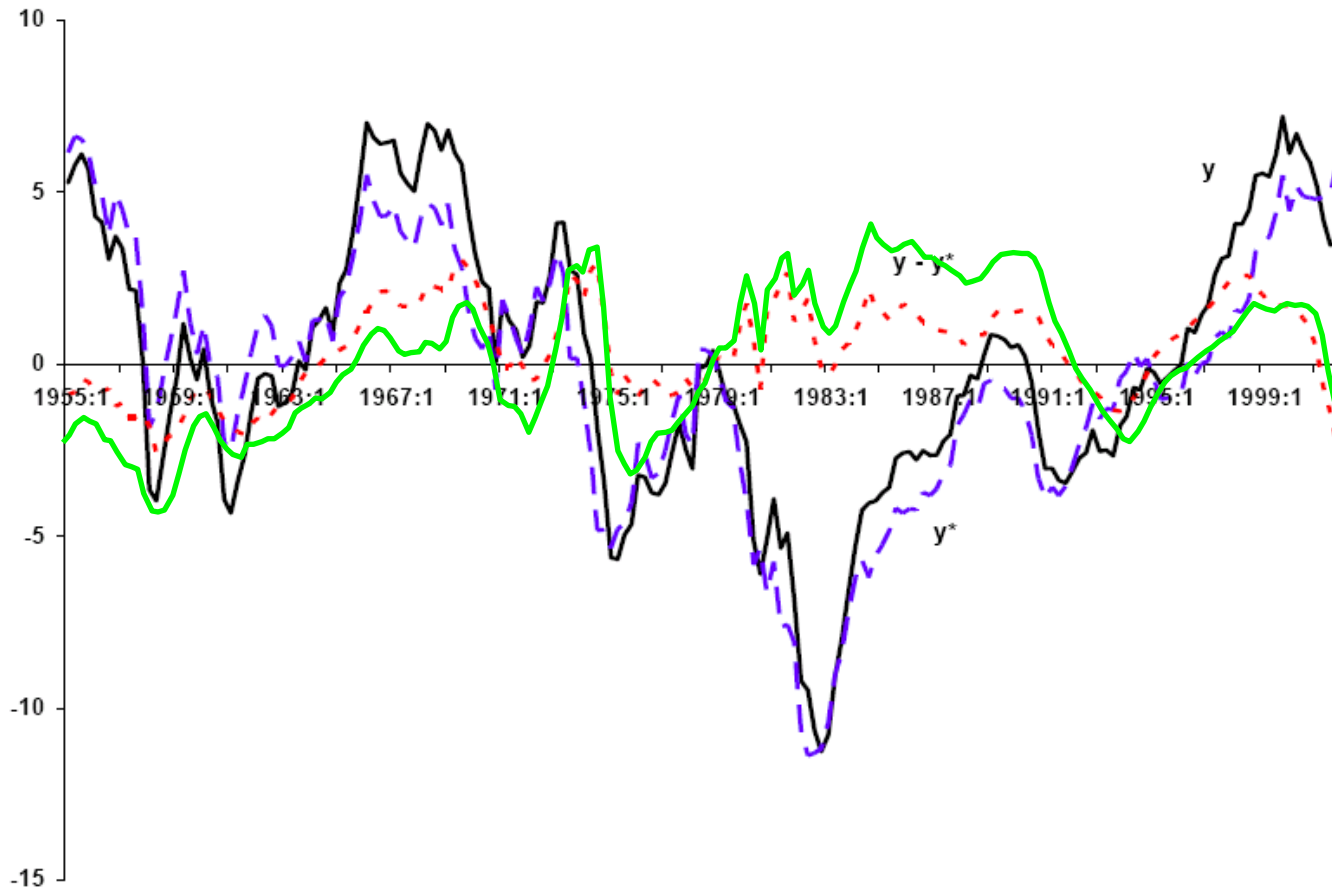


— “Our” gap without π^*

LOWW (2005)

