

# **Is there a trade-off between inflation and output stabilization?**

Alejandro Justiniano, Federal Reserve Bank of Chicago

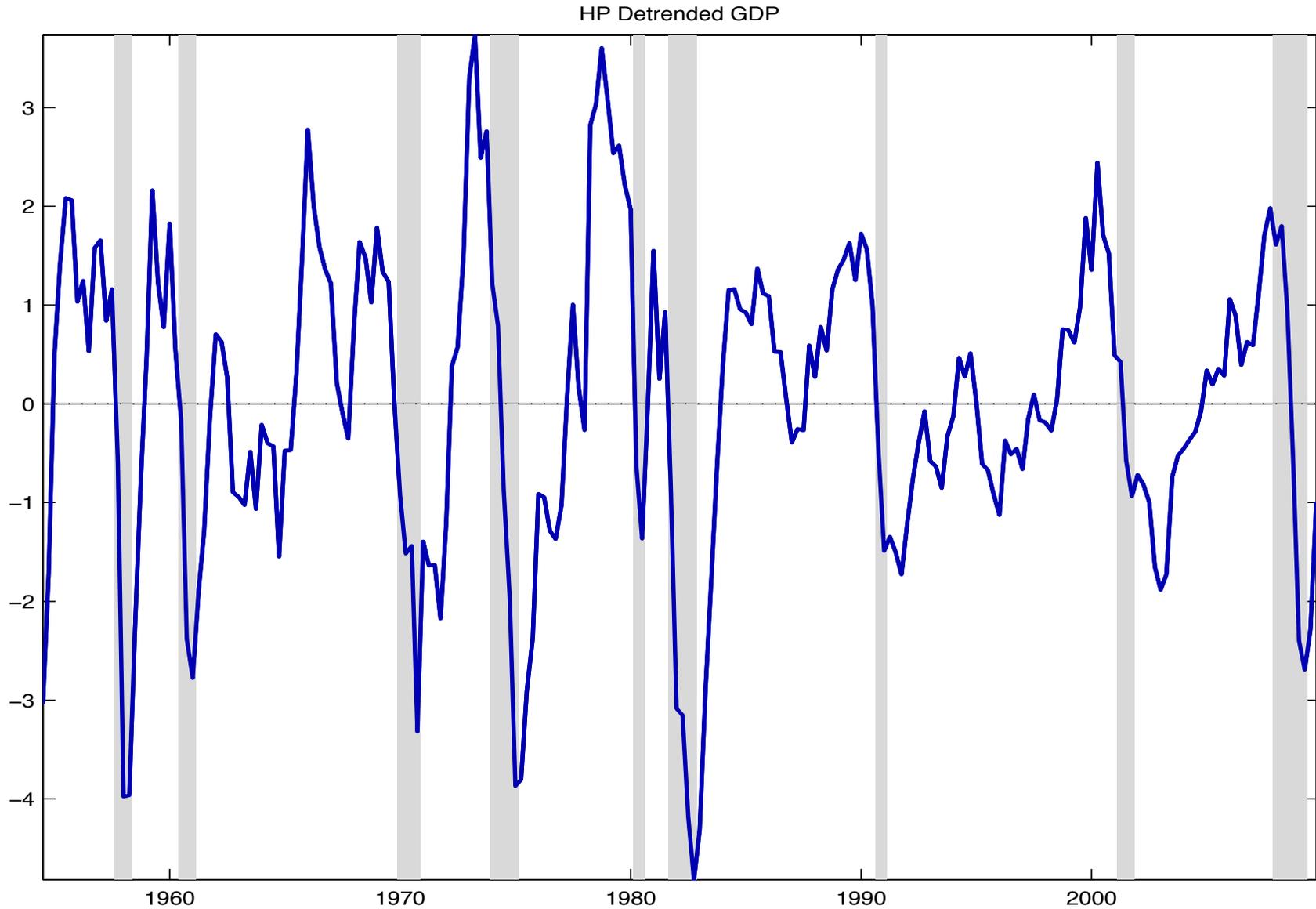
Giorgio Primiceri, Northwestern University

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Federal Reserve Bank of Minneapolis

May 4, 2012

# HP-detrended GDP in the US



# Imperfect competition and inefficient fluctuations

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- Modern business cycle models feature imperfect competition
- Market power in goods / labor markets implies
  - Price **markups** over MC
  - Wage **markups** over the MRS

# Imperfect competition and inefficient fluctuations

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- Markups vary over time for 2 reasons:
  - ① Sticky prices and wages → endogenous markup variation
  - ② Direct shocks to markups → exogenous markup variation

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- Markups vary over time for 2 reasons:
  - ① Sticky prices and wages → endogenous markup variation
  - ② Direct shocks to markups → exogenous markup variation
  
- Markups variation contributes to fluctuations
  - **Inefficient fluctuations**
  - Would not be observed in a competitive economy

# The questions that we address



- ① How important are inefficient fluctuations in US postwar business cycles?

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① How important are inefficient fluctuations in US postwar business cycles?

⇒ Inefficient fluctuations are large

② Should a monetary authority counteract these inefficient fluctuations?

⇒ Yes, because policy faces a minor trade-off between output gap and inflation stabilization

# Outline

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1. Motivating questions
2. Model
3. What is the share of inefficient fluctuations?
  - Estimates of **counterfactual output under constant markups**
4. Is there a trade-off between output and inflation stabilization?
  - Compare **optimal allocation** to allocation with constant markups
5. Key to the no-trade-off result:
  - Treatment of wages in the estimation
  - Assumption about sources of low frequency labor supply shifts

# The model: summary

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- Medium-scale DSGE model of the US business cycle
  - Christiano, Eichenbaum and Evans (2005, JPE)
  - Smets and Wouters (2007, AER)
  
- Stochastic growth model + Shocks + “Frictions”

# The model: summary

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## ■ “Frictions”

### 1. Preferences

- Habit in consumption

### 2. Technology

- Adjustment costs in investment
- Variable capital utilization

### 3. Market structure: Imperfect competition

- Monopolistic competition in products and labor markets
- Price and wage stickiness (endogenous markups)

# Exogenous disturbances

## ■ Tastes & technology

- Neutral technology → growth rate is AR(1)
- Investment specific → AR(1)
- Inter-temporal preference shock → AR(1)
- Intra-temporal preference shock → AR(1)

## ■ Shocks to markets competitiveness

- Markup shock in wages → *i.i.d.*
- Markup shock in prices → AR(1)

## ■ Policy

- Government spending → AR(1)
- MP shocks → *i.i.d.*
- Inflation target shock → persistent AR(1)

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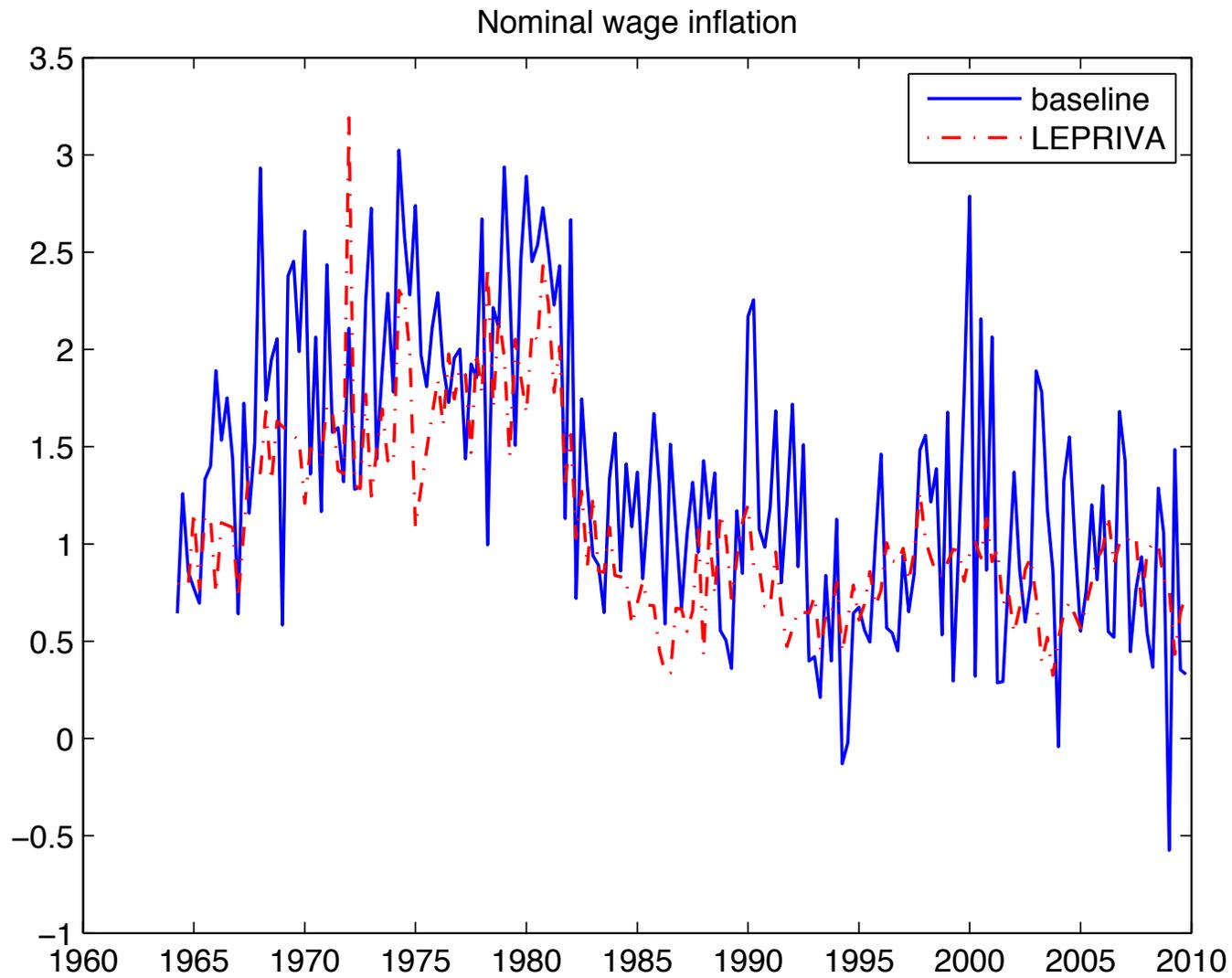
# Data and estimation

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- Observable variables

1. GDP
2. Consumption
3. Investment
4. Hours
5. Inflation
6. Federal funds rate
7. Wages (compensation, total economy)
8. Wages (earnings, non-supervisory and production workers)

# Two wage inflation measures



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  7. Wages (compensation, total economy)
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- Quarterly data from 1964:I to 2009:III
  
- Bayesian inference

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# What is the share of inefficient fluctuations?