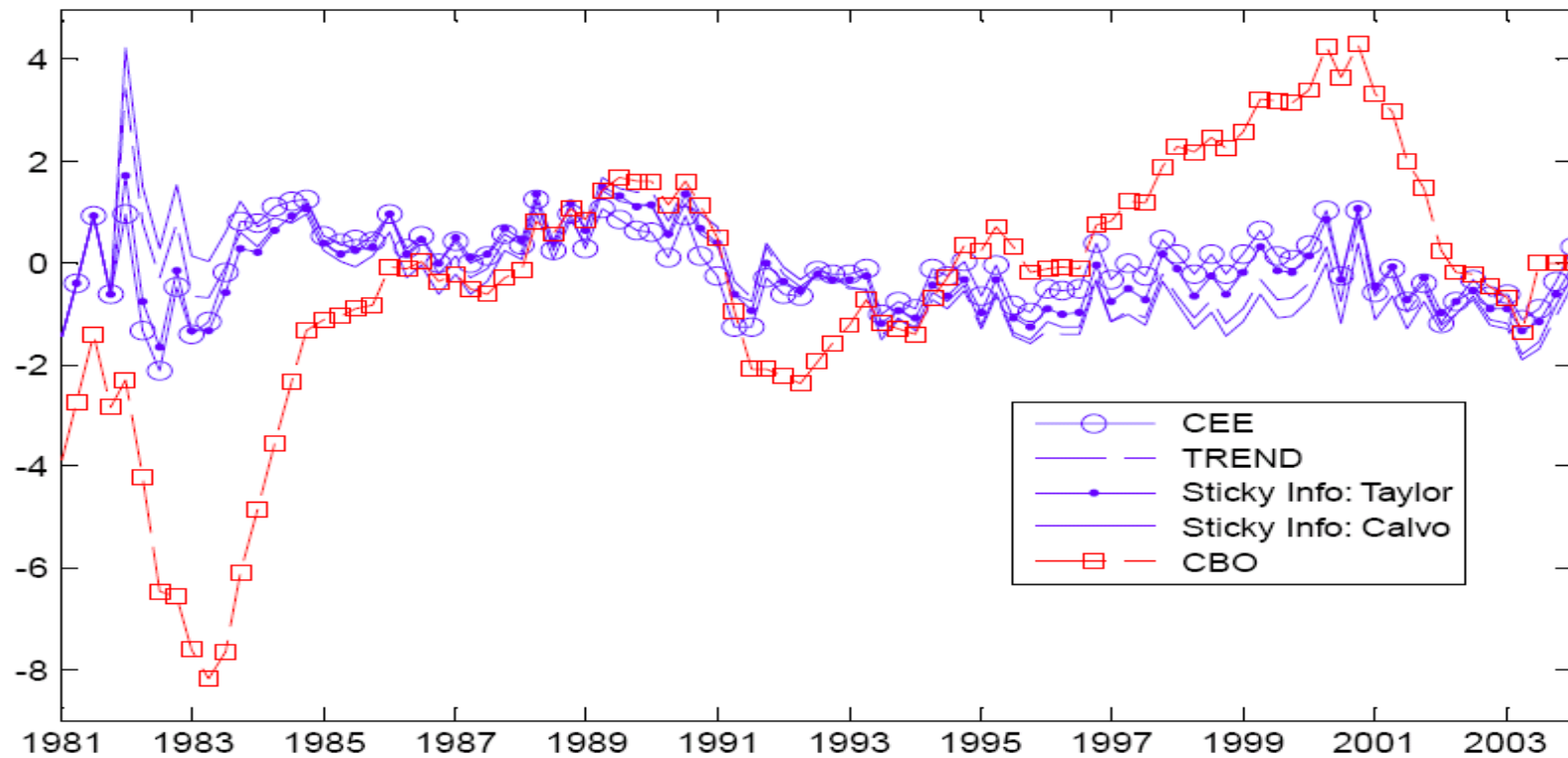


LOWW (2005)

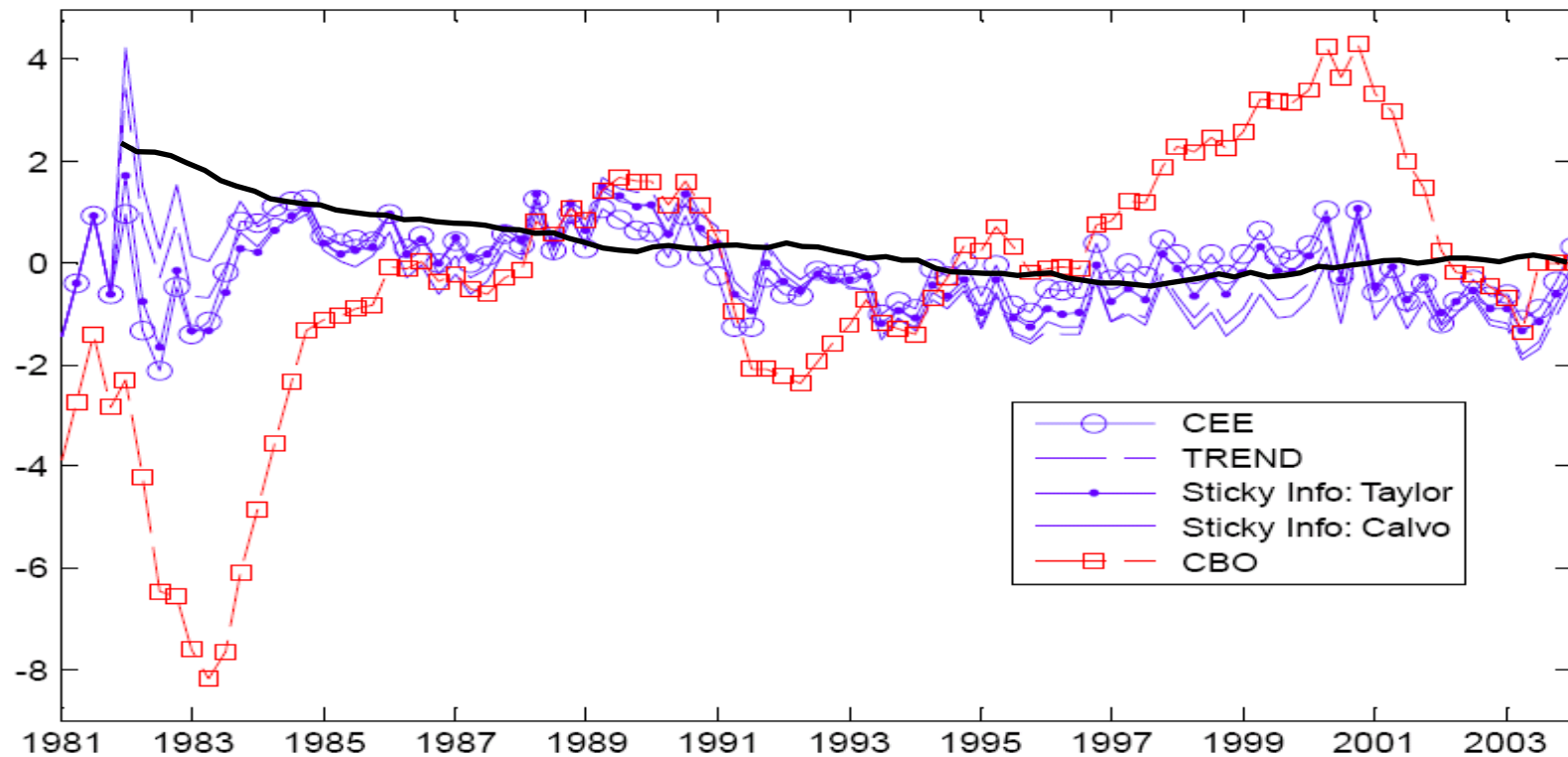


— “Our” gap with LOWW dataset and policy rule

Andrés, López-Salido and Nelson (2005)



Andrés, López-Salido and Nelson (2005)



— “Our” gap without *markup shocks*