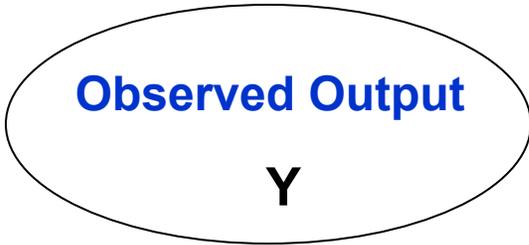
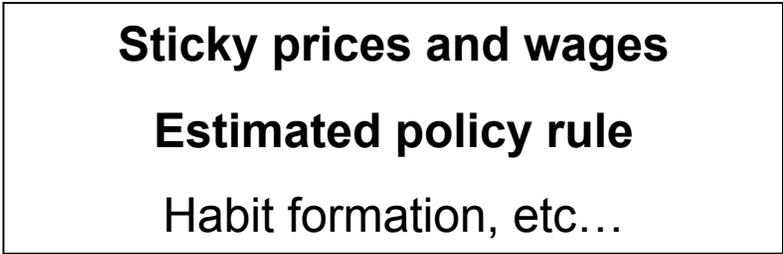
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- Compare actual output to potential output
- Potential output
  - Level of output that would prevail under constant markups
  - Almost same log-linear dynamics of efficient output (i.e. output under perfect competition)

# Model economy

Shocks to preferences  
and technology

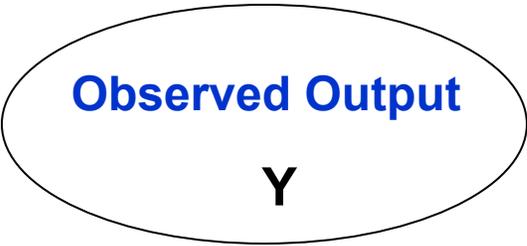
Shocks to the degree of  
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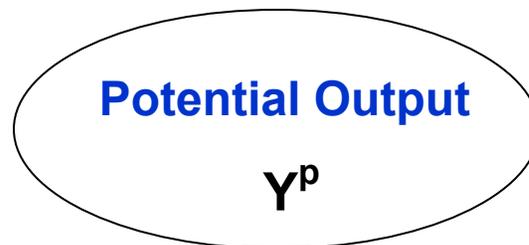
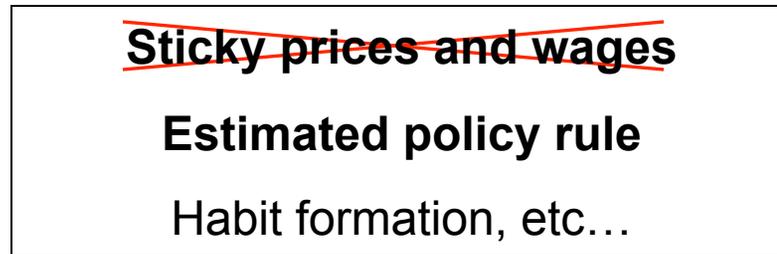
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# Model economy under **constant markups**

Shocks to preferences  
and technology

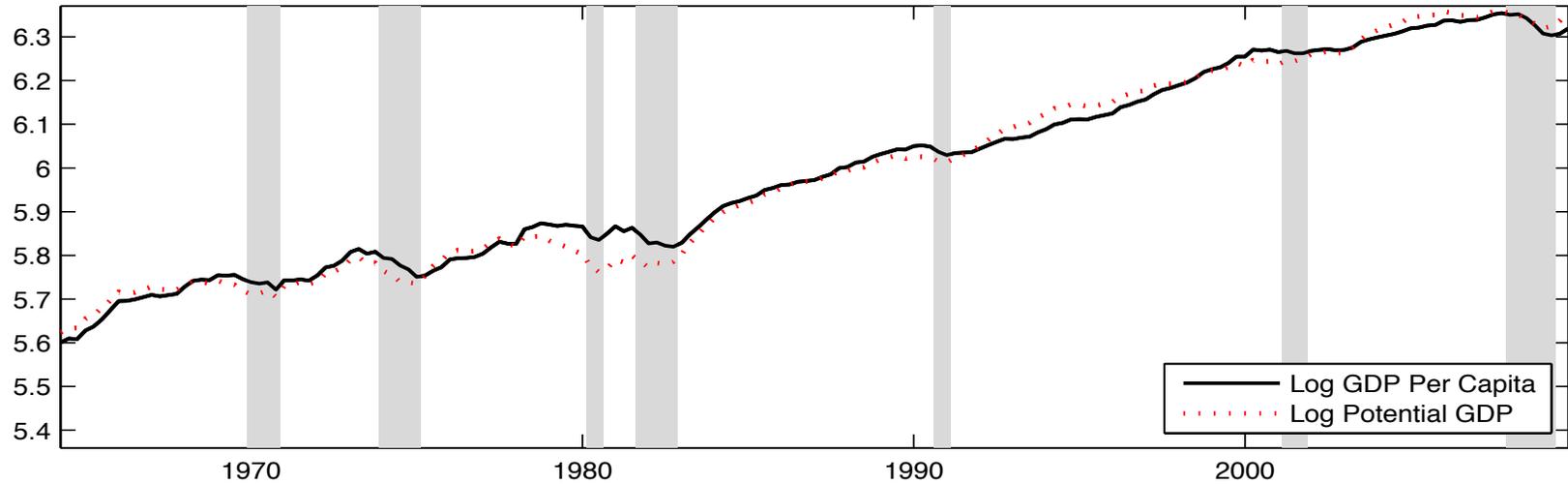
~~Shocks to the degree of  
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**Potential output** = level of output that would have been observed in the absence of inefficient markup variation

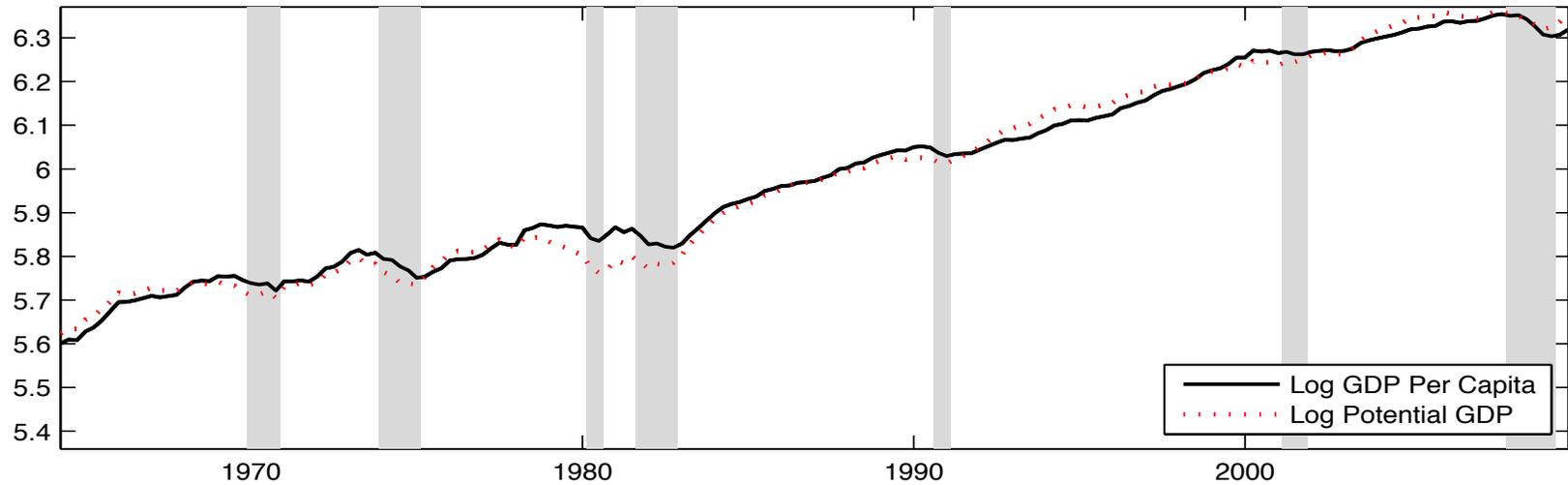
# Actual and DSGE-potential output

(a): GDP and Potential GDP

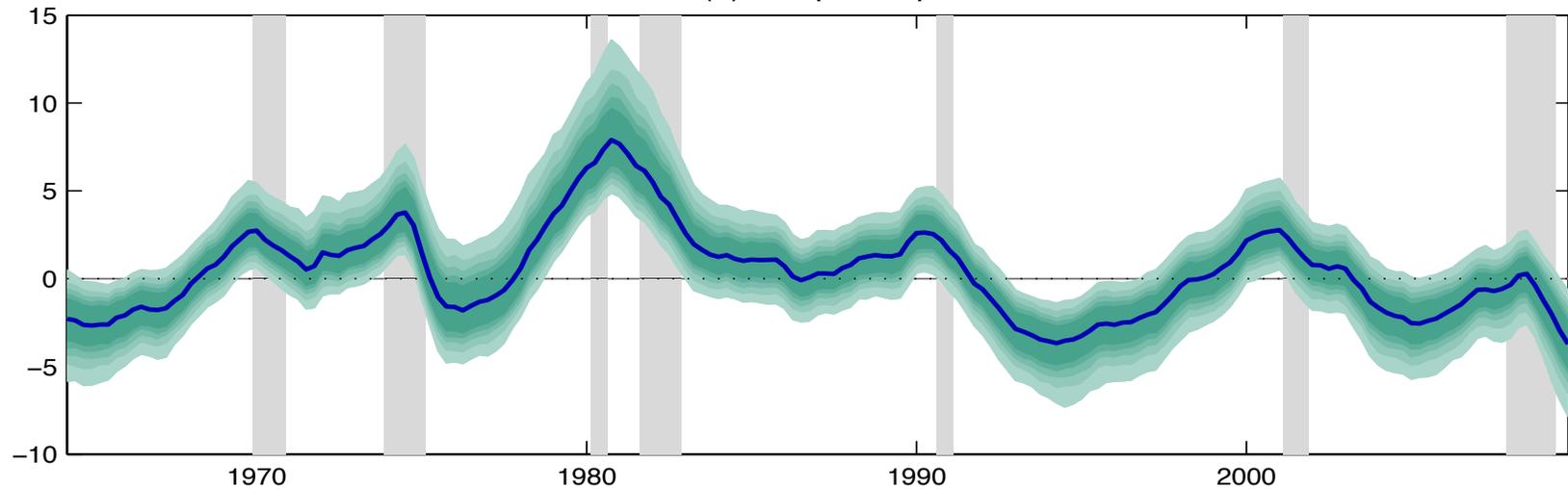


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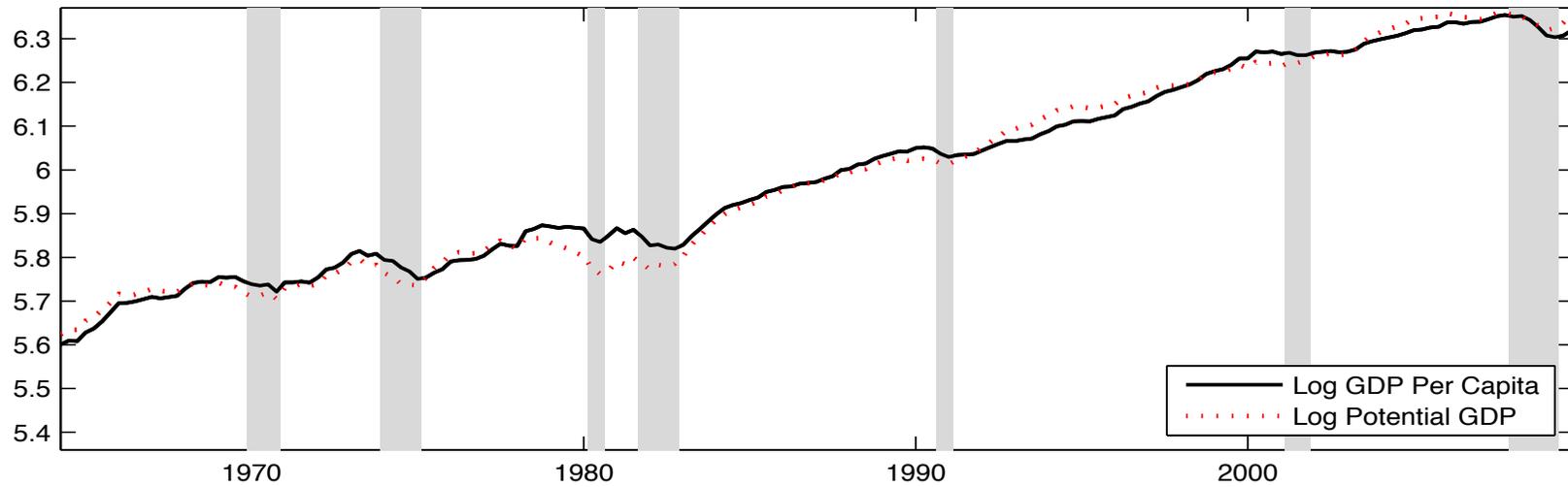


(b): Output Gap

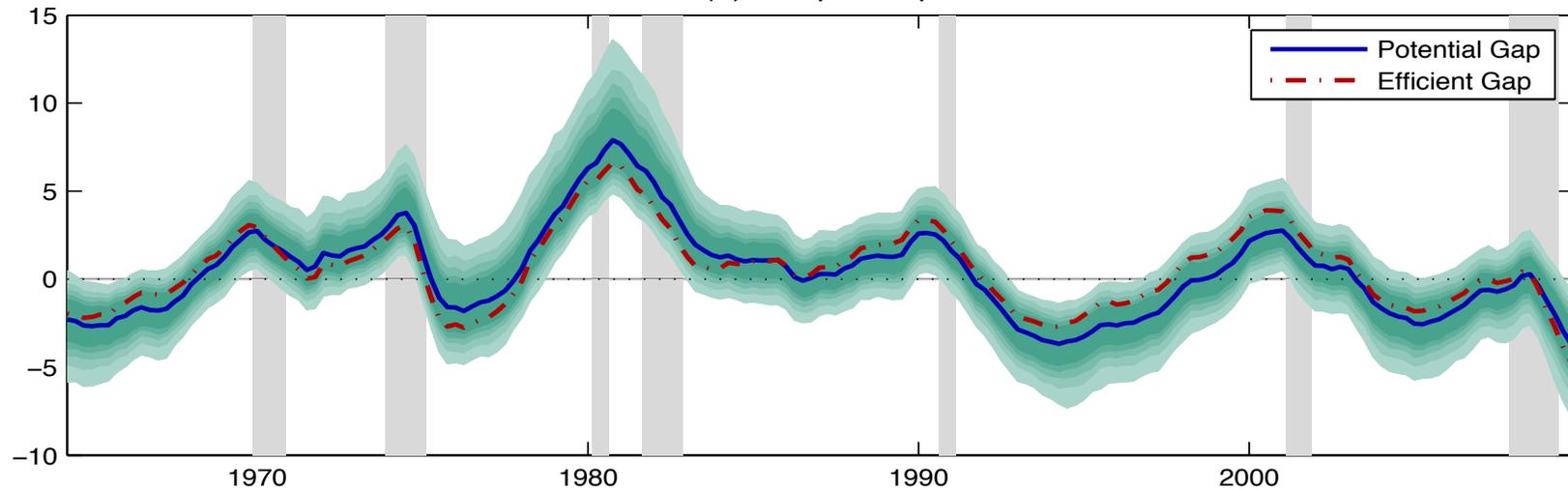


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# Decomposing the business cycle

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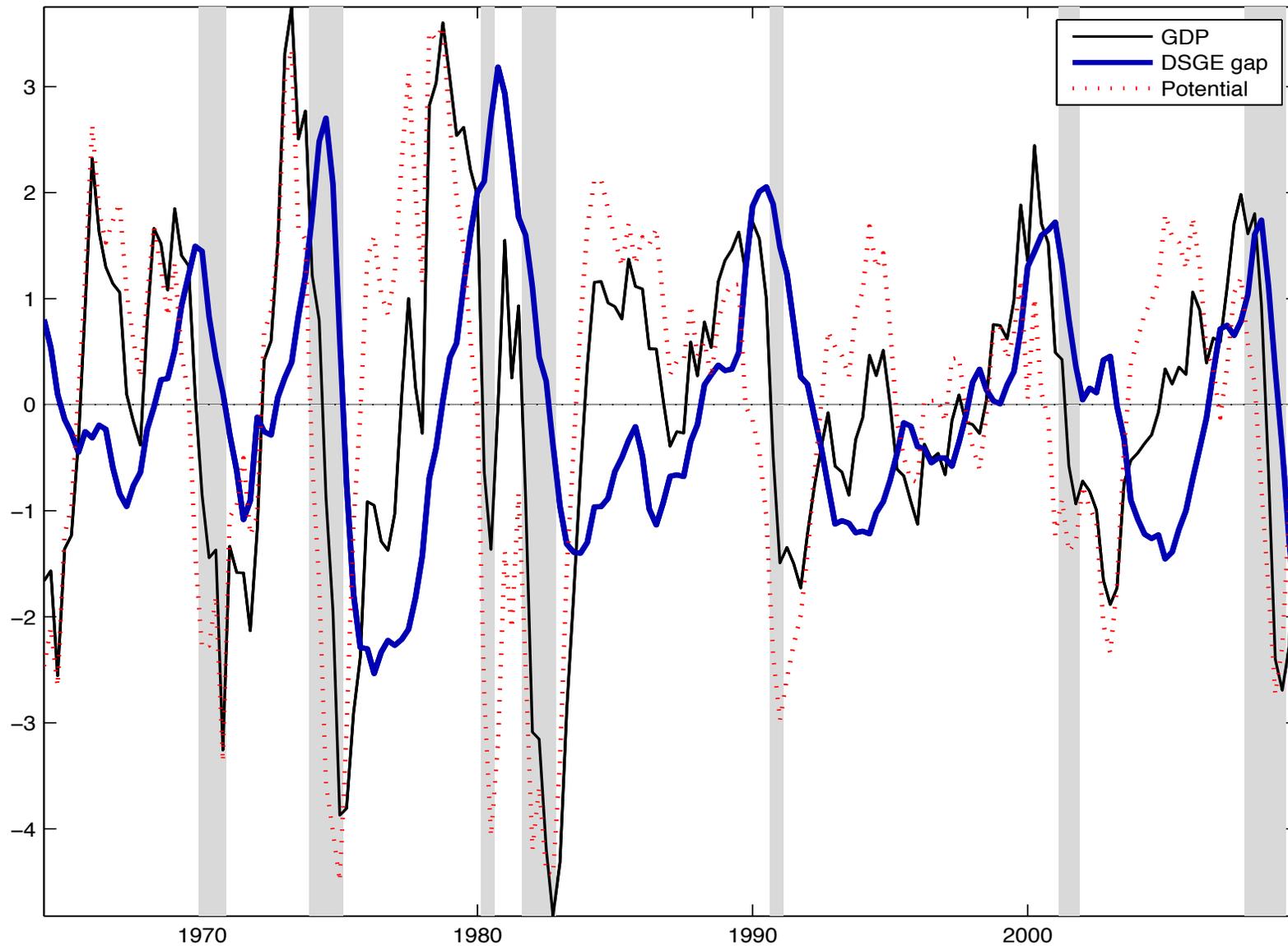
$$y_t = y_t^* + g_t$$

# Decomposing the business cycle

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$$y_t - y_t^{hp} = y_t^* - y_t^{*hp} + g_t - g_t^{hp}$$

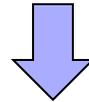
# Output Gap and Business Cycles



# Summary of results about inefficient fluctuations

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- Potential output is quite volatile, as in RBC
- The output gap is cyclical and also quite volatile

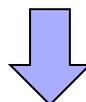


**Inefficient fluctuations are large**

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Inefficient fluctuations are large

- Next question → **What should policy do about it?**

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# The policy tradeoff

- Efficient allocation

- $MRS_t = MPL_t = \frac{W_t}{P_t}$

- $Y_{it} = Y_t \quad \forall i$

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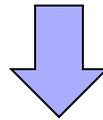
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# The policy tradeoff

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  - Many independent distortions and one instrument

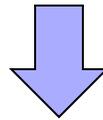


- Tradeoff between
  - Real stabilization, i.e. closing the output gap
  - Nominal stabilization, i.e. eliminating price and wage dispersion

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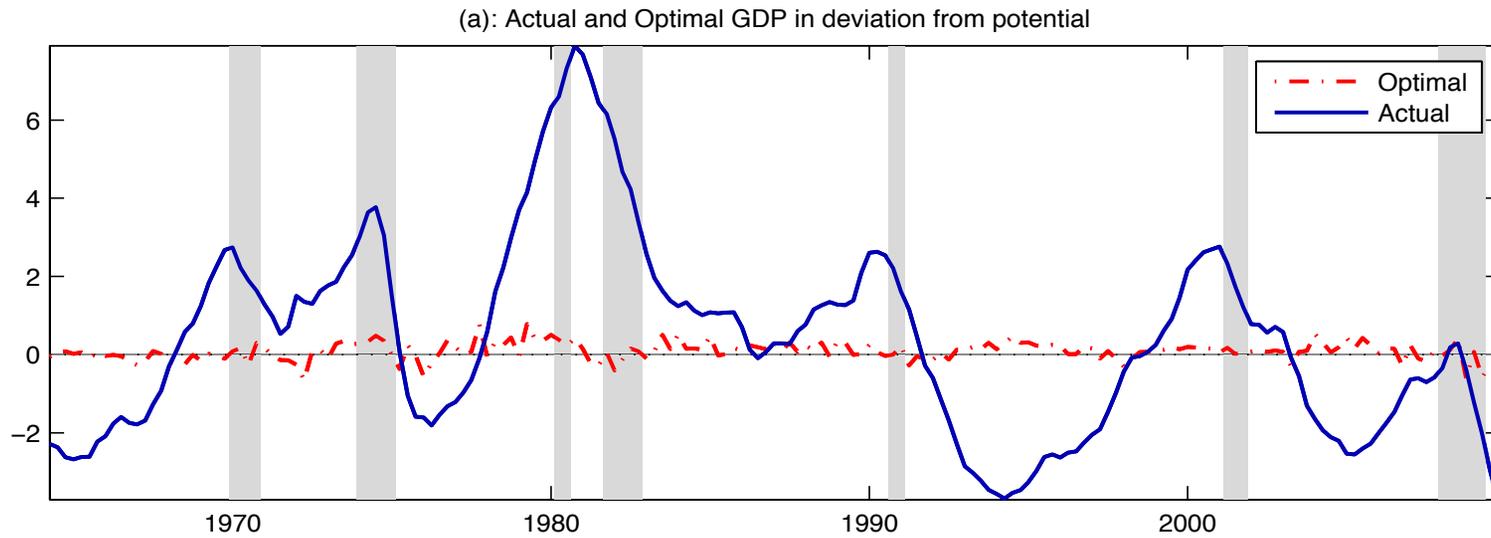
- Tradeoff between
  - Real stabilization, i.e. closing the output gap
  - Nominal stabilization, i.e. eliminating price and wage dispersion
- Sources of trade-off
  - Sticky prices and wages
  - Markup shocks

# The optimal allocation

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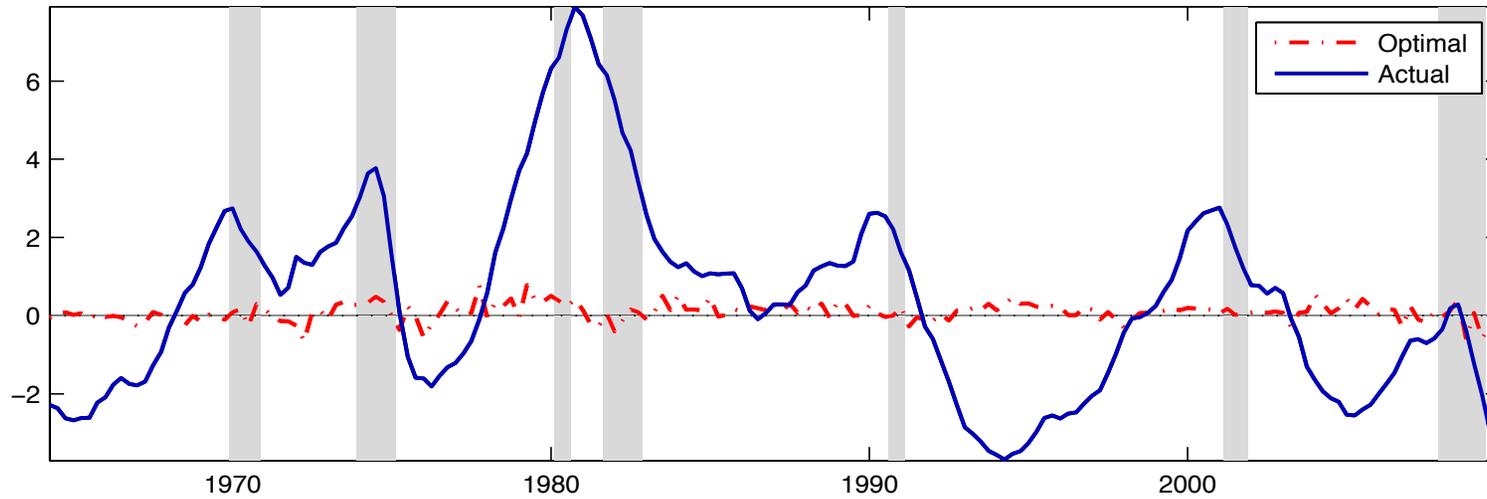
- Maximize the utility of the average HH
  - Subject to the (nonlinear) constraints represented by the equilibrium behavior of private agents
- Compute a first order approximation to the dynamics under optimal policy
- Plot the path of variables in a counterfactual economy hit by the same shocks, but with Ramsey policy since the beginning of time

# The optimal allocation

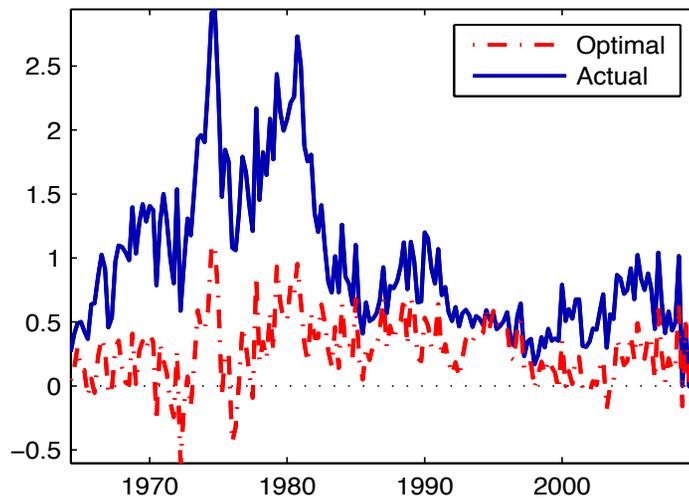


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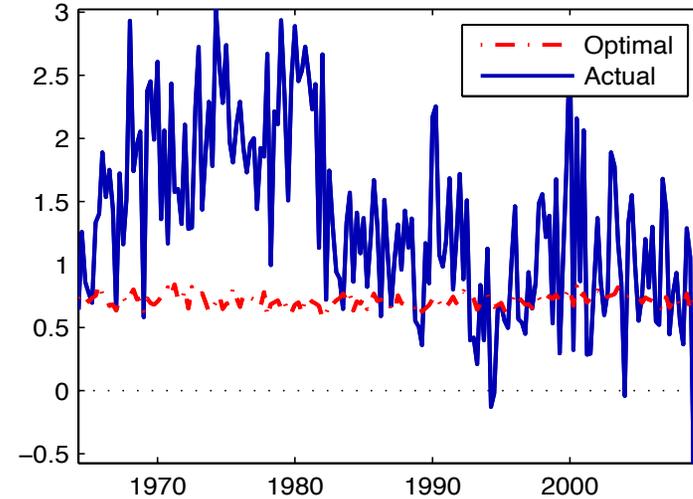
(a): Actual and Optimal GDP in deviation from potential



(b): Price Inflation



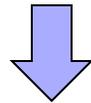
(c): Wage Inflation



# Summary of results about the optimal allocation

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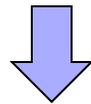
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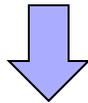


1. Little trade-off between output and inflation stabilization

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1. Little trade-off between output and inflation stabilization
2. A large fraction of fluctuations should have been avoided

# Outline

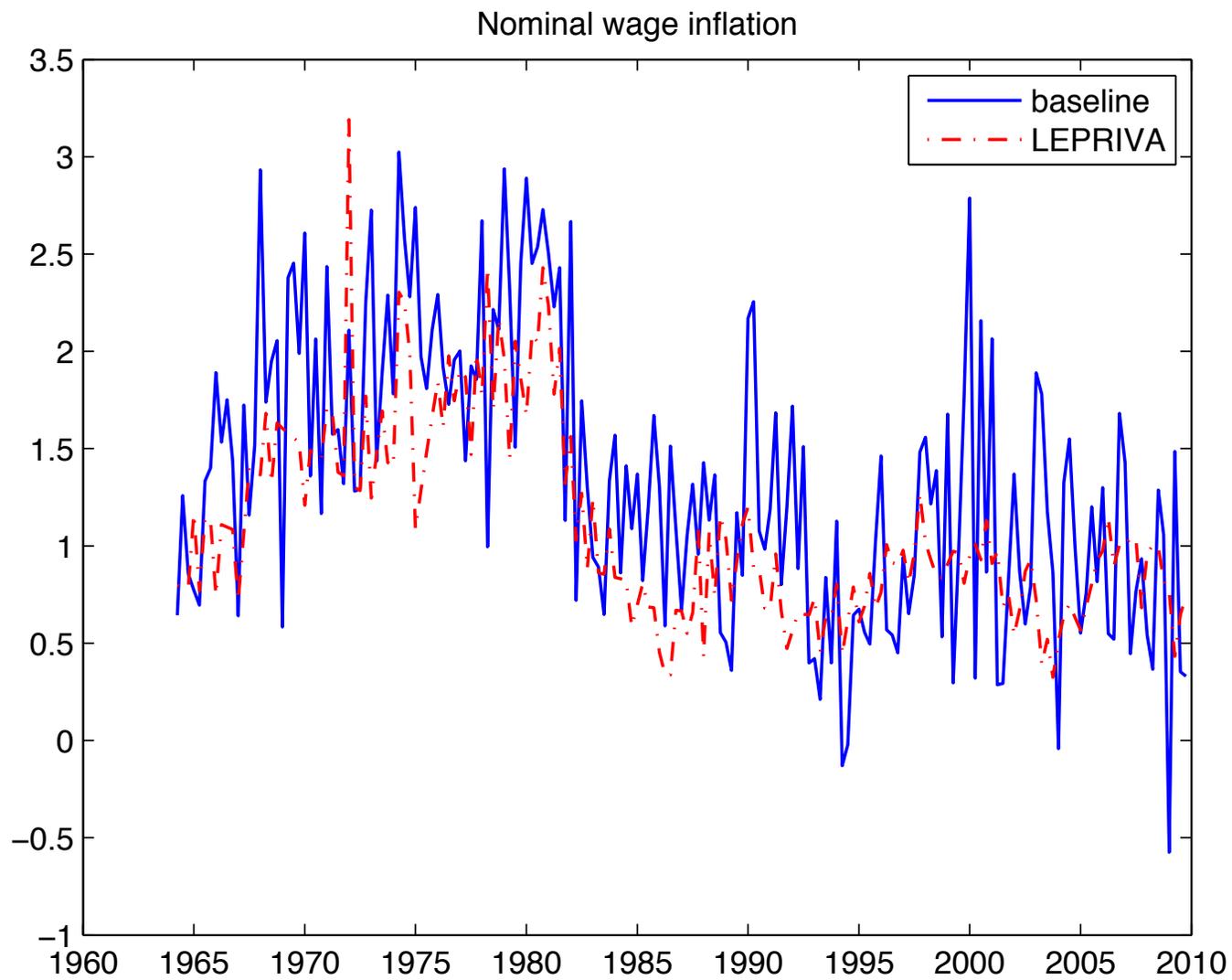


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# **Importance of measurement of wages**



# Two wage inflation measures



# Importance of measurement of wages

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- Re-estimate model using only one series of compensation
  - Standard practice in the DSGE literature (e.g. SW 2007)
- Most parameter estimates are similar to baseline

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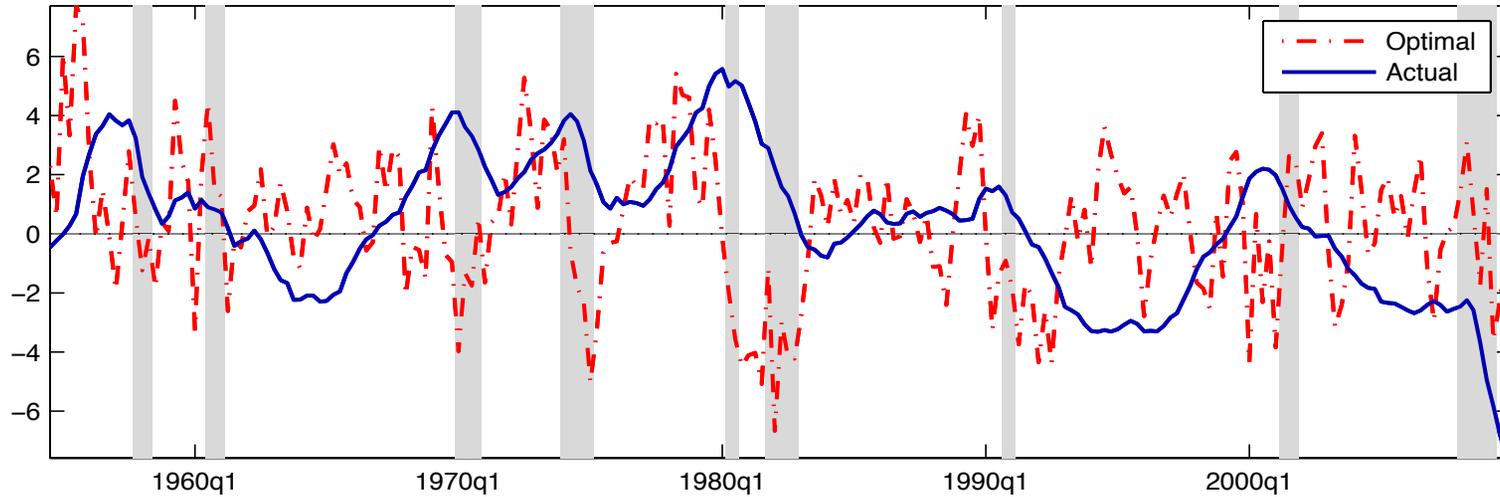
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- One exception: Wage markup shocks
  - Six times as volatile → implausibly volatile
  - Resemble noise
  - Explain most high frequency variation in wages
  - Explain negligible shares of BC variance in all real series

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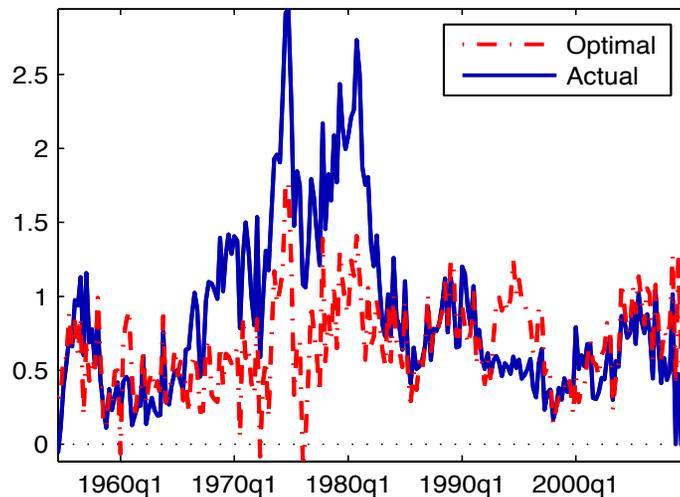
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- Compute the optimal allocation in this model

# The optimal allocation in a model estimated with one wage series

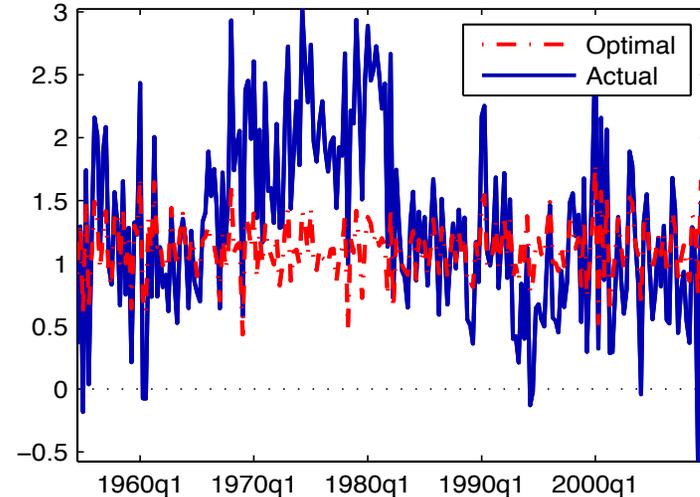
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# Importance of measurement of wages

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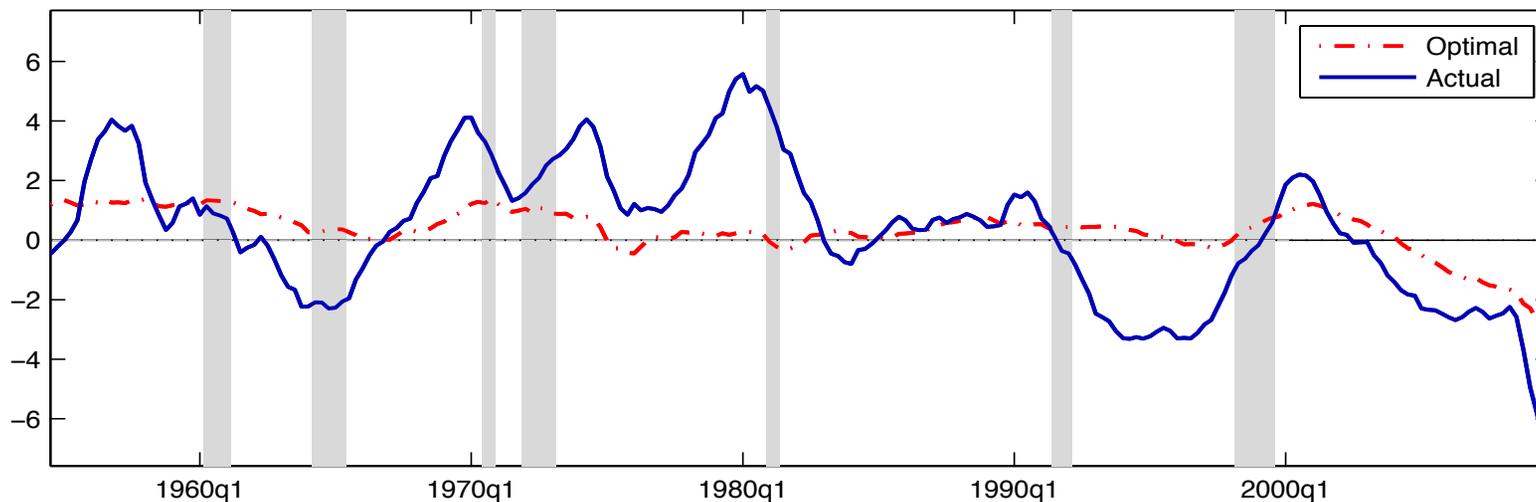
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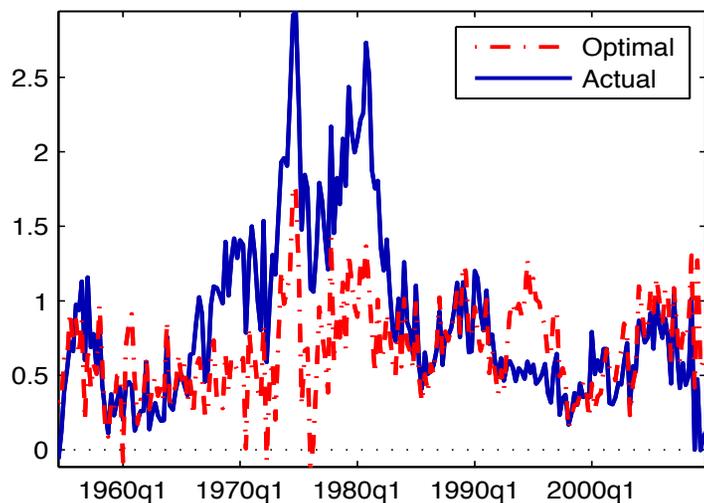
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# The optimal allocation without wage markup shocks

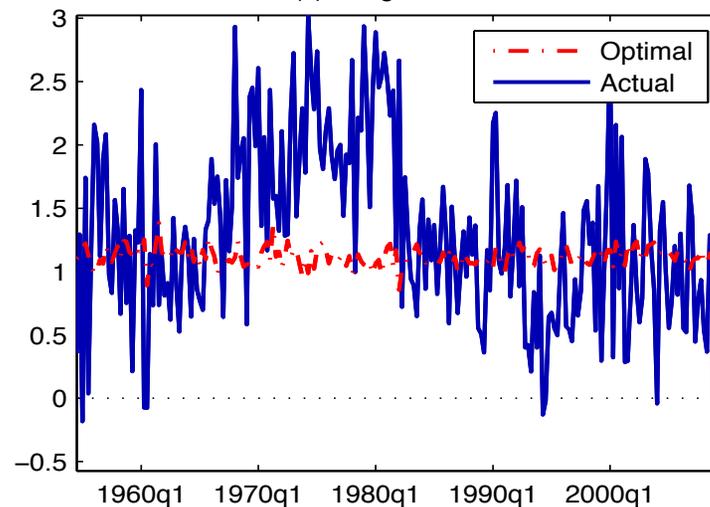
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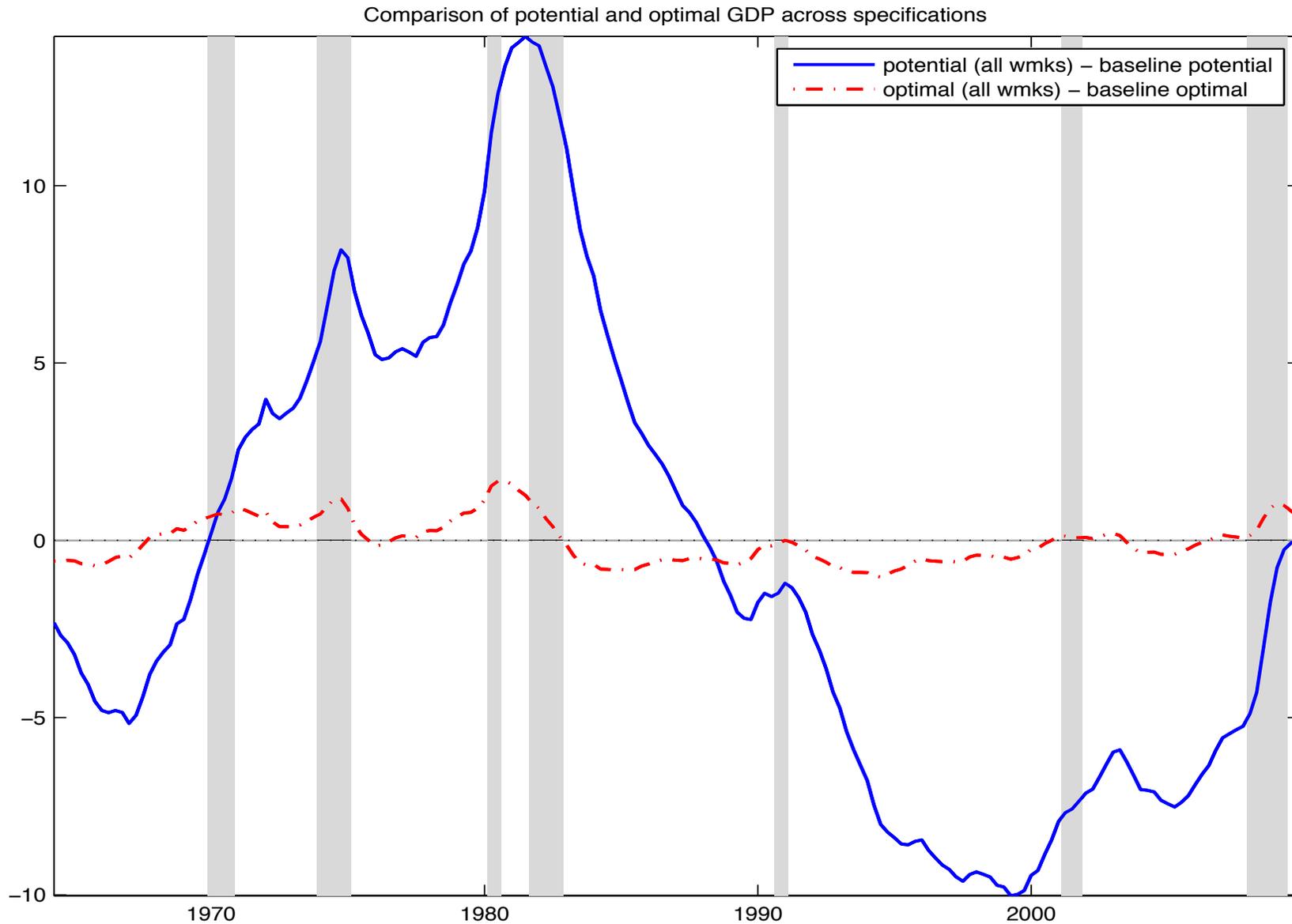


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  - So much weight on nominal stabilization that optimal output is nearly invariant to the interpretation of labor supply shocks

# Potential and optimal output under two interpretations of labor supply shocks



# Conclusions

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- Inefficient fluctuations are large
- Optimal output  $\approx$  potential output
  - A substantial fraction of fluctuations should have been avoided
  - Negligible trade-off between output and inflation stabilization
- Key to the no-trade-off result:
  - Treatment of wages in the estimation
  - Assumption about sources of low frequency labor supply shifts
- Lack of identification of labor supply shocks has only a minor impact on the normative implications of the model (cf. CKM 2010)



# The model

- Production technology of final-good producers

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price markup shock

# The model

- Production technology of **intermediate goods producers**

$$Y_t(i) = A_t^{1-\alpha} K_t(i)^\alpha L_t(i)^{1-\alpha} - A_t F$$

- Monopolistically competitive markets
- Optimizing firms set prices by maximizing PDV of profits
- Calvo type stickiness: a fraction  $\xi_p$  of firms cannot re-optimize
  - index prices to ss and past inflation

# The model

- **Households** maximization problem

$$E_0 \sum_{t=0}^{\infty} \beta^t b_t \left[ \log(C_t - hC_{t-1}) - \varphi_t \frac{L_t(j)^{1+\nu}}{1+\nu} \right]$$

subject to

$$P_t C_t + P_t I_t + T_t + B_t \leq R_{t-1} B_{t-1} + Q_t(j) + \Pi_t + W_t(j) L_t(j) + r_t^k K_t$$

$$K_{t+1} = (1 - \delta) K_t + \left( 1 - S \left( \frac{I_t}{I_{t-1}} \right) \right) \mu_t I_t$$

# The model

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- Monopolistically competitive suppliers of specialized labor
- Calvo-type stickiness: a fraction  $\xi_w$  of HH cannot re-optimize
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# The model

- **Employment agencies** aggregate differentiated labor into homogeneous labor

$$L_t = \left[ \int_0^1 L_t(j) \frac{1}{1+\lambda_{w,t}} di \right]^{1+\lambda_{w,t}}$$

wage markup shock

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wage markup shock

- The wage markup shock and the labor supply shock are observationally equivalent
- ...but have different implications for the behavior of the efficient economy (CKM 2009)

# The model: log-linear wage Phillips curve

---

$$\pi_t^w = \gamma_1 \pi_{t-1}^w + \gamma_2 E_t \pi_{t+1}^w + \kappa \mu_t^w + \kappa \lambda_{w,t}$$

# The model

- **Monetary policy** sets the short-term nominal interest rate following a Taylor-type rule

$$\frac{R_t}{R} = \left( \frac{R_{t-1}}{R} \right)^{\rho_R} \left[ \left( \frac{\bar{\pi}_{t-3,t}}{\pi_t^*} \right)^{\phi_\pi} \left( \frac{(X_t / X_{t-4})^{1/4}}{e^\gamma} \right)^{\phi_X} \right]^{1-\rho_R} \varepsilon_{R,t}$$

# Wage markup shocks: fact or fiction?

- Wage markup shocks in the log-linear version of the model
  - Wage Phillips curve:

$$\pi_t^w = \gamma_1 \pi_{t-1}^w + \gamma_2 E_t \pi_{t+1}^w + \kappa \mu_t^w + \kappa \lambda_{w,t}$$

Std  $\approx$  30 basis points

- Shocks to desired markup in the labor market are large

## Alternative interpretation of wage markup shocks

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- Take seriously the idea that they might just be “noise”
- Estimate models
  - With measurement error for wages (without wage markup shocks)
    - Fits the data better
  - Without wages as observables
    - Markup shocks become very small
  - With two wage inflation measures
    - In the spirit of factor analysis (Boivin and Giannoni, 2006)
    - Helps identifying idiosyncratic errors from wage markup shocks



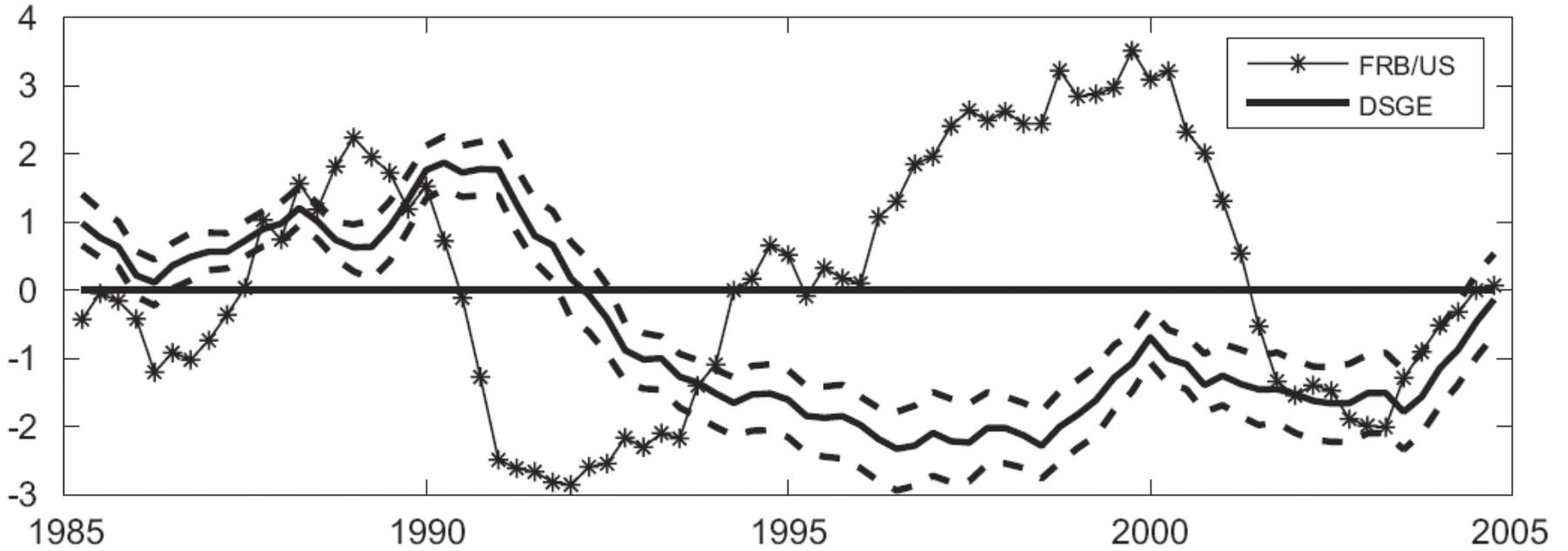
**Markup shocks are very small**

# “Going after” (a subset of) the literature

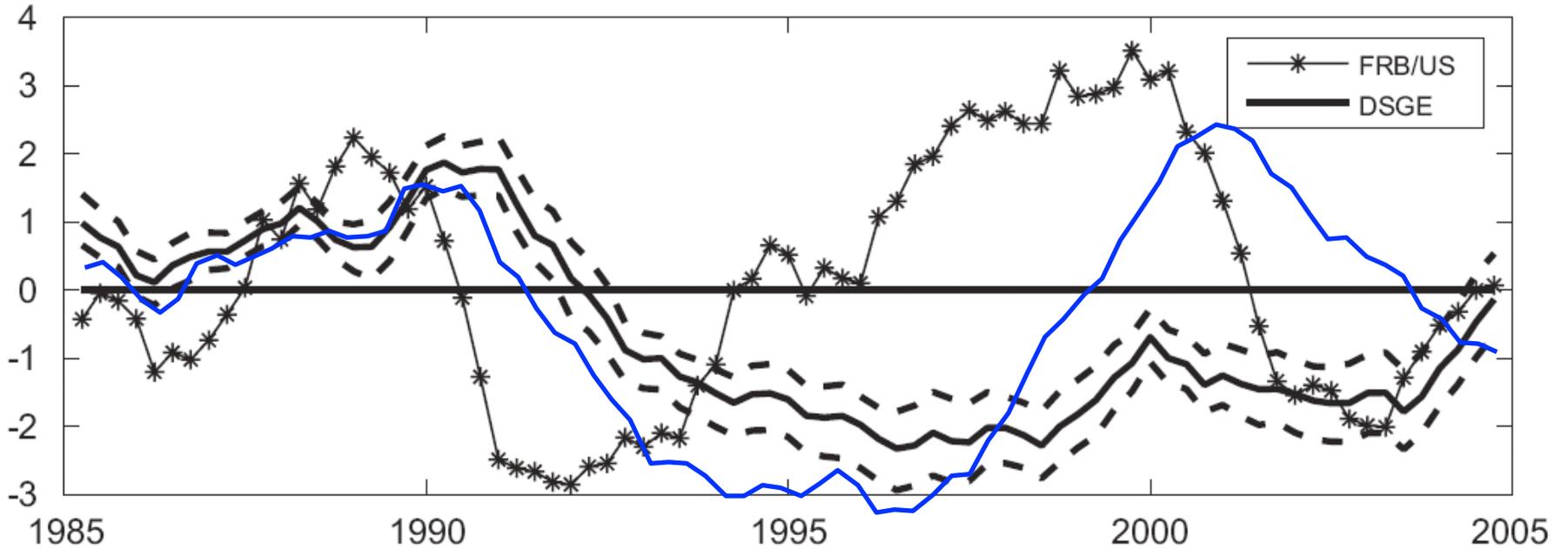
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- Output gap estimates differ from standard measures
  - Edge, Kiley and Laforte (2008)
  - Levin, Onatski, Williams and Williams (2005)
  - Andrés, López-Salido and Nelson (2005)

# Edge, Kiley and Laforde (2008)

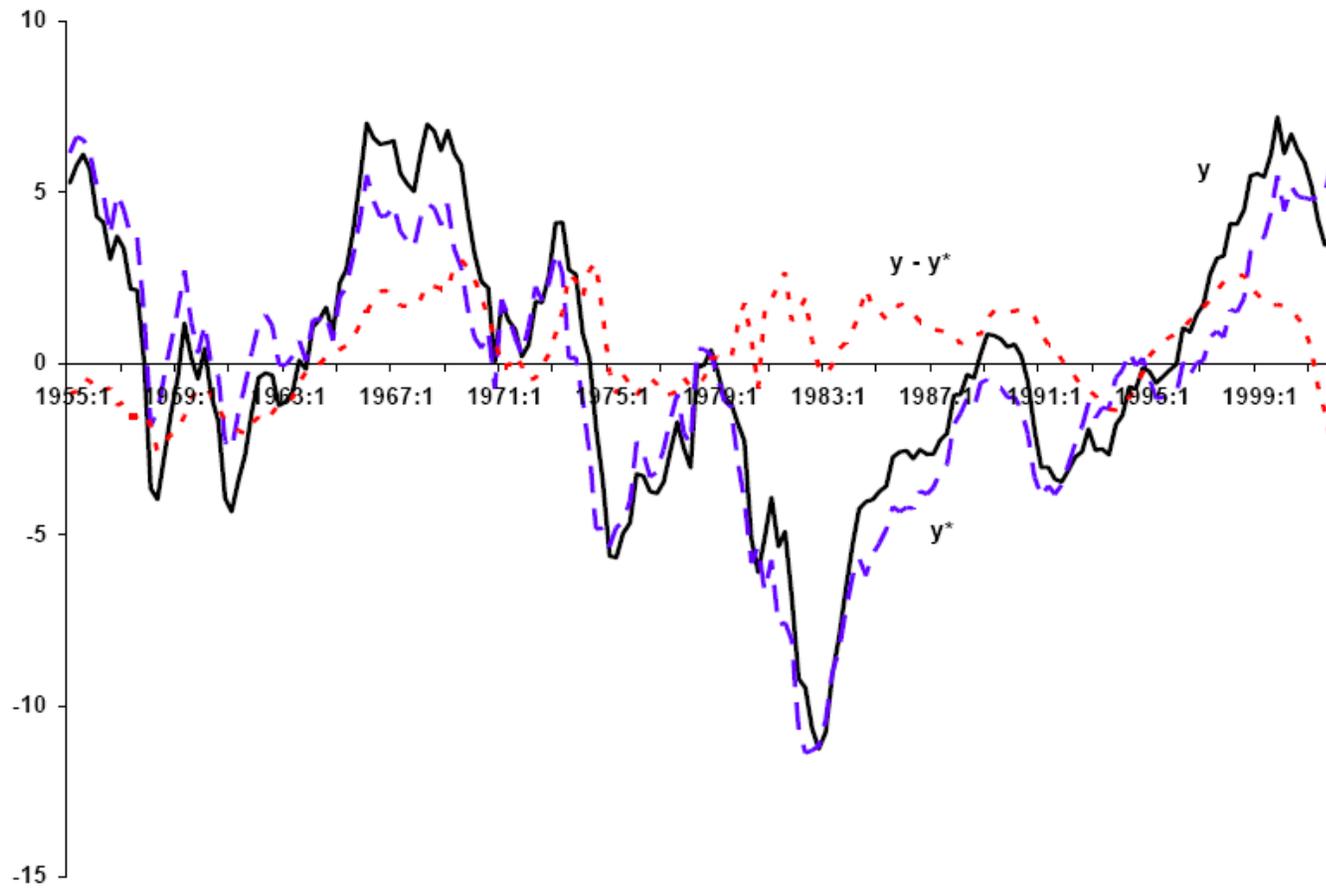


# Edge, Kiley and Laforde (2008)

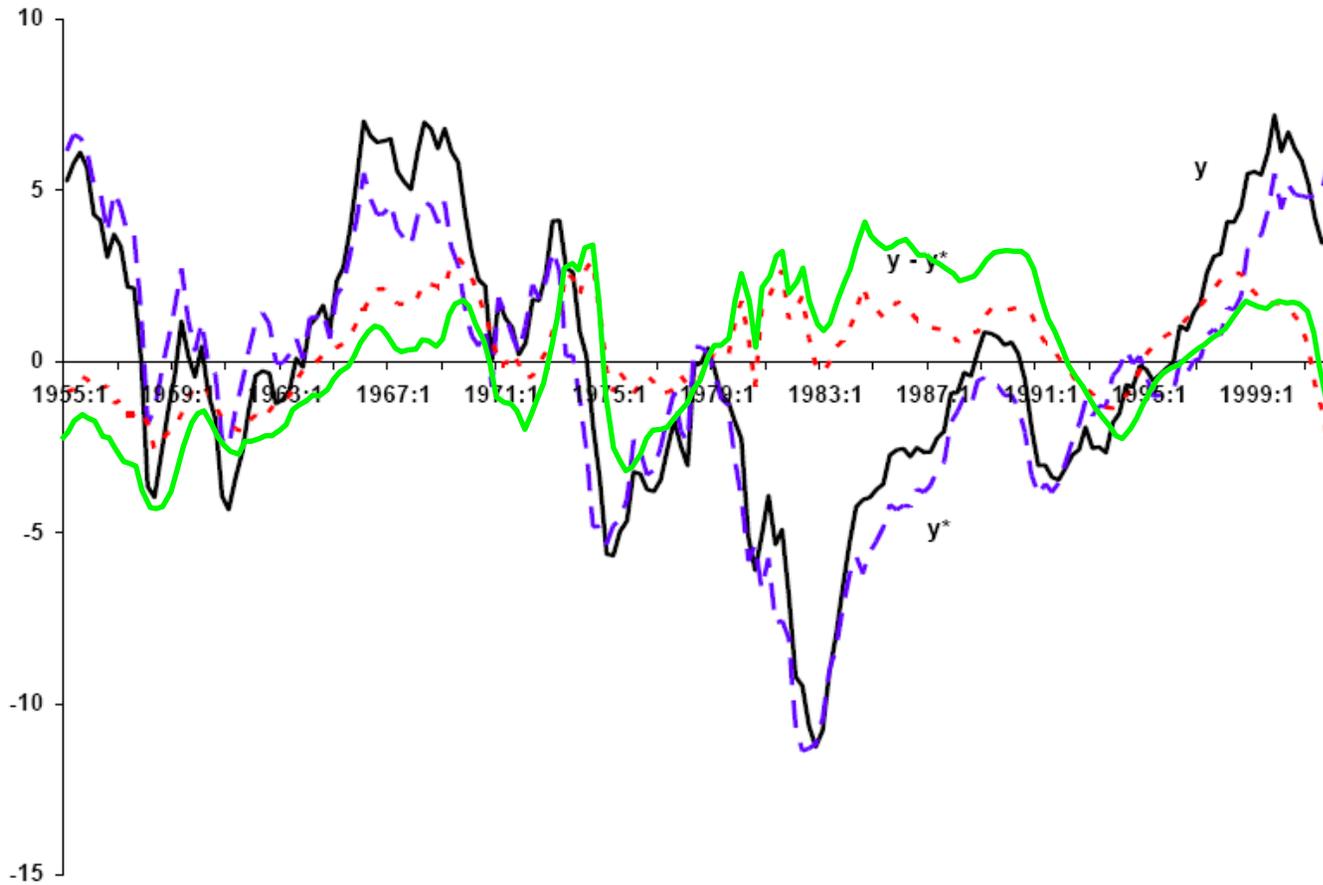


— “Our” gap without  $\pi^*$

# LOWW (2005)

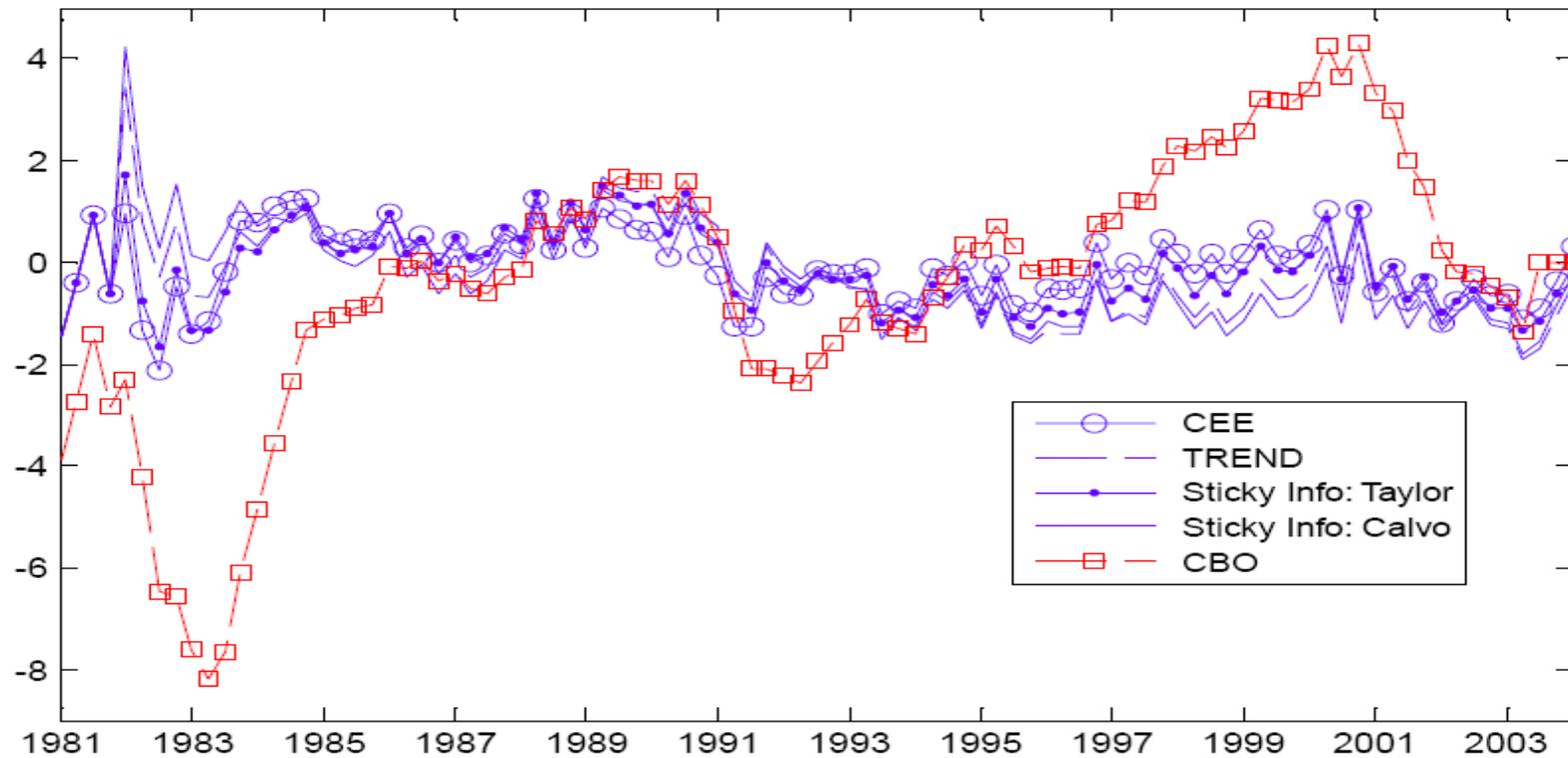


# LOWW (2005)

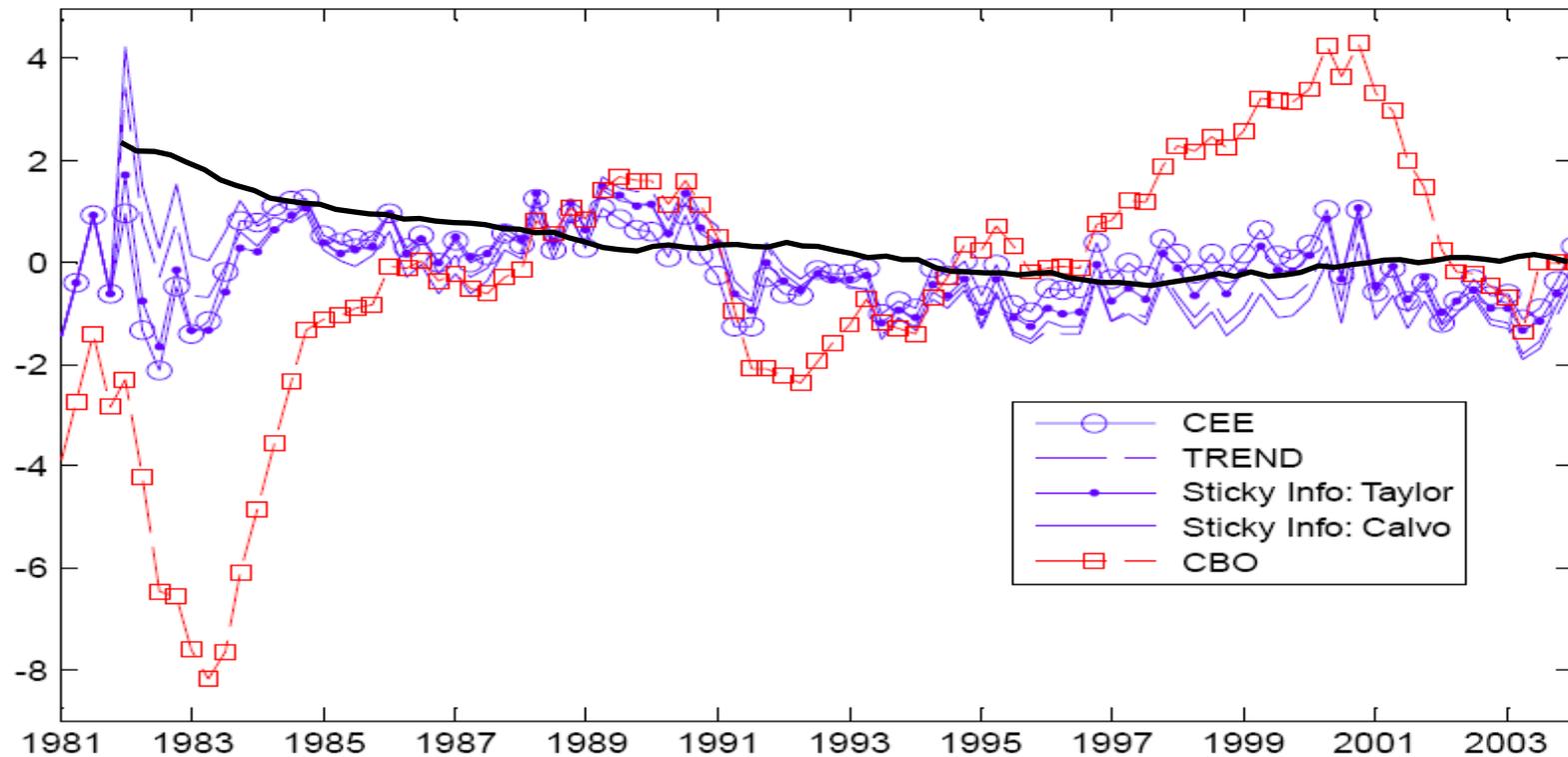


— “Our” gap with LOWW dataset and policy rule

# Andrés, López-Salido and Nelson (2005)



# Andrés, López-Salido and Nelson (2005)



— “Our” gap without *markup shocks*